

# How symmetric is the electron? Looking for out-of-roundness of $10^{-14}$ femtometers

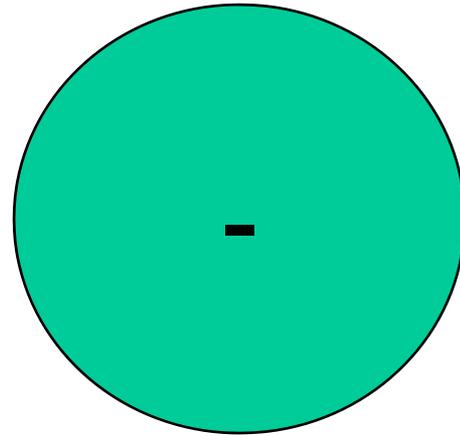
Eric Cornell

JILA -- NIST/CU Boulder, CO

Meet Mr. Electron.

charge =  $-q$

mass =  $m_e$

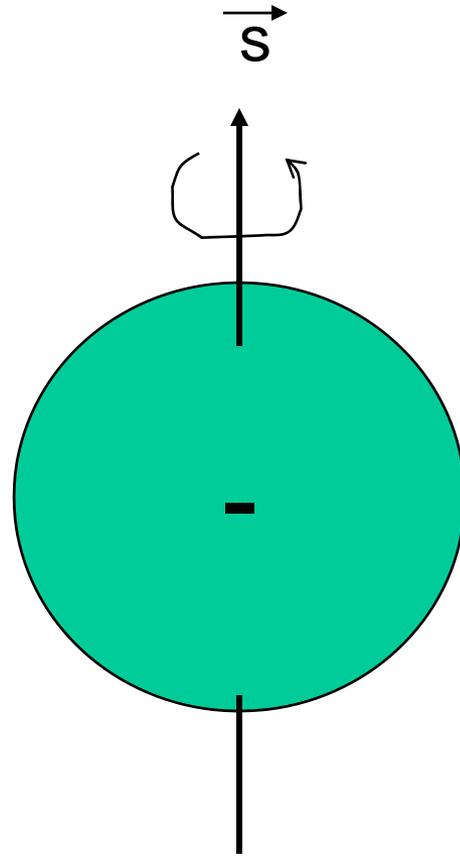


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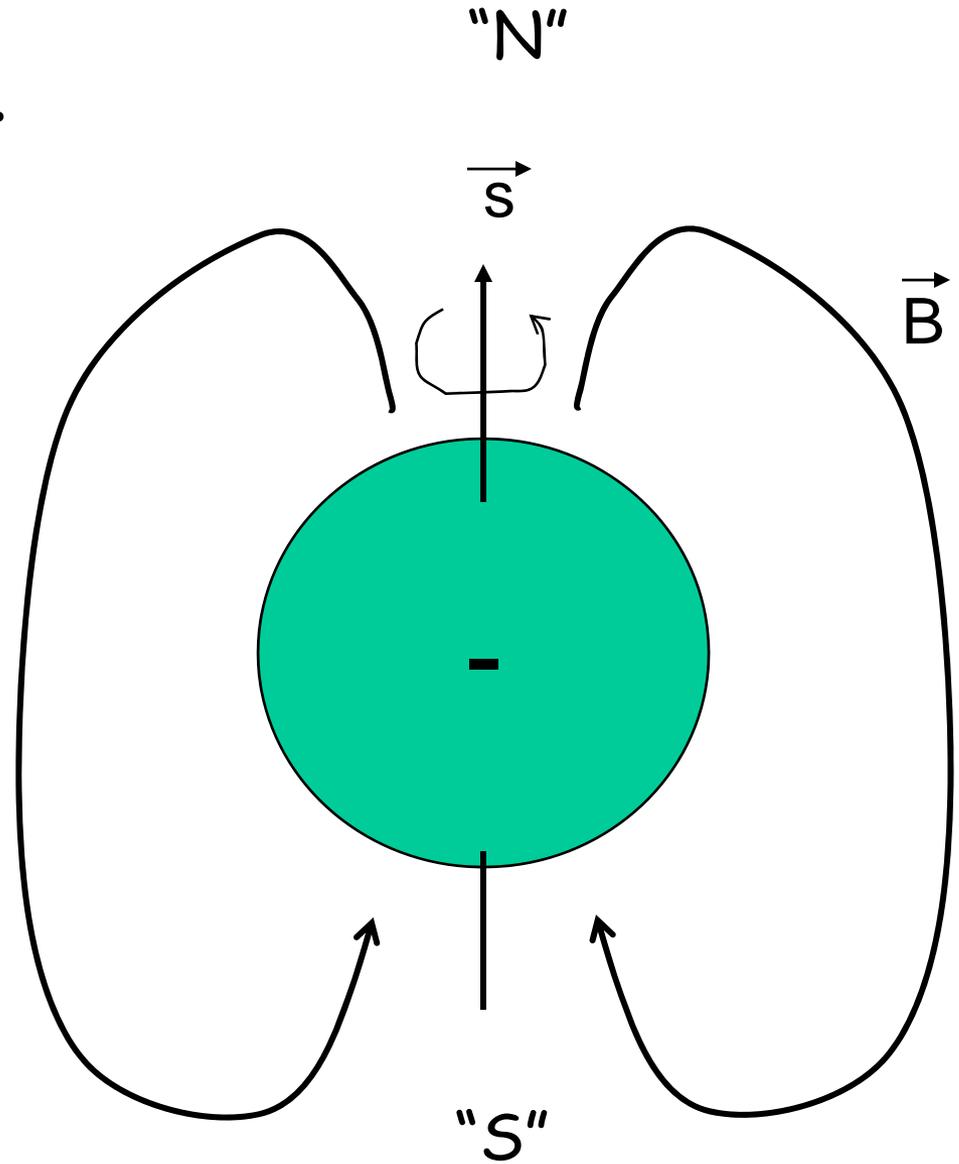
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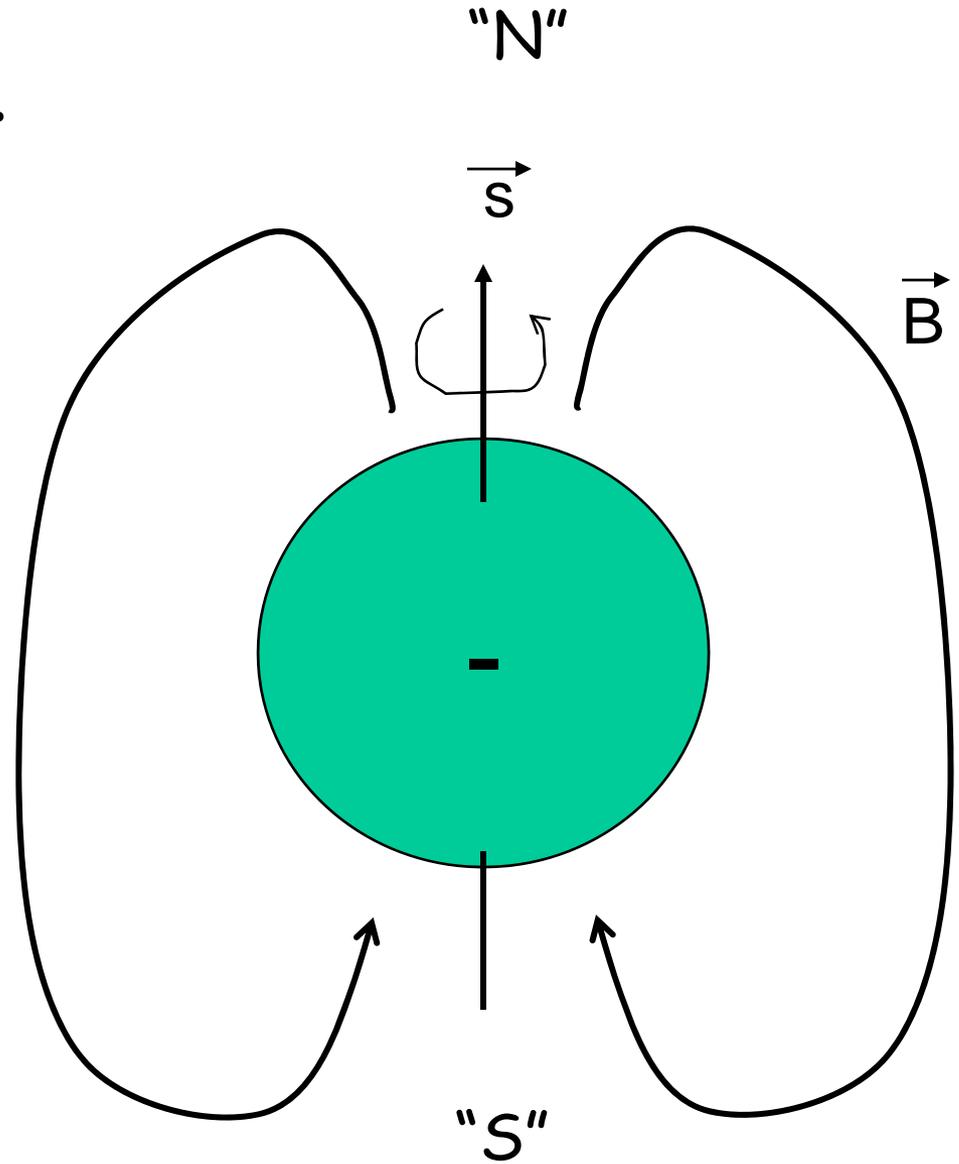
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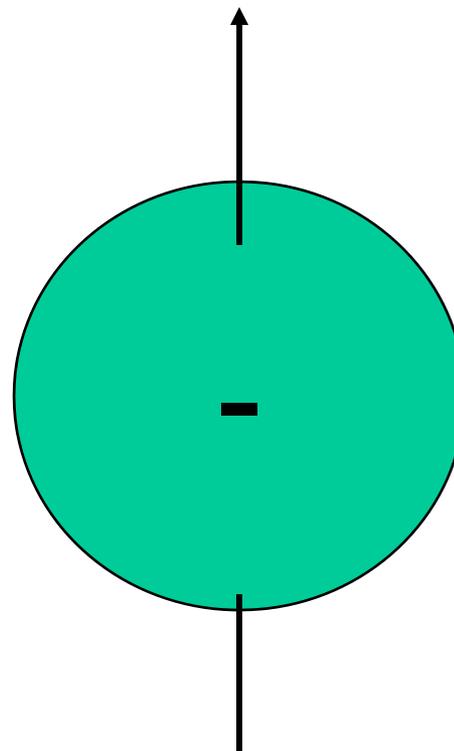
magnetic moment  
=  $\mu_B$

and that's pretty  
much it.

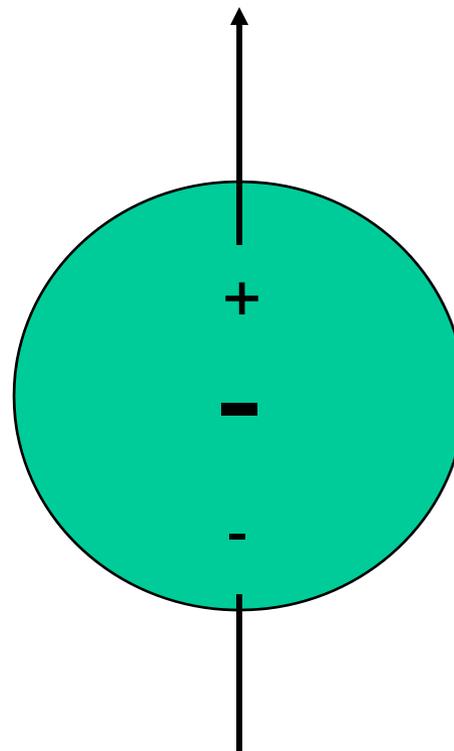
Or is it?



Meet Mr. Electron.

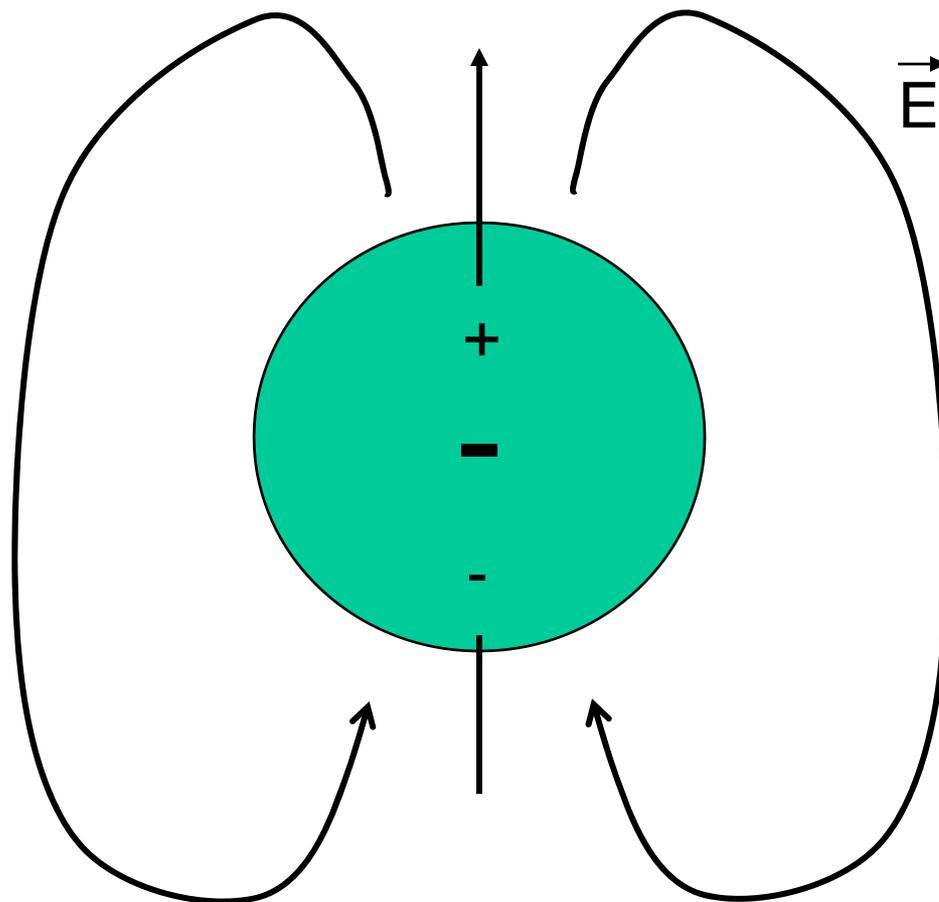


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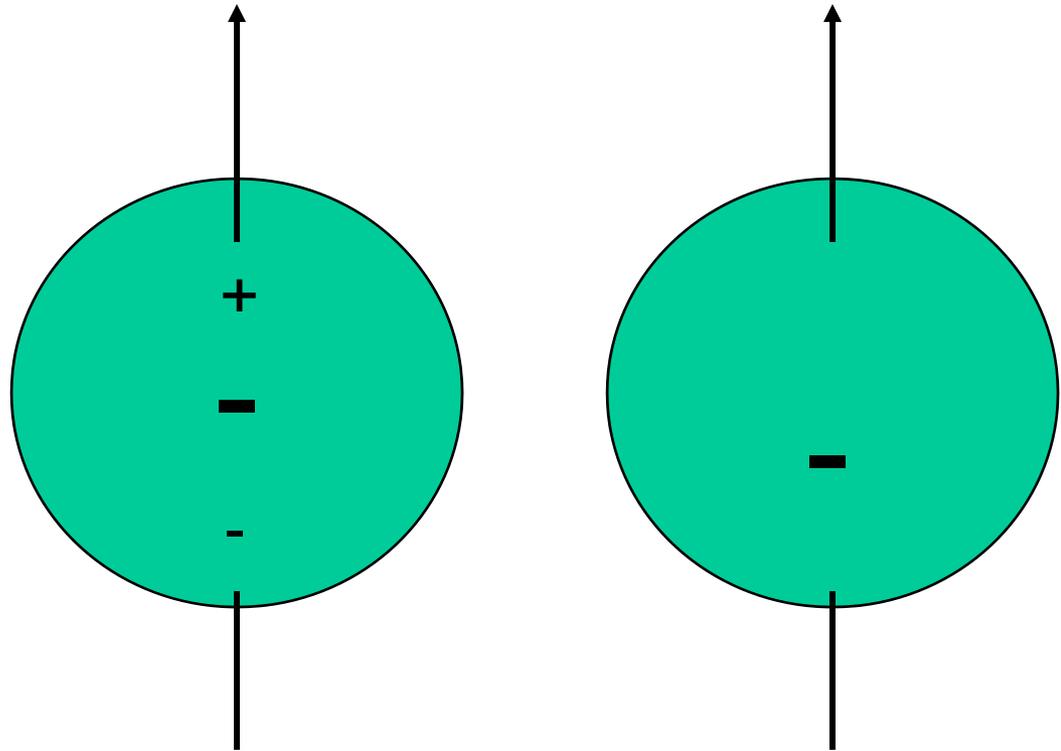
# Meet Mr. Electron.

electron  
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Dipole  
Moment  
(eEDM)?



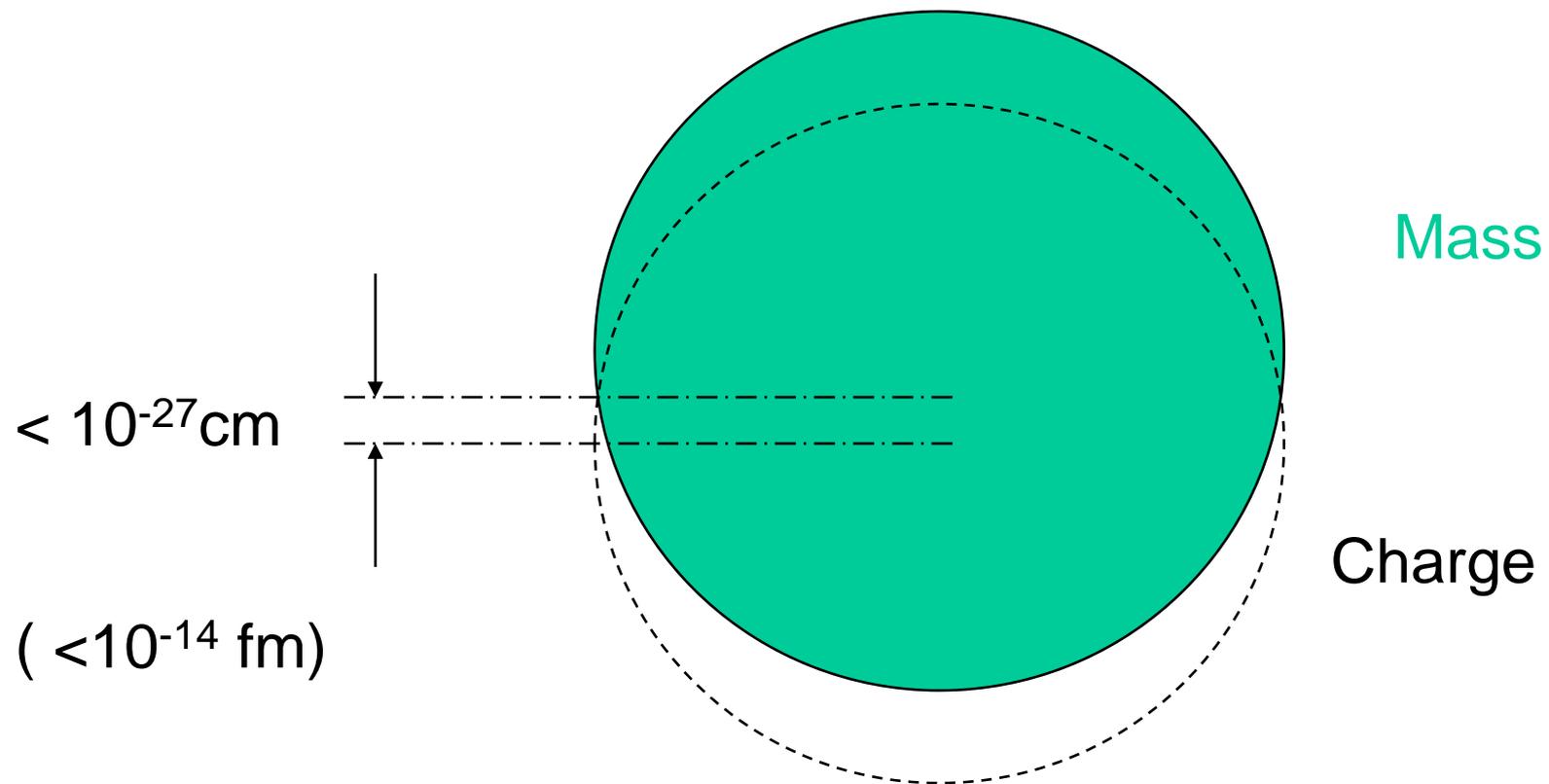
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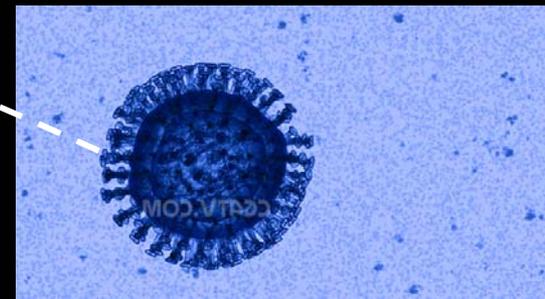


eEDM looks like offset between center of mass and center of charge!

Experimental Limit:  $e\text{EDM} < 10^{-27} \text{ e-cm}$

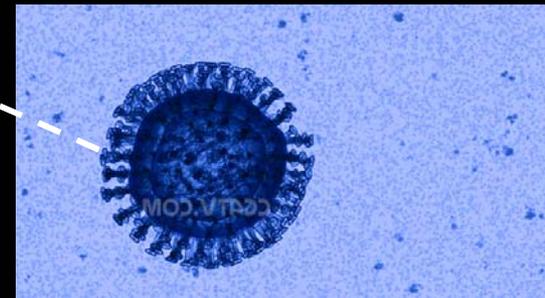


If the electron were the size of the earth, its asymmetry (scaled up) has been measured to be less than the diameter of a virus.



Asymmetry less than  $10^{-27}$  cm. Commins, 2002. Pretty good!

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Q: Why?

New particle physics from precision  
dipole moments ---- long tradition

Electron's magnetic moment:  $\mu_e = g\mu_b$

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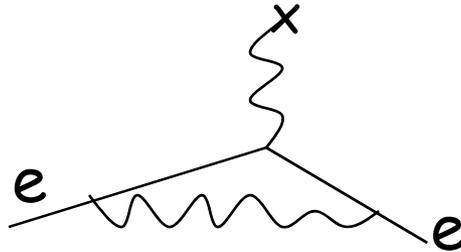
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2.  $g = 2 - \alpha/2$  (early test of one-loop QED)

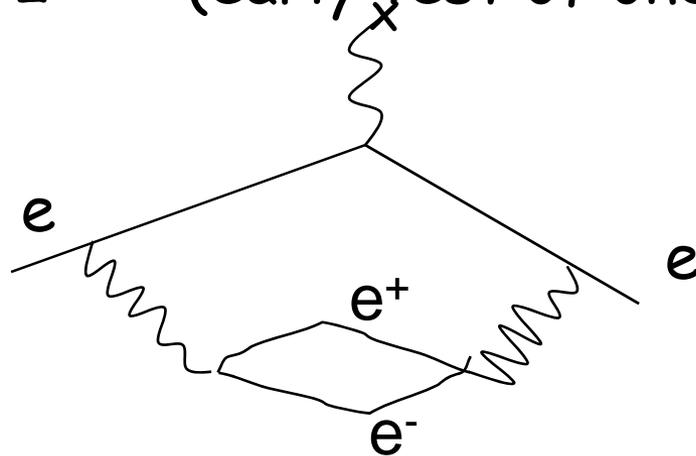


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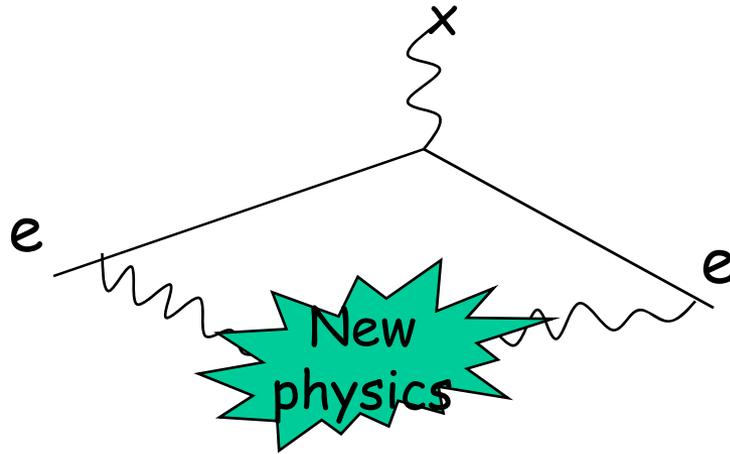
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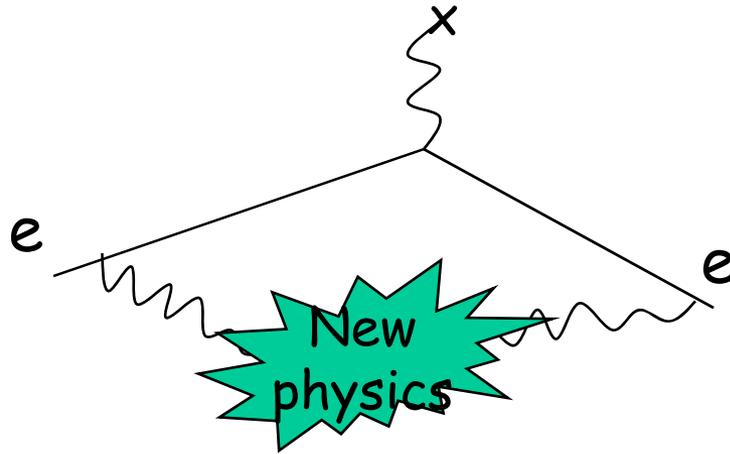
3.  $g = 2 + a_1\alpha + a_2\alpha^2 + a_3\alpha^3 + a_4\alpha^4 + \dots$

(best test of many-loop field theory)

Q: Can we get still more particle physics,  
beyond SM, from electron  $\mu_{\text{mag}}$ ?

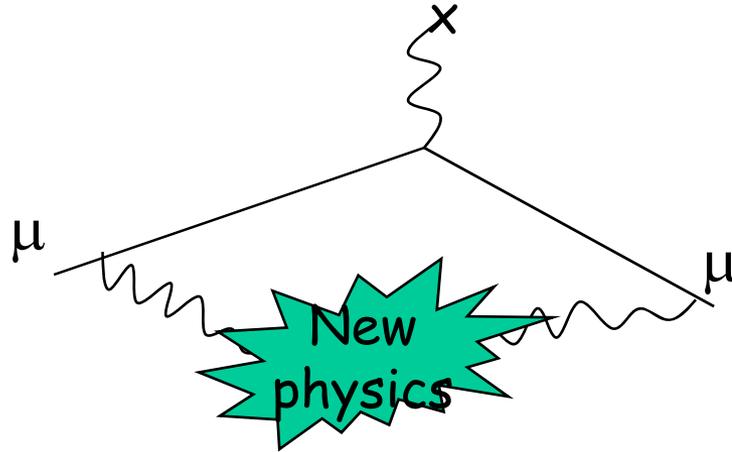


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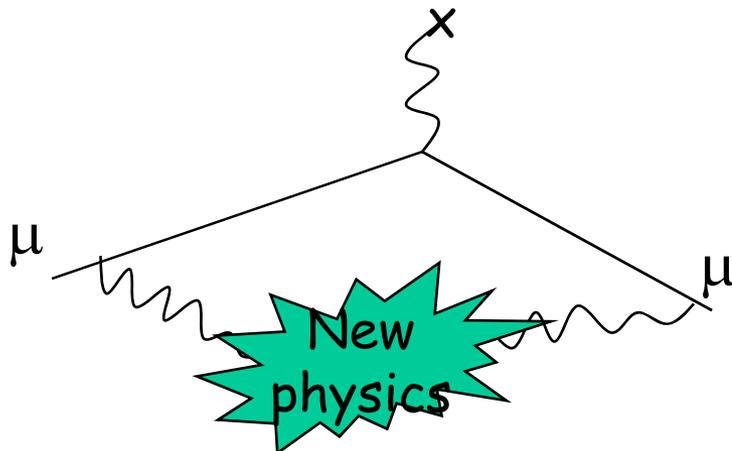


A: Probably not.  $m_e$  is too small.

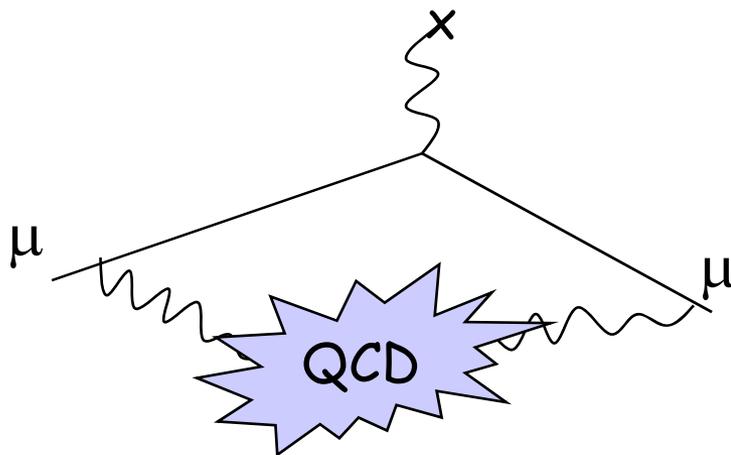
Q: How about new particle physics from muon  $\mu_{\text{mag}}$ ?



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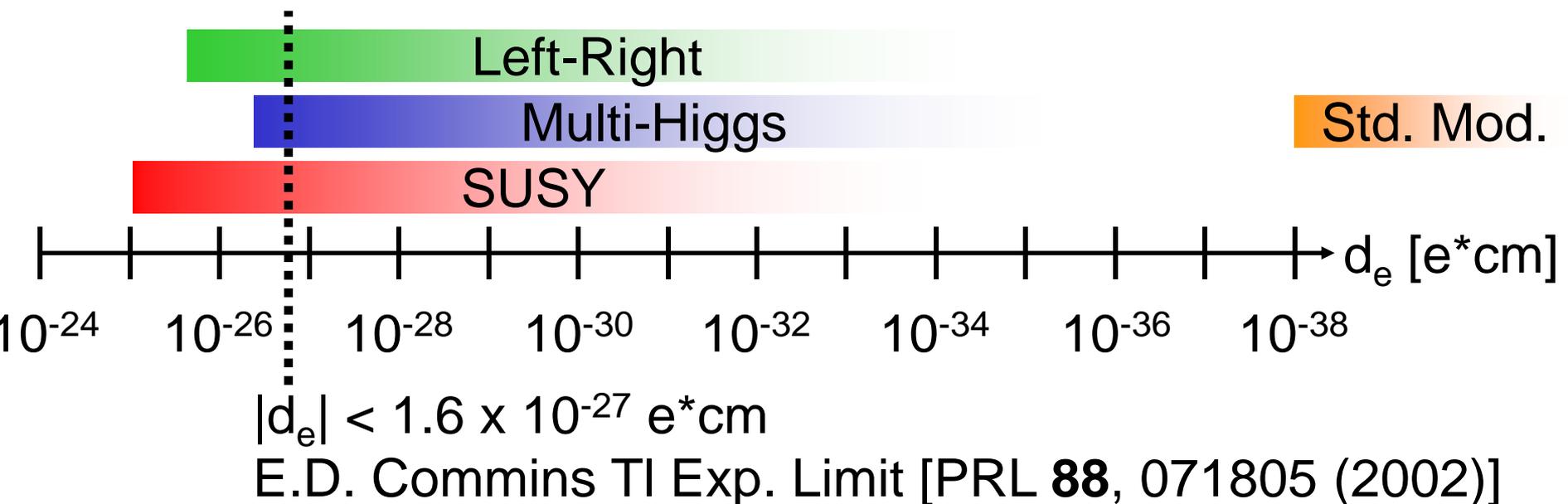
A: Probably not (although there has been a big effort) due to uncertainties in QCD "theory background".



# New particle physics from precision dipole moments

Advantage of *electric* dipole moments, with respect to *magnetic* dipole moments:

$d_e, d_n, d_\mu, d_{\text{Hg}} \dots$   
have very small SM  
theory background



New physics against zero background – and  
(maybe) not too far away?

Sociology comment.

nEDM, nuclear Schiff moments,  $\mu$ EDM

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Q: How?



Cornell, Eric A.  
Arrest date: 6/2/08  
Arrest complaint:  
Symmetry violation  
in a public space



Charge: Symmetry  
violation  
in a public space

CONVICTED



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Q: How?

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Q: How?

A: With a lot of help.

# JILA eEDM project

Cornell [Aaron Leanhardt] Russell Stutz  
Laura Sinclair, Huanqian Loh, Herbert Looser  
John Bohn Ed Meyer

Q: "Who are your influences?"

Jun Ye  
Konrad Lehnert  
Carl Lineberger  
David Nesbitt

--- The Commitments (1991)

remote help: Peter Bernath and St. Pete's bunch:  
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NSF, NIST, Marsico Chair

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Carl Wieman. Commins/Budker/Demille

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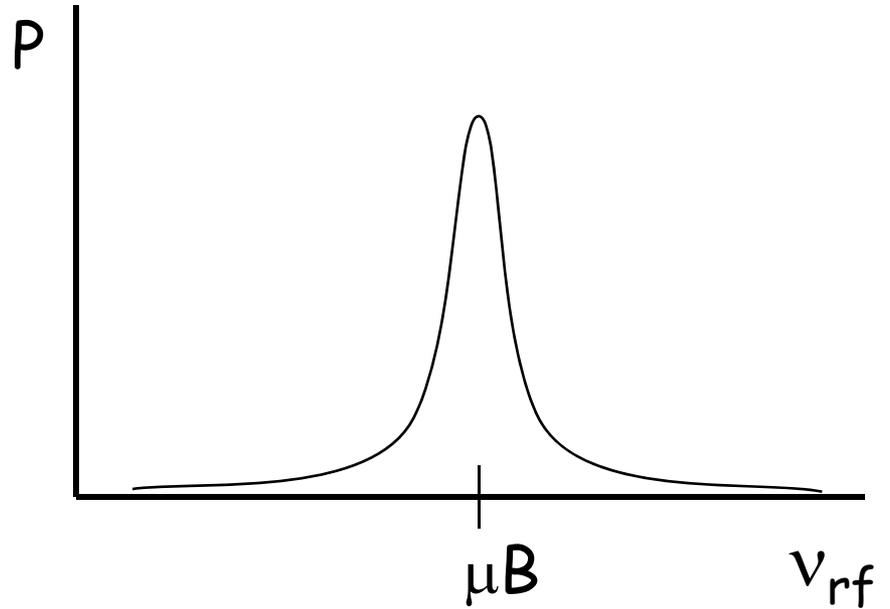
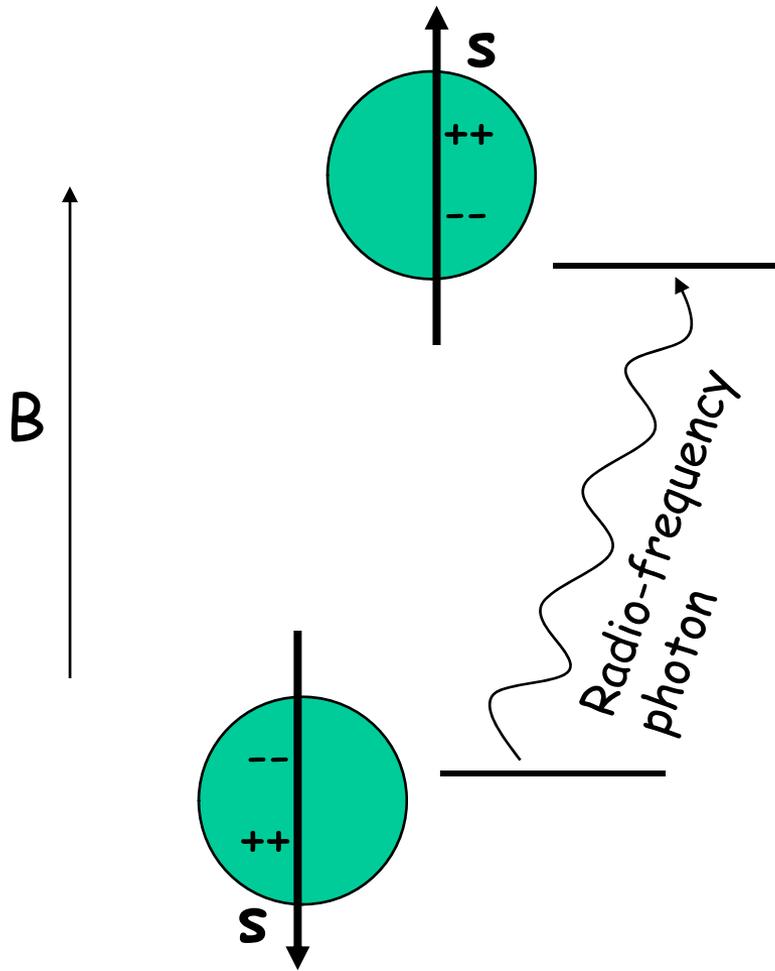
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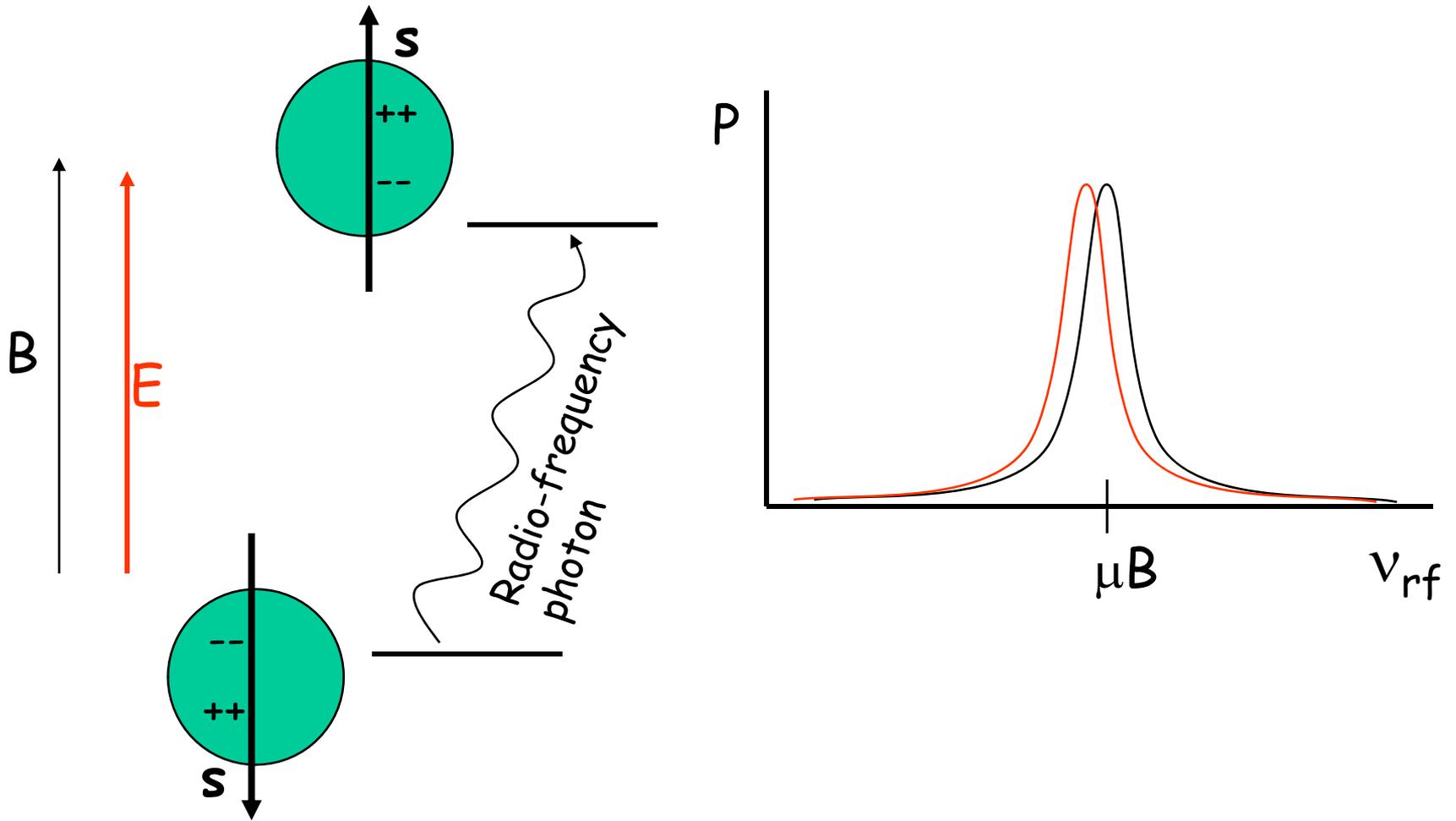


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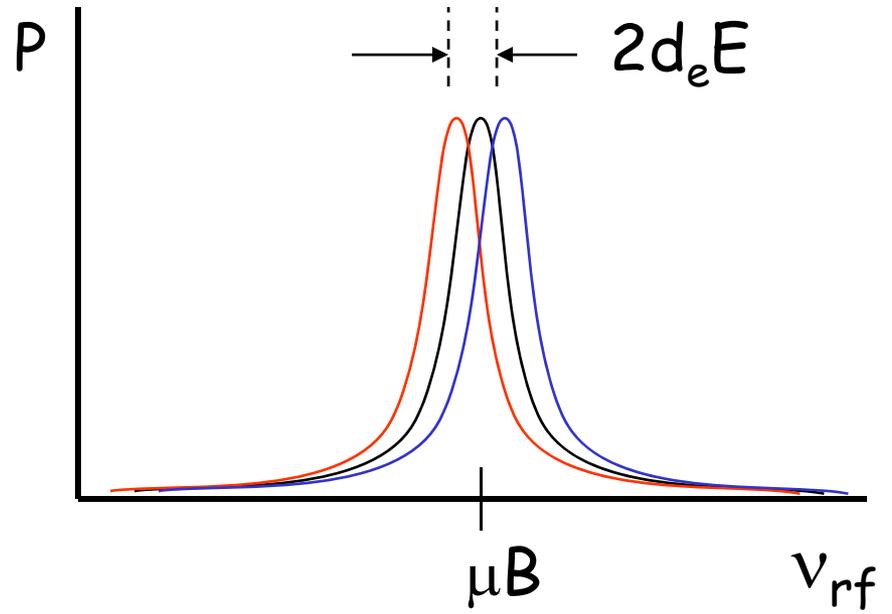
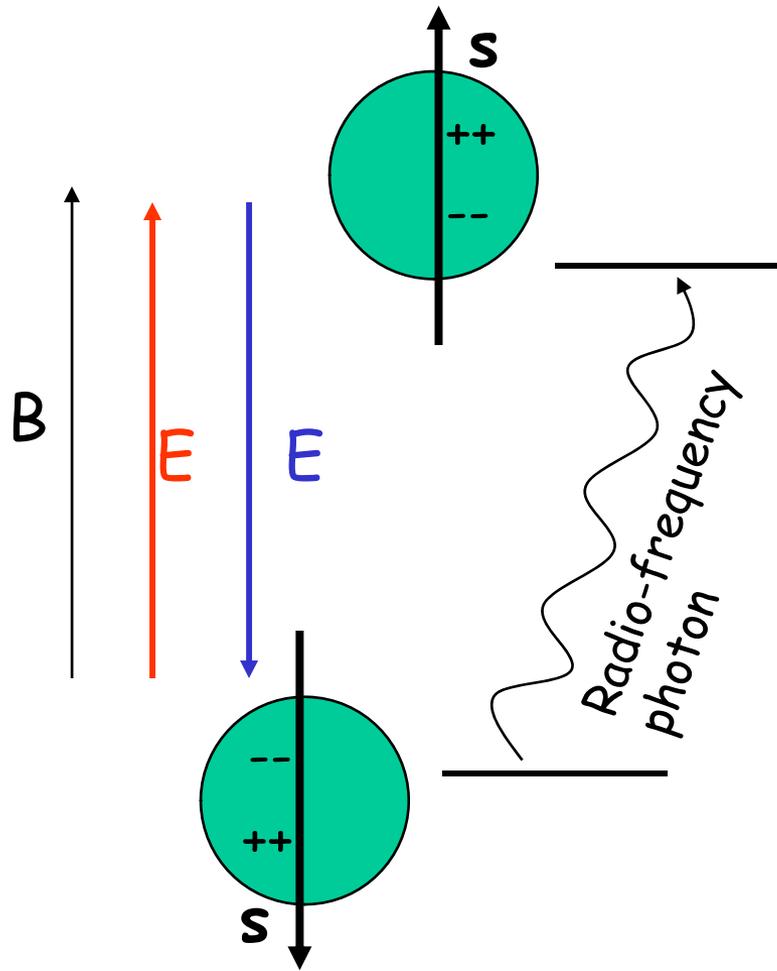
How to measure  $eEDM$ ? First, how do we measure  $eMDM$ ?



# How to measure $eEDM$ ?



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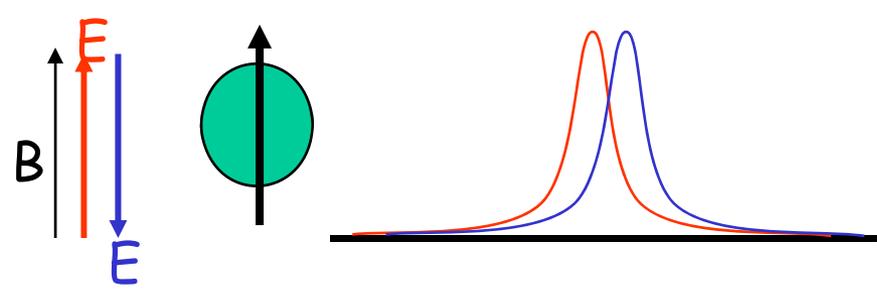


Figure-of-merit:  
What makes a good EDM  
experiment?

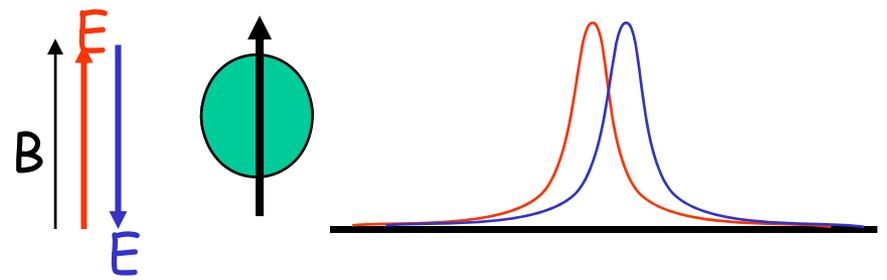
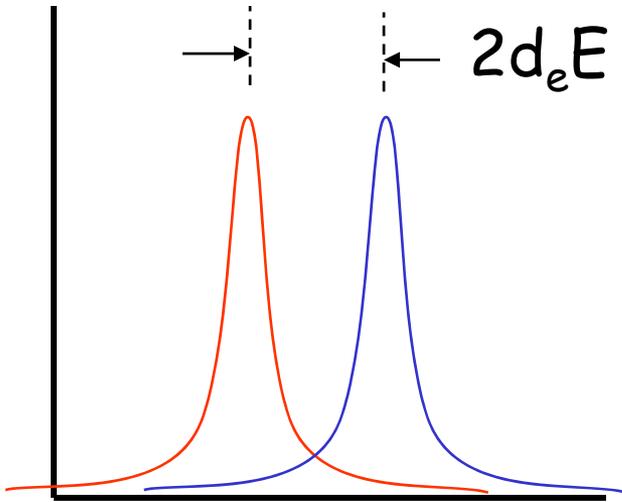
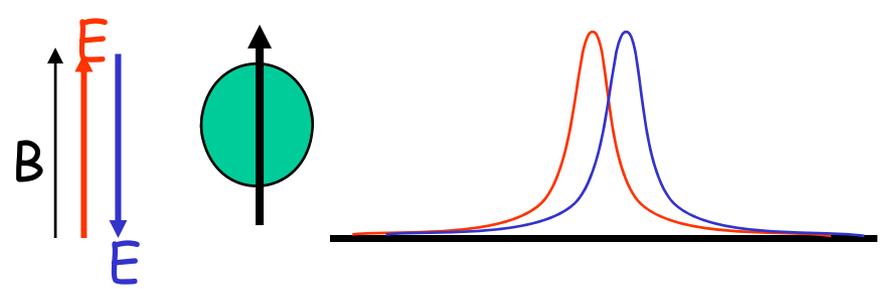
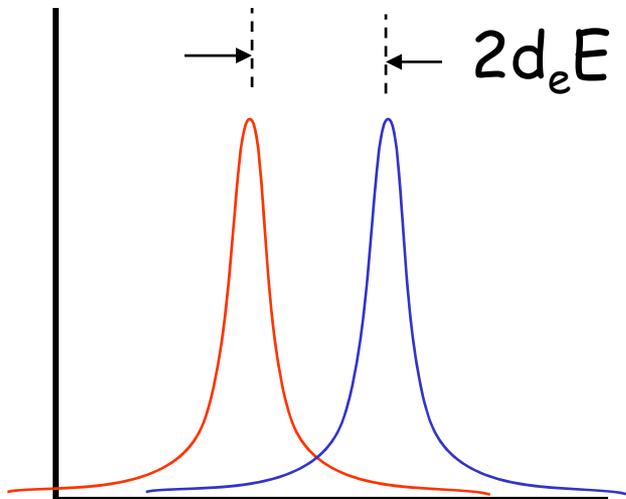
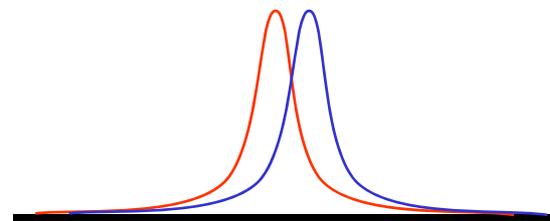
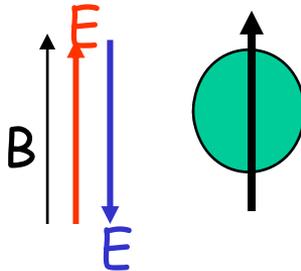


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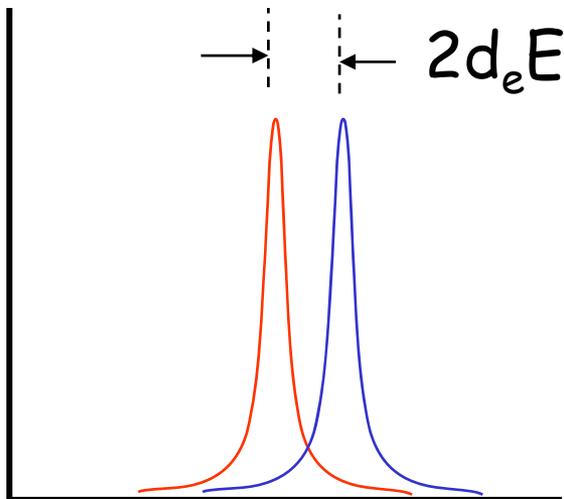


Big Electric  
Field!

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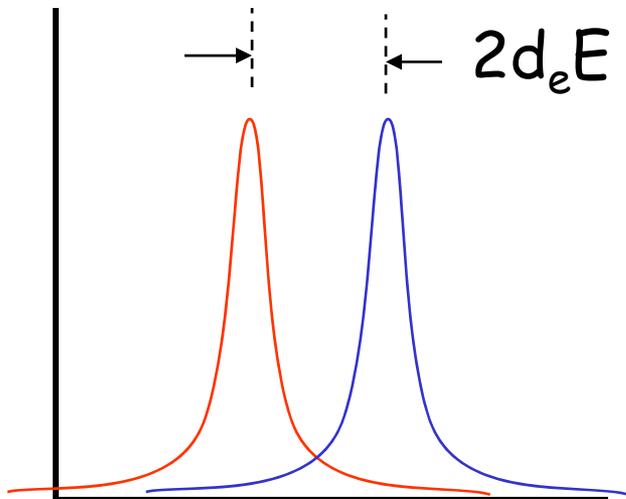
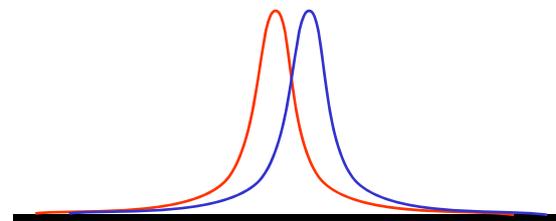
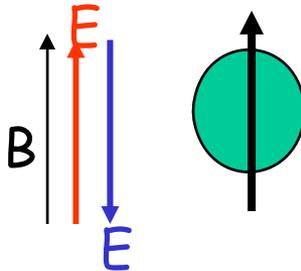


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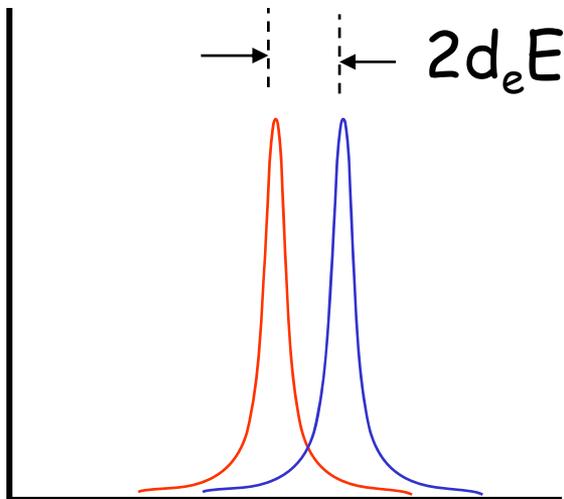


Big Coherence  
Time (narrow  
resonances)!

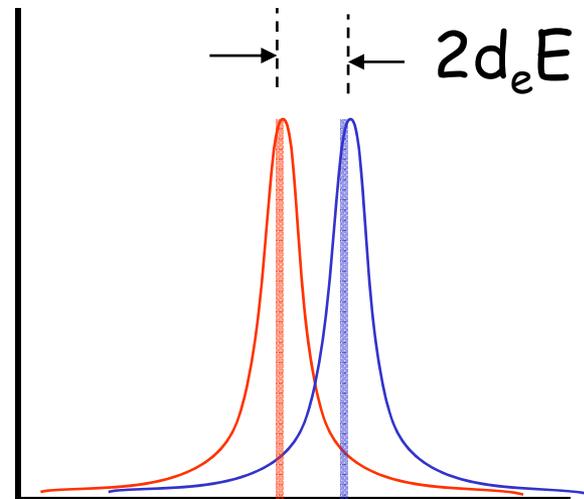
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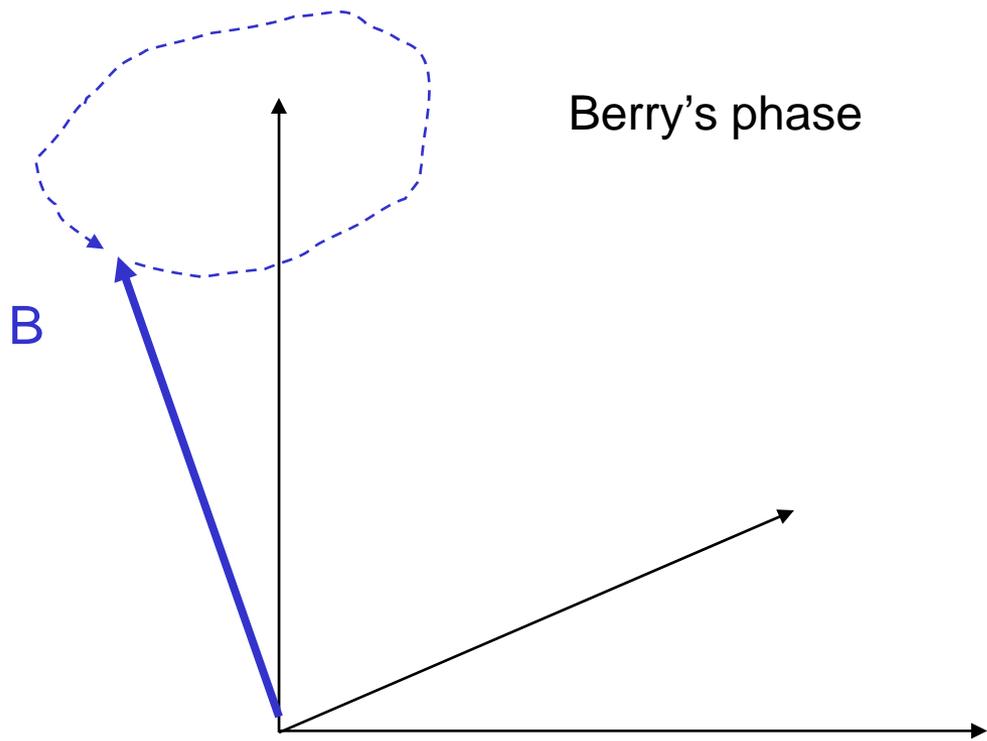


Big Coherence  
 Time (narrow  
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Large count rate  
 (split resonance  
 by  $\sqrt{N_{eff}}$  )

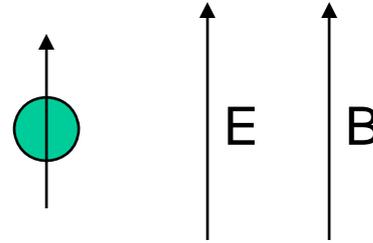
Combined  
 Figure-of-merit:  $E_{eff} \tau \sqrt{N_{eff}}$



When quantization axis  $B$  traces out a closed loop that encloses solid angle  $\Omega$ , then a quantum spin\* with angular momentum projection  $m$  on the quantization axis picks up a phase  $m\Omega$  with each cycle (in the limit of really slow change.)

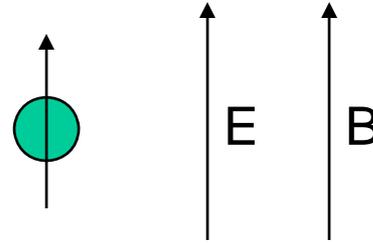
\*Note, true for composite objects, like molecules, too.  
What matters is total  $m$ .

Who's Our  
Daddy?  
Neutron EDM experiment



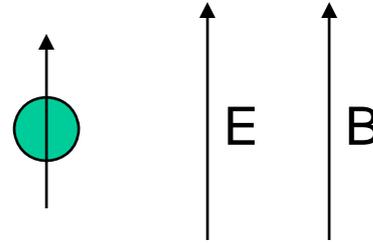
$E_z$	$B_z$	$E(m=1/2) - E(m=-1/2)$	Chop
$E_0 + \delta E$	$B_0 + \delta B$	$d(E_0 + \delta E) + \mu(B_0 + \delta B)$	+1
$E_0 + \delta E$	$-B_0 + \delta B$	$d(E_0 + \delta E) + \mu(-B_0 + \delta B)$	+1
		Total: $4d(E_0 + \delta E) + 2\mu\delta B$	

Who's Our  
Granddaddy?  
Neutron EDM experiment



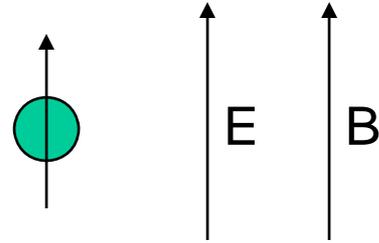
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Who's Our  
Great Granddaddy?  
Neutron EDM experiment



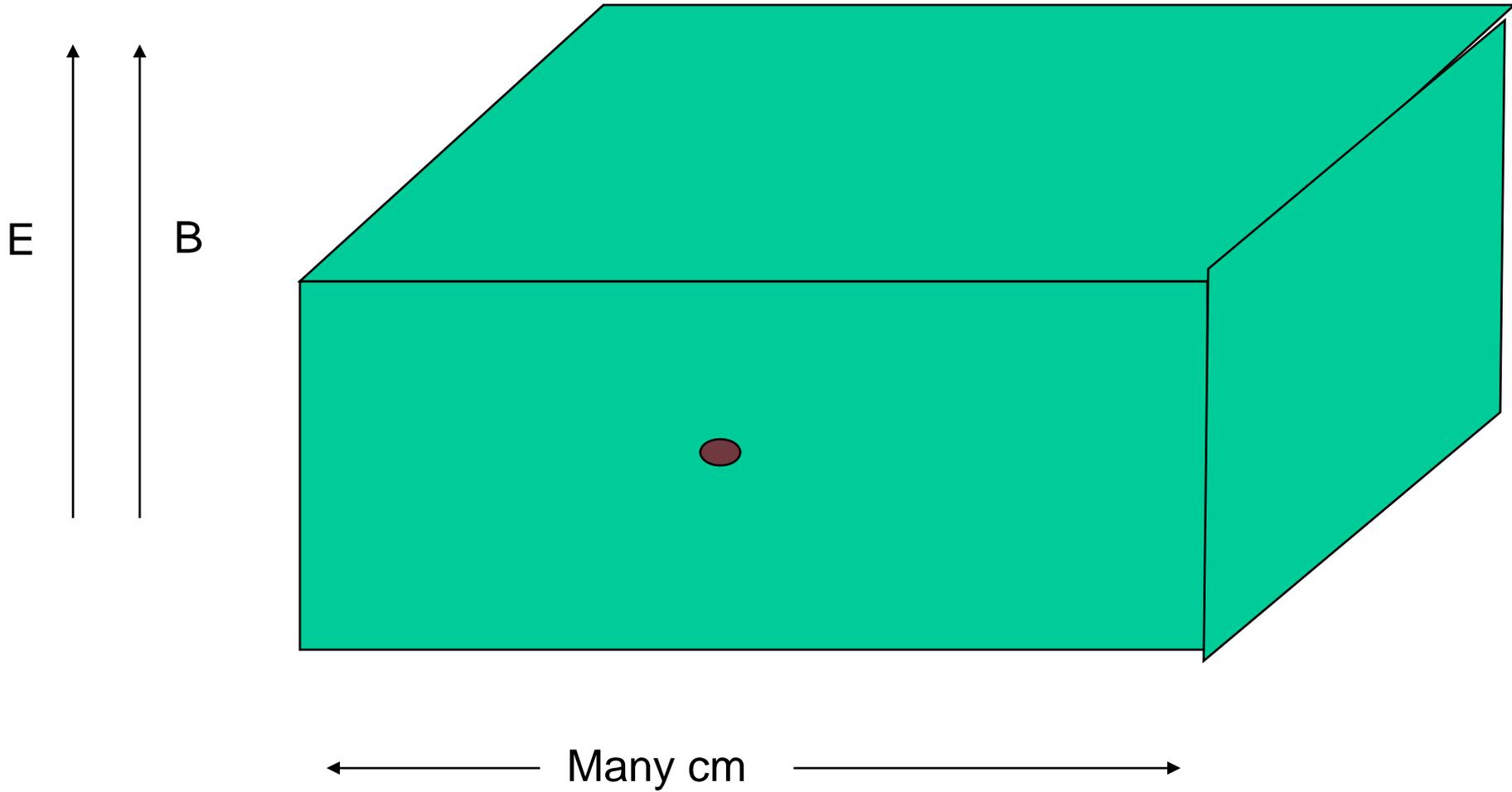
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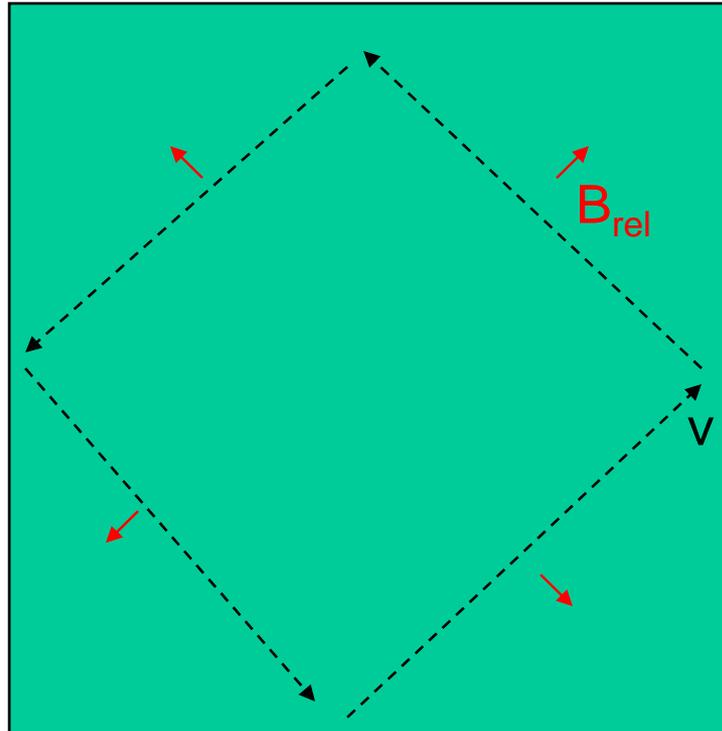
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$-E_0 + \delta E$	$B_0 + \delta B$	$d(-E_0 + \delta E) + \mu(B_0 + \delta B)$	-1
$-E_0 + \delta E$	$-B_0 + \delta B$	$d(-E_0 + \delta E) + \mu(-B_0 + \delta B)$	-1
		Total: $4E_0$	

# Neutron-in-a-box (literally)



$B_0$ ,  $E_0$ , point up out of the screen

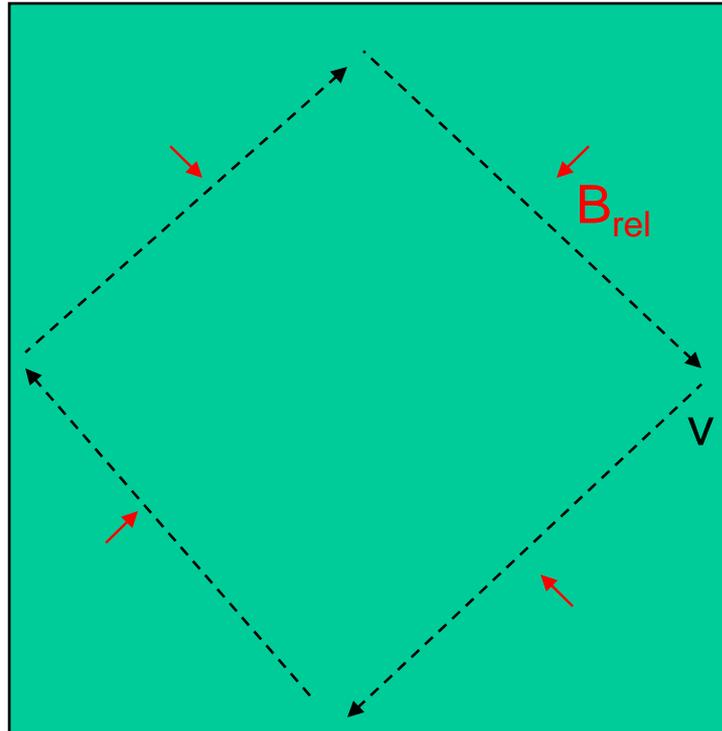
Neutron motion partially transforms strong electric field into B-field.



Enclosed area of neutron trajectory means enclosed area of B-vector in time. A shift in phase between  $m=1/2$  and  $m=-1/2$  levels!

$B_0$ ,  $E_0$ , point up out of the screen

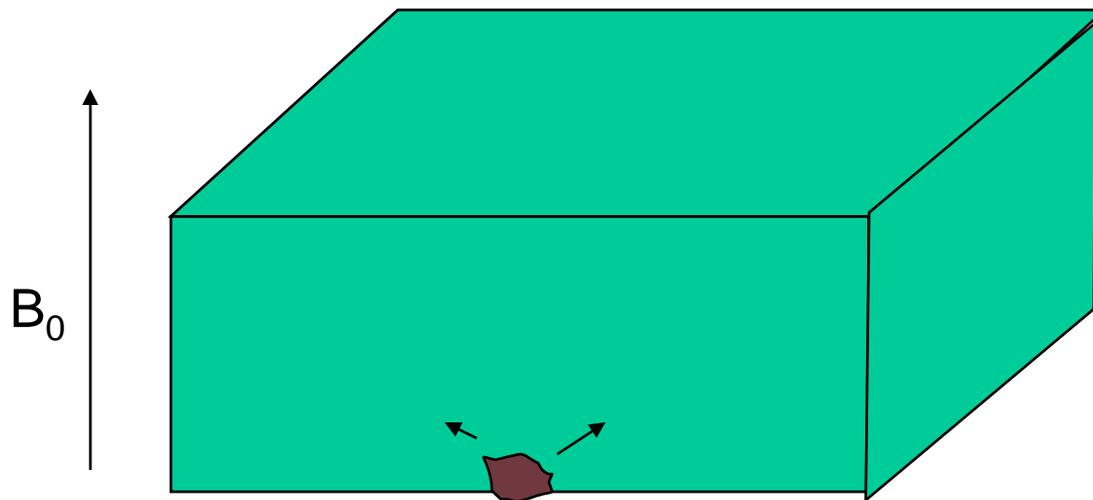
Neutron motion partially strong electric field into B-field.



Thermal distribution of trajectories means this effect as no net sign.

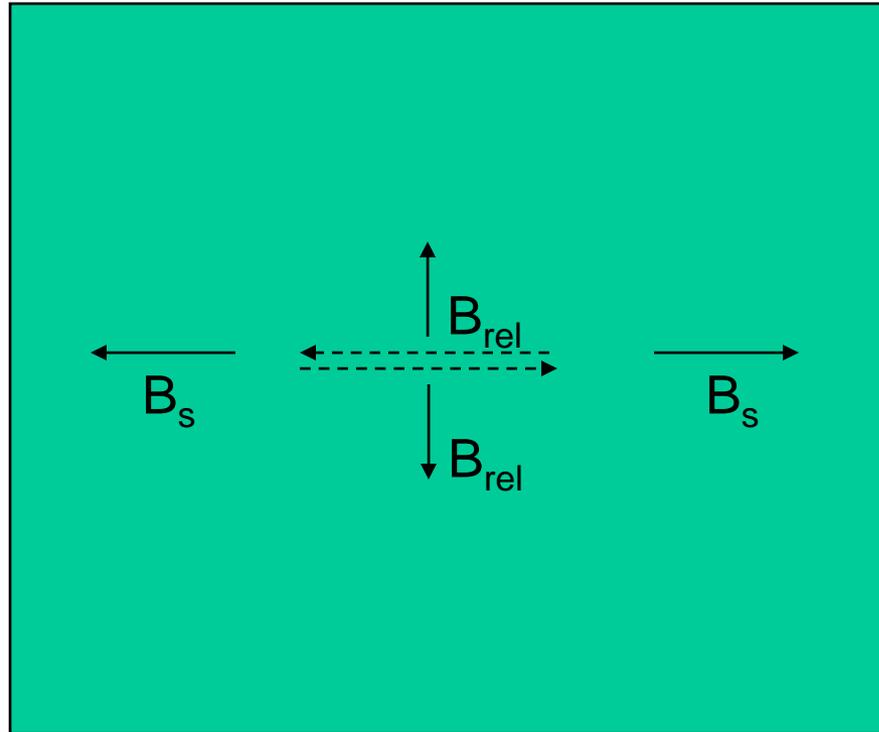
Enclosed area of neutron trajectory means enclosed area of B-vector in time. A shift in phase between  $m=1/2$  and  $m=-1/2$  levels!

Not an important source of dephasing (decoherence) in the nEDM experiments. But, with the addition of an stray gradient, can cause systematic error.



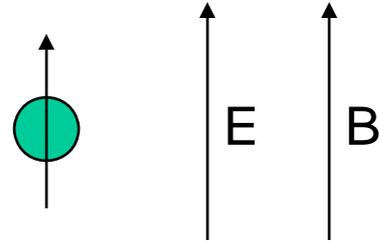
Stray gradient due to permanently magnetized piece of schmutz

Top view,  $B_0$  out of the page.



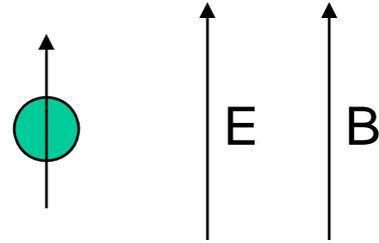
You can now get enclosed B-field trajectory over time even when neutron's coordinate-space trajectory enclose no area.

# Neutron EDM experiment



$E_z$	$B_z$	$E(m=1/2) - E(m=-1/2)$	Chop
$E_0 + \delta E$	$B_0 + \delta B$	$d(E_0 + \delta E) + \mu(B_0 + \delta B)$	+1
$E_0 + \delta E$	$-B_0 + \delta B$	$d(E_0 + \delta E) + \mu(-B_0 + \delta B)$	+1
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		Total: $4E_0$	

# Neutron EDM experiment



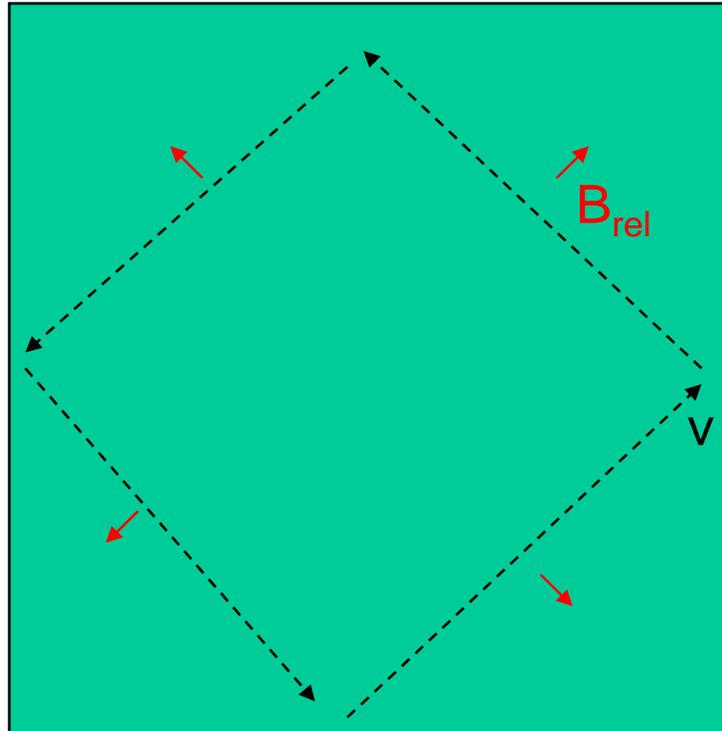
$E_z$	$B_z$	$E(m=1/2) - E(m=-1/2)$	Rel. Berry	Chop
$E_0 + \delta E$	$B_0 + \delta B$	$d(E_0 + \delta E) + \mu(B_0 + \delta B)$	cw	+1
$E_0 + \delta E$	$-B_0 + \delta B$	$d(E_0 + \delta E) + \mu(-B_0 + \delta B)$	cw	+1
$-E_0 + \delta E$	$B_0 + \delta B$	$d(-E_0 + \delta E) + \mu(B_0 + \delta B)$	ccw	-1
$-E_0 + \delta E$	$-B_0 + \delta B$	$d(-E_0 + \delta E) + \mu(-B_0 + \delta B)$	ccw	-1

Total:  $4dE_0 + 4$  cw phase units. Ouch.

Gets worse for big  $E_0$  and long free paths. Leakage currents.

$B_0, E_0$ , point up out of the screen

Neutron motion partially transforms strong electric field into B-field.

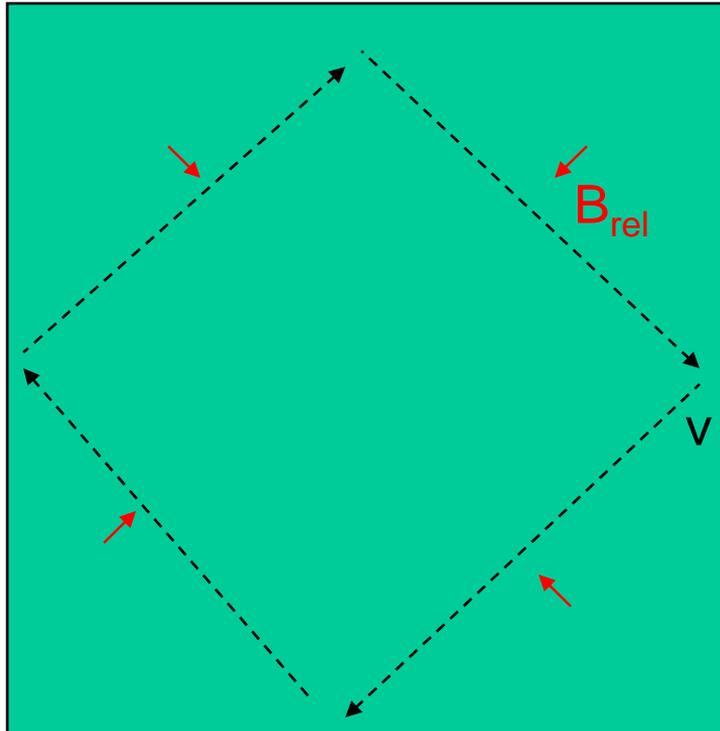


Go back to this case:  
No dirt (no spatial  
gradient in  $B$ ) means  
no systematic. But,  
what about dephasing?

Enclosed area of neutron trajectory means  
enclosed area of  $B$ -vector in time. A shift in phase between  
 $m=1/2$  and  $m=-1/2$  levels!

$B_0, E_0$ , point up out of the screen

Neutron motion partially strong electric field into B-field.



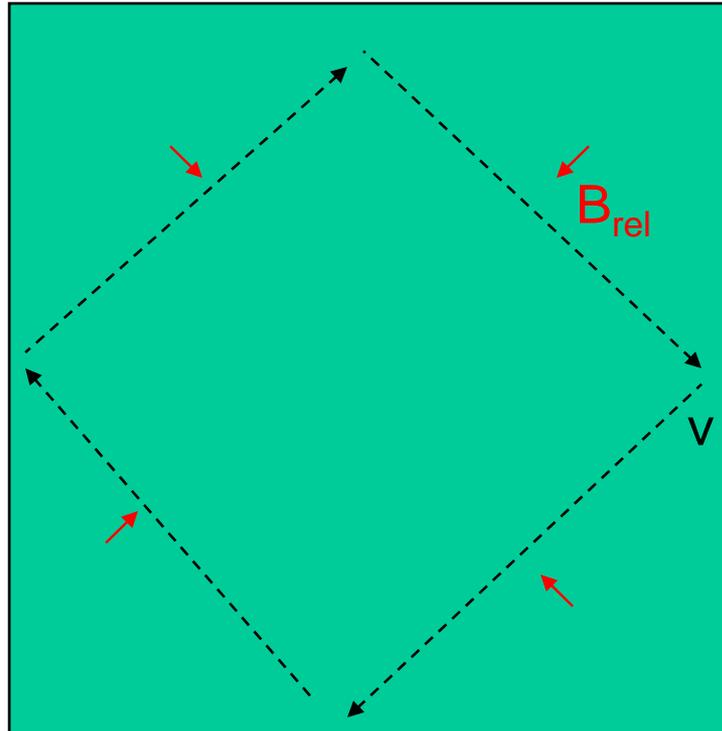
Go back to this case:  
No dirt (no spatial  
gradient in  $B$ ) means  
no systematic. But,  
what about dephasing?

Thermal distribution of trajectories means this effect as no net sign.

Enclosed area of neutron trajectory means  
enclosed area of  $B$ -vector in time. A shift in phase between  
 $m=1/2$  and  $m=-1/2$  levels!

$B_0$ ,  $E_0$ , point up out of the screen

Neutron motion partially strong electric field into B-field.



Thermal distribution of trajectories means this effect as no net sign.

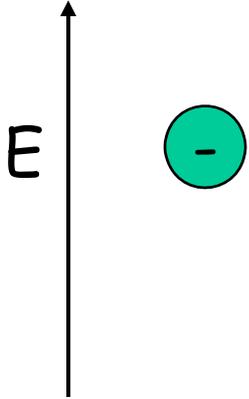
Enclosed area of neutron trajectory means enclosed area of B-vector in time. A shift in phase between  $m=1/2$  and  $m=-1/2$  levels!

OK for a box. What about trapped particles!?

Aside: the granddaddy

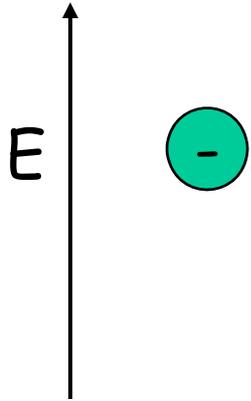
Problem:

Big  $E$ , long  $\tau$ . Electron accelerates quickly, and is gone????

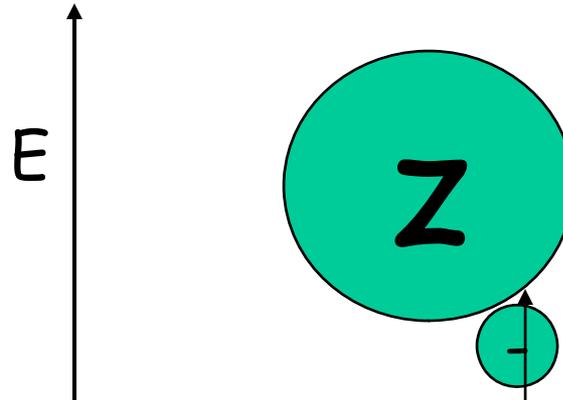


Problem:

Big  $E$ , long  $\tau$ . Electron accelerates quickly, and is gone????



Solution: Attach electron spin to a big atomic nucleus!



$$E_{\text{eff}} = a E_{\text{lab}} Z^3$$

# The Lessons of History: eEDM

Limit on  
eEDM  
(e-cm)

$10^{-23}$   
 $10^{-24}$   
 $10^{-25}$   
 $10^{-26}$   
 $10^{-27}$   
 $10^{-28}$   
 $10^{-29}$

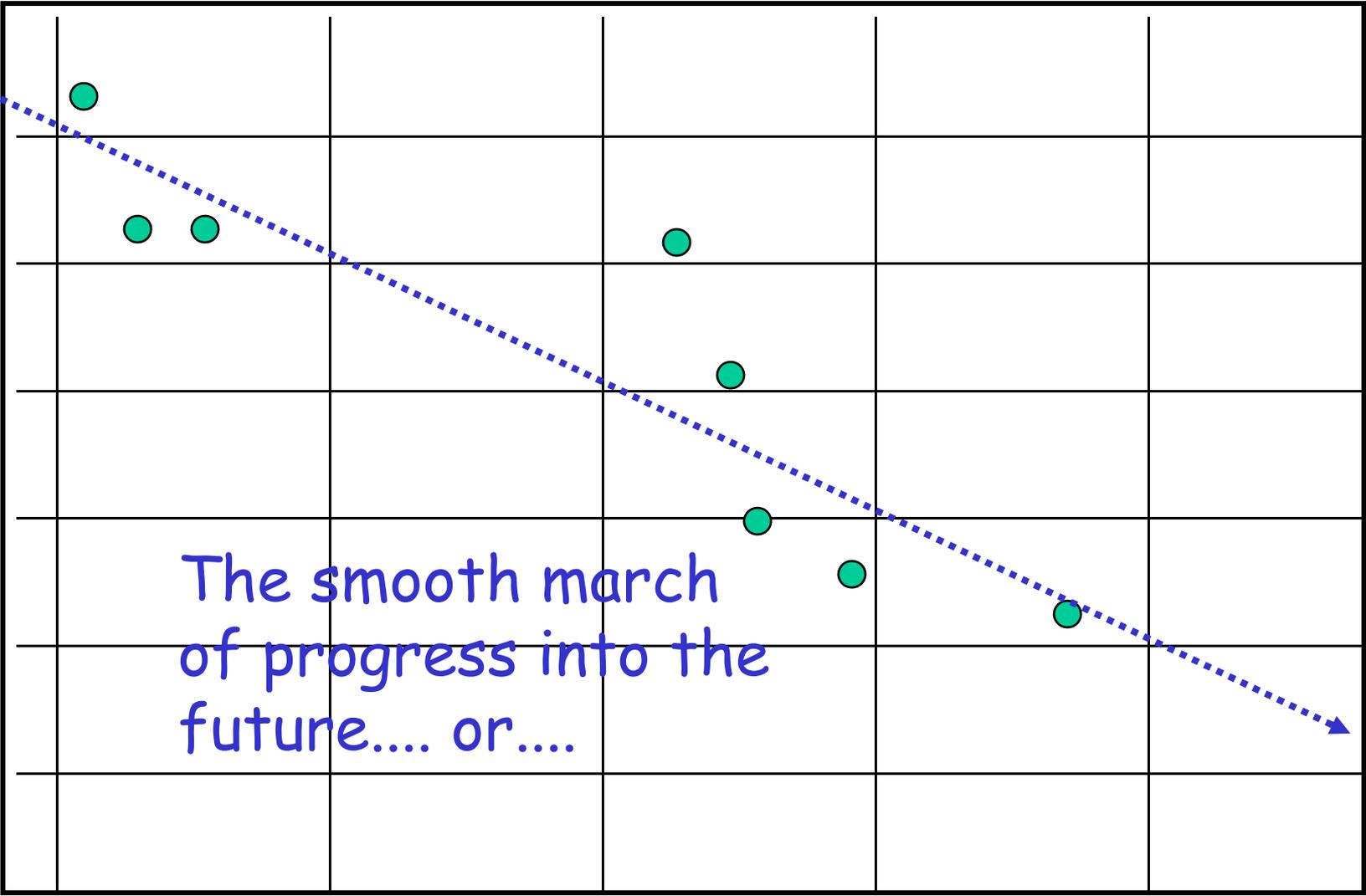


1965 1975 1985 1995 2005 2009

# The Lessons of History: eEDM

Limit on  
eEDM  
(e-cm)

$10^{-23}$   
 $10^{-24}$   
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 $10^{-26}$   
 $10^{-27}$   
 $10^{-28}$   
 $10^{-29}$



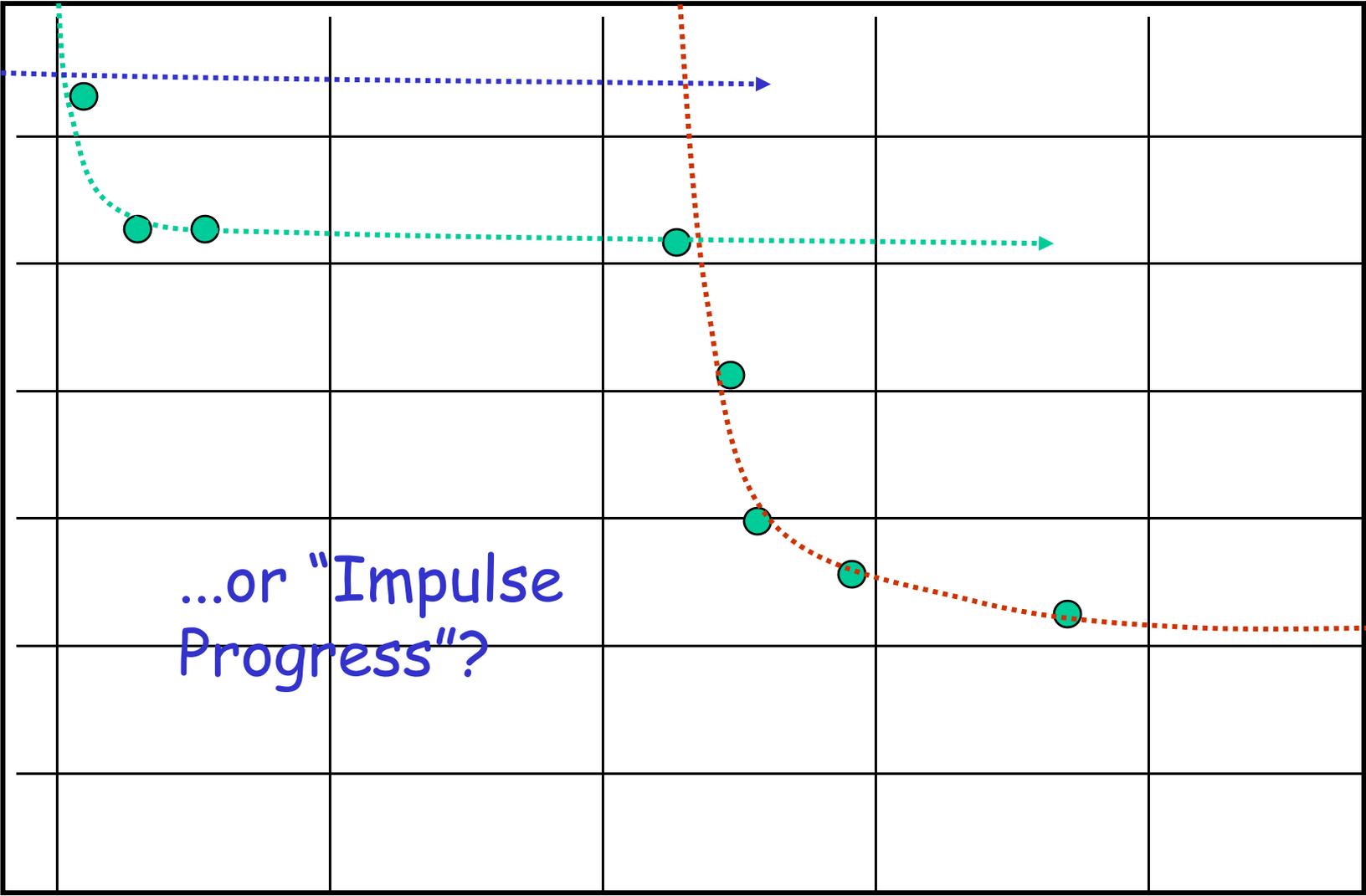
The smooth march  
of progress into the  
future.... or....

1965 1975 1985 1995 2005 2009

# The Lessons of History: eEDM

Limit on  
eEDM  
(e-cm)

$10^{-23}$   
 $10^{-24}$   
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 $10^{-27}$   
 $10^{-28}$   
 $10^{-29}$



...or "Impulse Progress"?

1965 1975 1985 1995 2005 2009

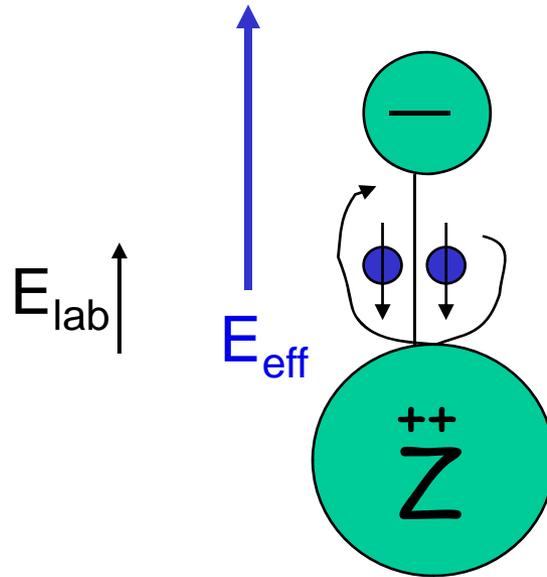
# Current limit, beam of atomic Thallium:

B. Regan, E. Commins, C. Schmidt, D. DeMille, Phys. Rev. Lett. **88**, 071805 (2002)

$$|d_e| < 1.6 \times 10^{-27} \text{ e} \cdot \text{cm} \text{ (90\% c.l.)}$$

	$E_{\text{eff}}$	$\tau$	$\sqrt{N_{\text{eff}}}$
Commins Tl beam	$6 \times 10^7 \text{ V/cm}$	2 msec	$10^9 \text{ s}^{-1}$

Our approach. 1. Use molecule for big  $E_{\text{eff}}$   
(we follow Hinds and Demille in this)

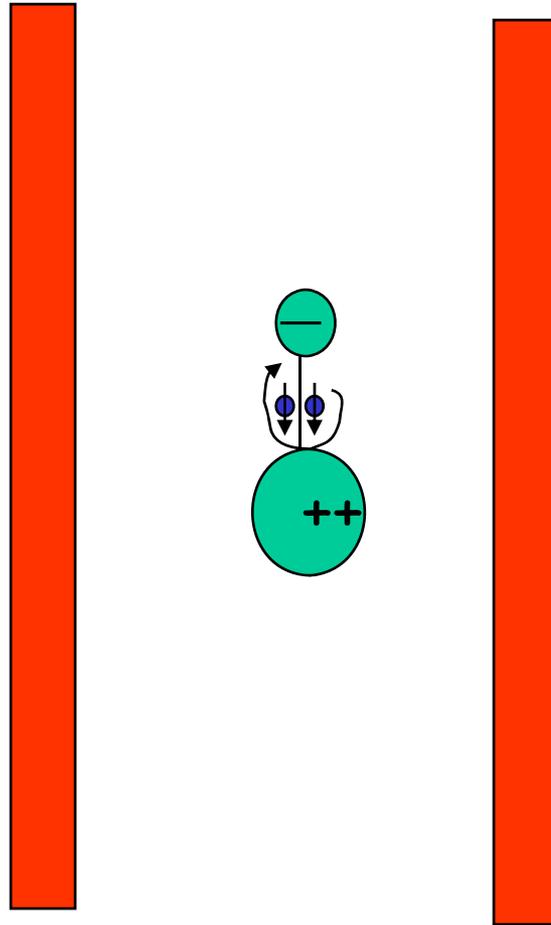


$$E_{\text{lab}} = 10 \text{ V/cm}$$

$$E_{\text{eff}} > 10^{10} \text{ V/cm}$$

Our approach. 2. Use trapped ion for long  $\tau$

(atomic spectroscopy in ion traps sees many seconds )



We will work in  
a linear Paul trap.

# Current limit, beam of atomic Thallium:

B. Regan, E. Commins, C. Schmidt, D. DeMille, Phys. Rev. Lett. **88**, 071805 (2002)

$|d_e| < 1.6 \times 10^{-27} \text{ e}^* \text{cm}$  (90% c.l.)

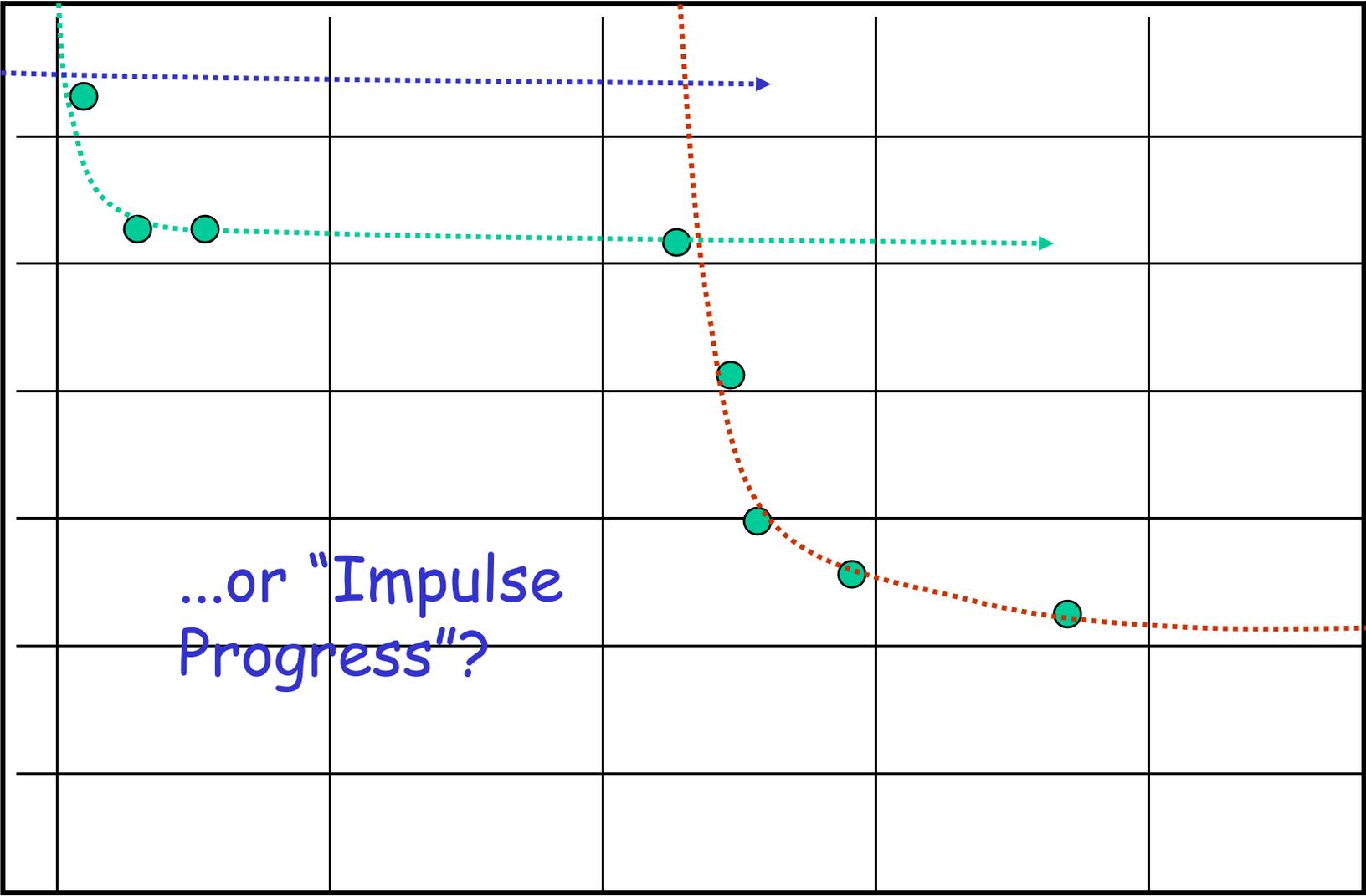
	$E_{\text{eff}}$	$\tau$	$\sqrt{N_{\text{eff}}}$
Commins Tl beam	$6 \times 10^7 \text{ V/cm}$	2 msec	$10^9 \text{ s}^{-1}$
Hinds YbF beam	>		<
DeMille PbO vapor cell	>	<	
Weiss trapped Cs	<	>	<
Heinzen trapped Cs	<	>	<
Gould Cs fountain	<	>	<
Shafer-Ray PbF beam	>		<
Cornell trapped HfF+ or ThF+	>	>	<<

Solid State

# The Lessons of History: eEDM

Limit on  
eEDM  
(e-cm)

$10^{-23}$   
 $10^{-24}$   
 $10^{-25}$   
 $10^{-26}$   
 $10^{-27}$   
 $10^{-28}$   
 $10^{-29}$

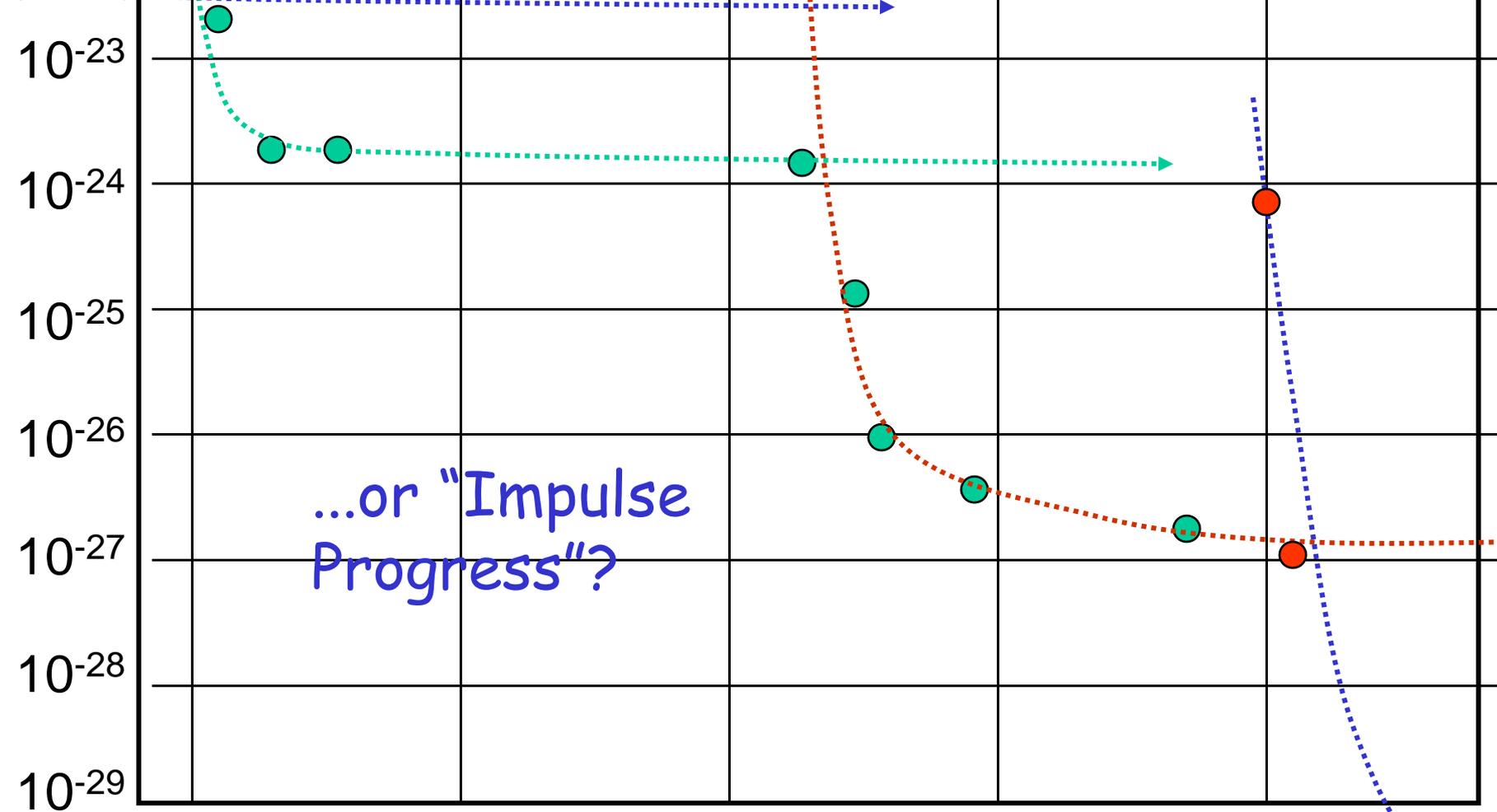


...or "Impulse Progress"?

1965 1975 1985 1995 2005 2009

# The Lessons of History: eEDM

Limit on  
eEDM  
(e-cm)



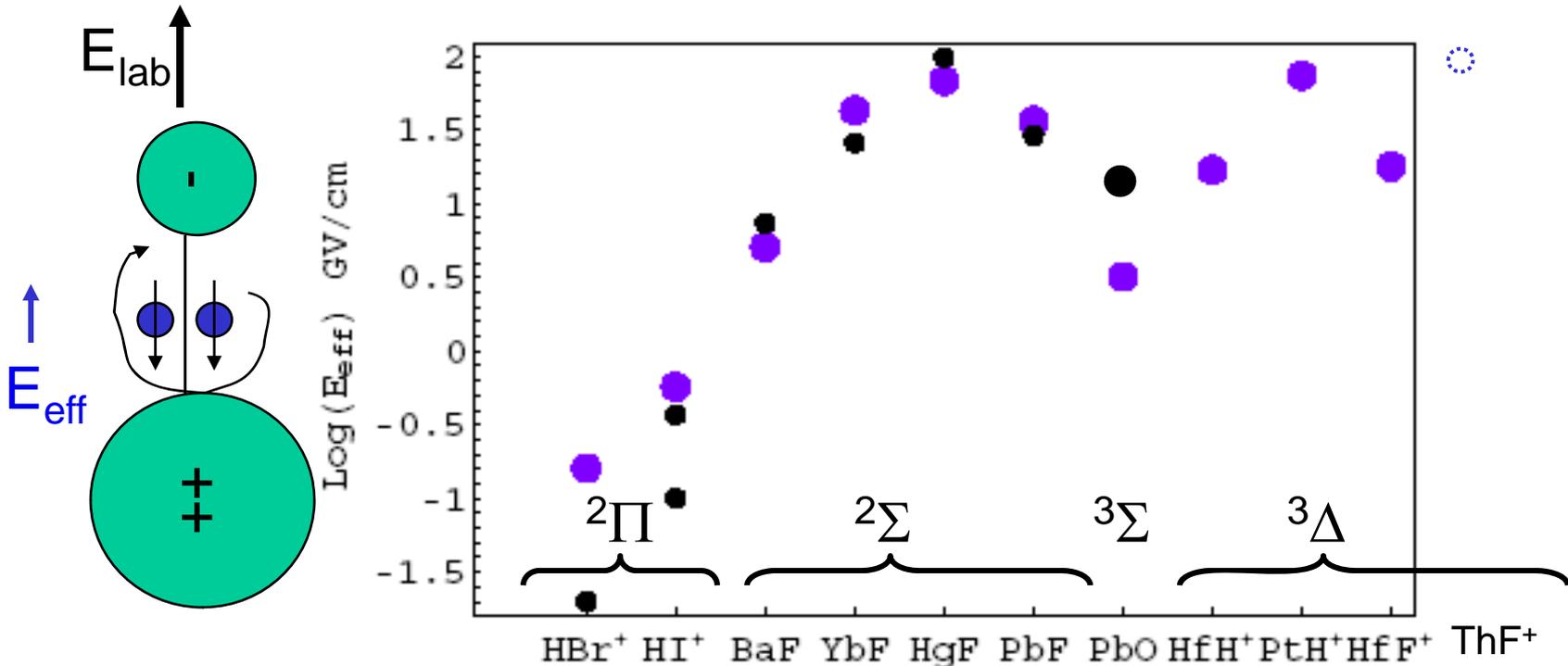
...or "Impulse  
Progress"?

1965 1975 1985 1995 2005 2009

# Candidate Molecular Ions

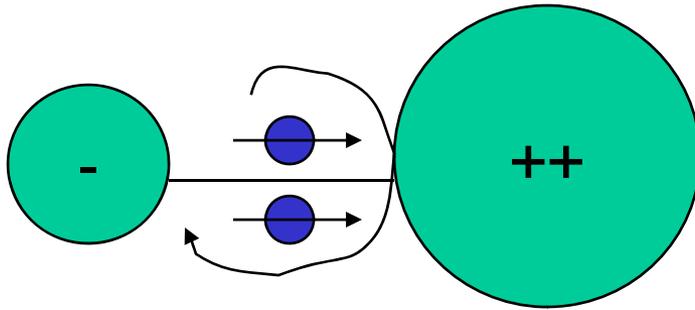
HfF<sup>+</sup> and ThF<sup>+</sup>

- <sup>3</sup>Δ ground states → 1 V/cm to fully polarize
- strong atomic 6s character → large E<sub>eff</sub>



Meyer and Bohn “jiffycalc” points in blue. PRA 73, 062108 (2006)  
 Full-on “one-calculation-equals-one-publication”, various authors, in black, arXiv:physics/0506038 and refs. therein

# Why Use $^3\Delta_1$ state of molecule?



$$\vec{L} \cdot \hat{z} = 2, \quad \hat{s} \cdot \hat{z} = -1$$

$$g \approx 0 \quad (= 0.03\mu_B)$$

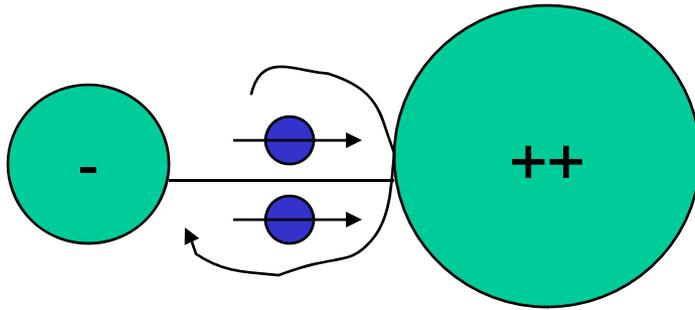
Thallium:  $E_{\text{lab}} = 10^5 \text{ V/cm}$   $E_{\text{eff}} = 6 \times 10^7 \text{ V/cm}$   $\mu_{\text{mag}} = 1.0 \mu_B$

HfF<sup>+</sup> or ThF<sup>+</sup>:  $E_{\text{lab}} = 10^1$   $E_{\text{eff}} = 1.5 \times 10^{10}$   $\mu_{\text{mag}} = 0.03$

E-field-systematic Figure-of-merit:  $E_{\text{eff}} / (E_{\text{lab}} \mu_{\text{mag}})$

Our experiment is  $>10^7$  to the good. Probably will not even need mu-metal shielding.

# Why Use $^3\Delta_1$ state of molecule?



$$\vec{L} \cdot \hat{z} = 2, \quad \hat{s} \cdot \hat{z} = -1$$

$$g \approx 0 \quad (= 0.03 \mu_B)$$

Thallium:  $E_{\text{lab}} = 10^5 \text{ V/cm}$   $E_{\text{eff}} = 6 \times 10^7 \text{ V/cm}$   $\mu_{\text{mag}} = 1.0 \mu_B$

HfF<sup>+</sup> or ThF<sup>+</sup>:  $E_{\text{lab}} = 10^1$   $E_{\text{eff}} = 1.5 \times 10^{10}$   $\mu_{\text{mag}} = 0.03$

Figure-of-merit:  $E_{\text{eff}} / (E_{\text{lab}} \mu_{\text{mag}})$

Our experiment is  $>10^7$  to the good

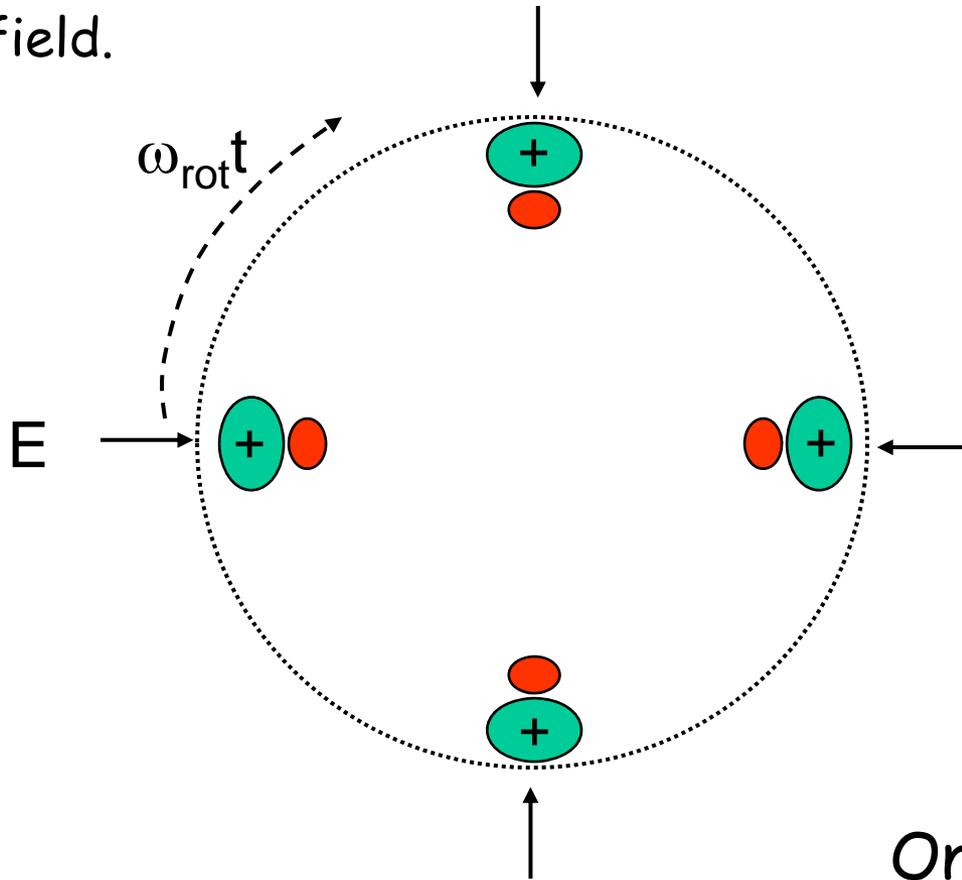
????? But even 10 V/cm is enough to make an ion accelerate out of trap?????

# !!!!Use rotating E-field bias!!!!

-E-field defines quantization axis

-Excellent rejection of lab-frame residual

B-field.



$\omega_{\text{rot}}$  is:

BIG enough that radius of "micromotion" circle is small compared to trap size.

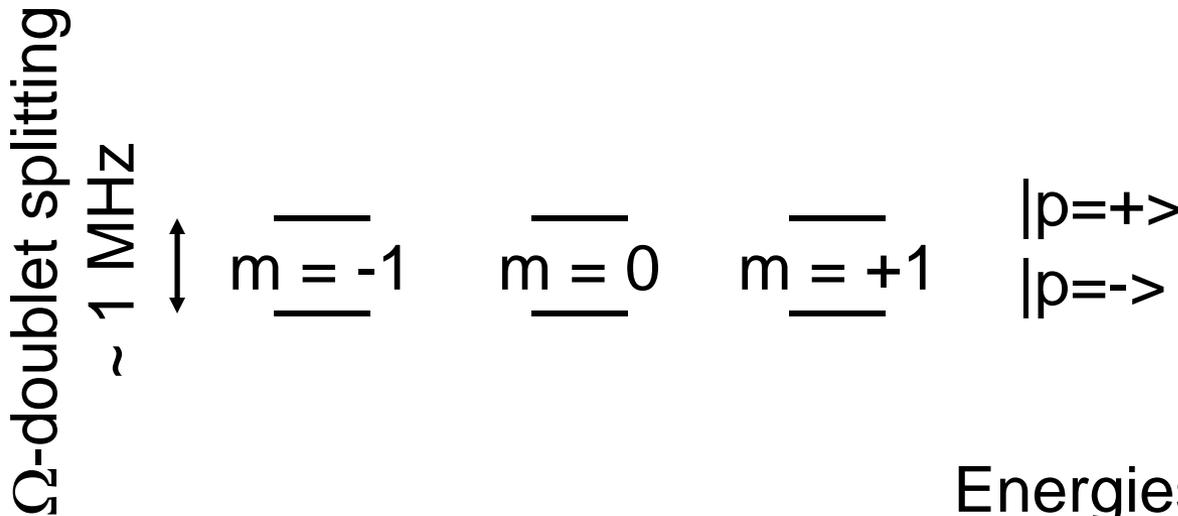
SMALL enough so that  $d_{\text{mol}} E \gg \omega_{\text{rot}}$  and the molecule axis stays aligned with E.

One does Zeeman-level spectroscopy then in the rotating frame.

# Experimental Procedure

HfF<sup>+</sup>  $^3\Delta_1$  J=1 ground state

- $\Omega$ -doublet splitting  $\sim 1$  MHz



Energies not to scale.  
Nuclear spin of  $\frac{1}{2}$   
excluded for clarity.

An aside about lambda, or omega doubling.

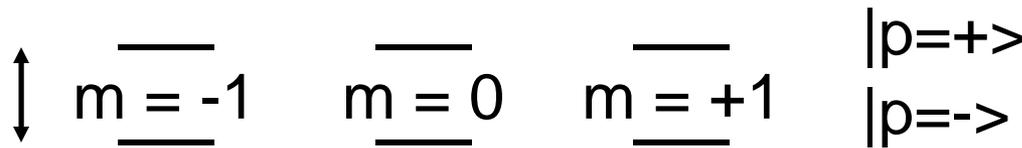
# Experimental Procedure

HfF<sup>+</sup>  $^3\Delta_1$  J=1 ground state

- $\Omega$ -doublet splitting  $\sim 1$  MHz

$\Omega$ -doublet splitting

$\sim 1$  MHz

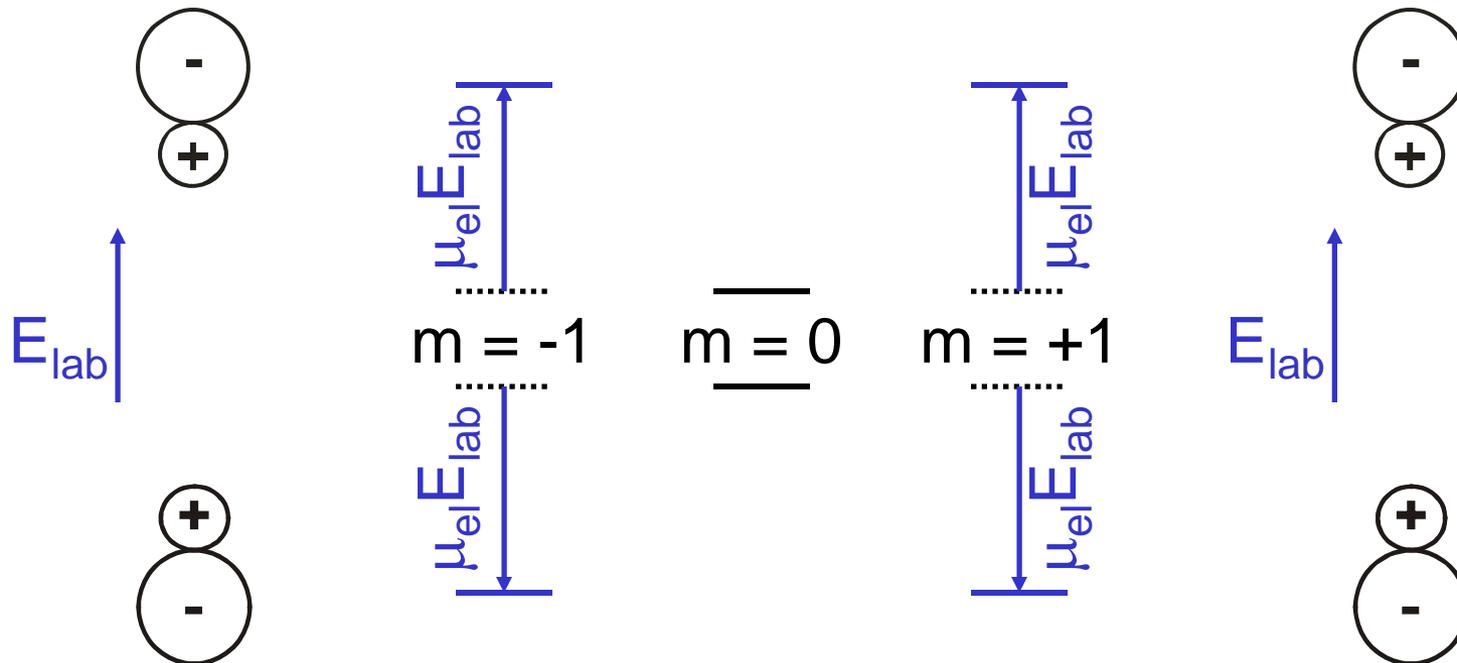


Energies not to scale.  
Nuclear spin of  $\frac{1}{2}$   
excluded for clarity.

# Experimental Procedure

HfF<sup>+</sup>  $^3\Delta_1$  J=1 ground state

- Electric field 1 V/cm mixes states of opposite parity.

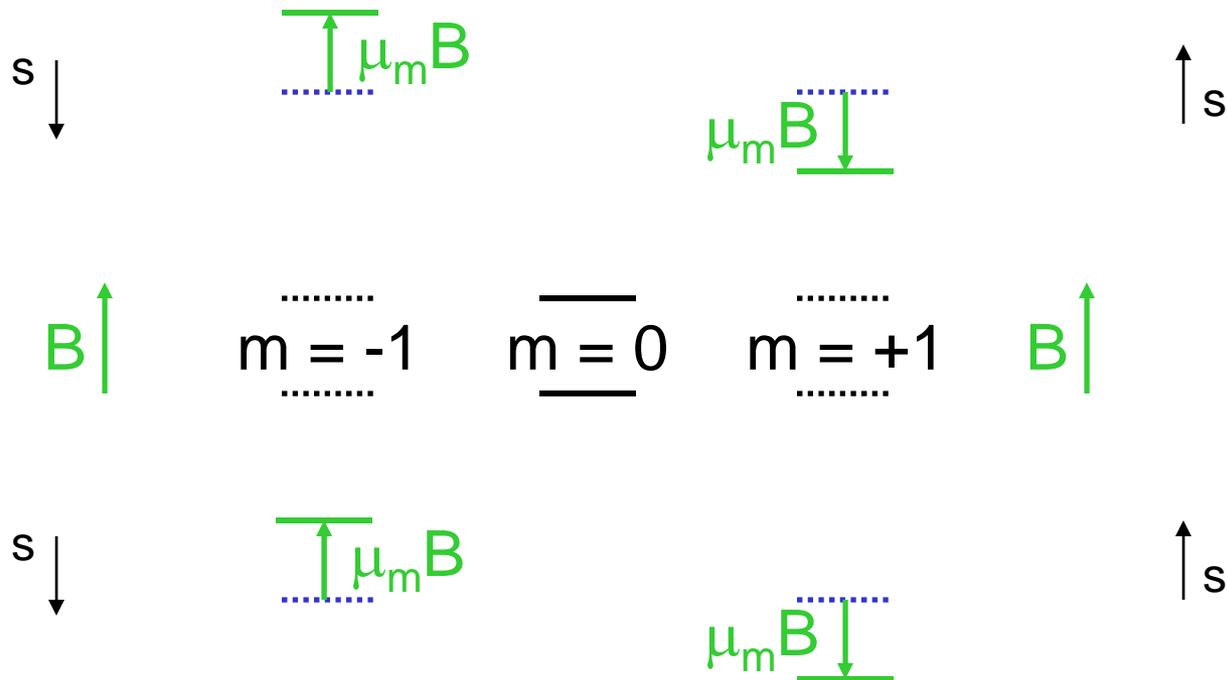


Energies not to scale.

# Experimental Procedure

HfF<sup>+</sup>  $^3\Delta_1$  J=1 ground state

- Magnetic field lifts degeneracy between  $|m|=1$  levels.

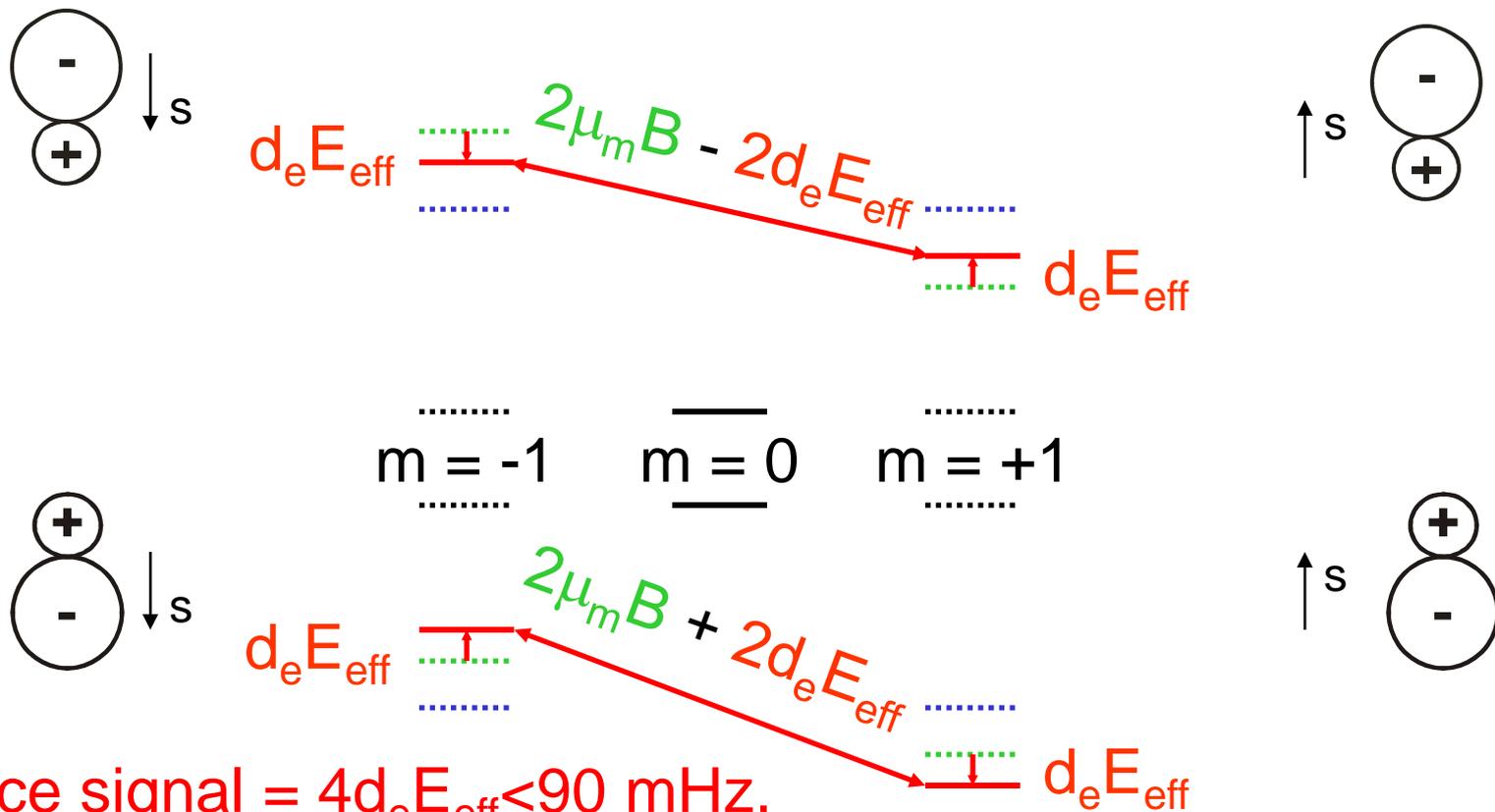


Energies not to scale.

# Experimental Procedure

ThF<sup>+</sup> <sup>3</sup>Δ<sub>1</sub> J=1 ground state

- Electron EDM shifts the  $|m|=1$  levels in opposite directions in the two  $\Omega$ -doublet levels.



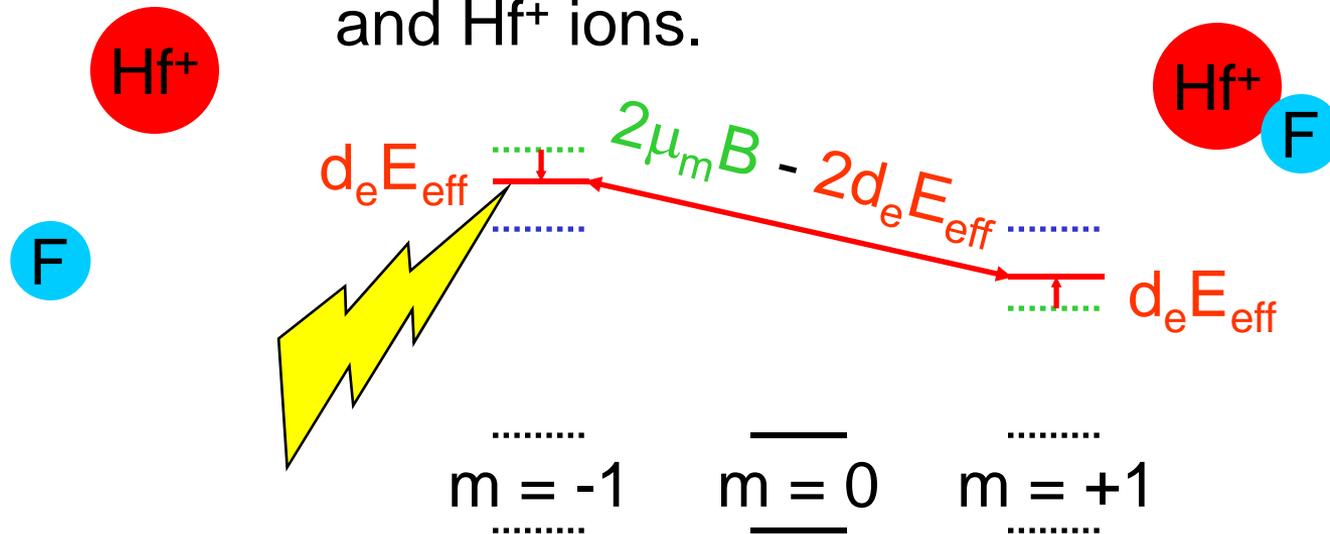
Science signal =  $4d_e E_{\text{eff}} < 90$  mHz,  
out of "Berry's offset" of 250 kHz

Energies not to scale.

# Experimental Procedure

HfH<sup>+</sup> <sup>3</sup>Δ<sub>1</sub> J=1 ground state

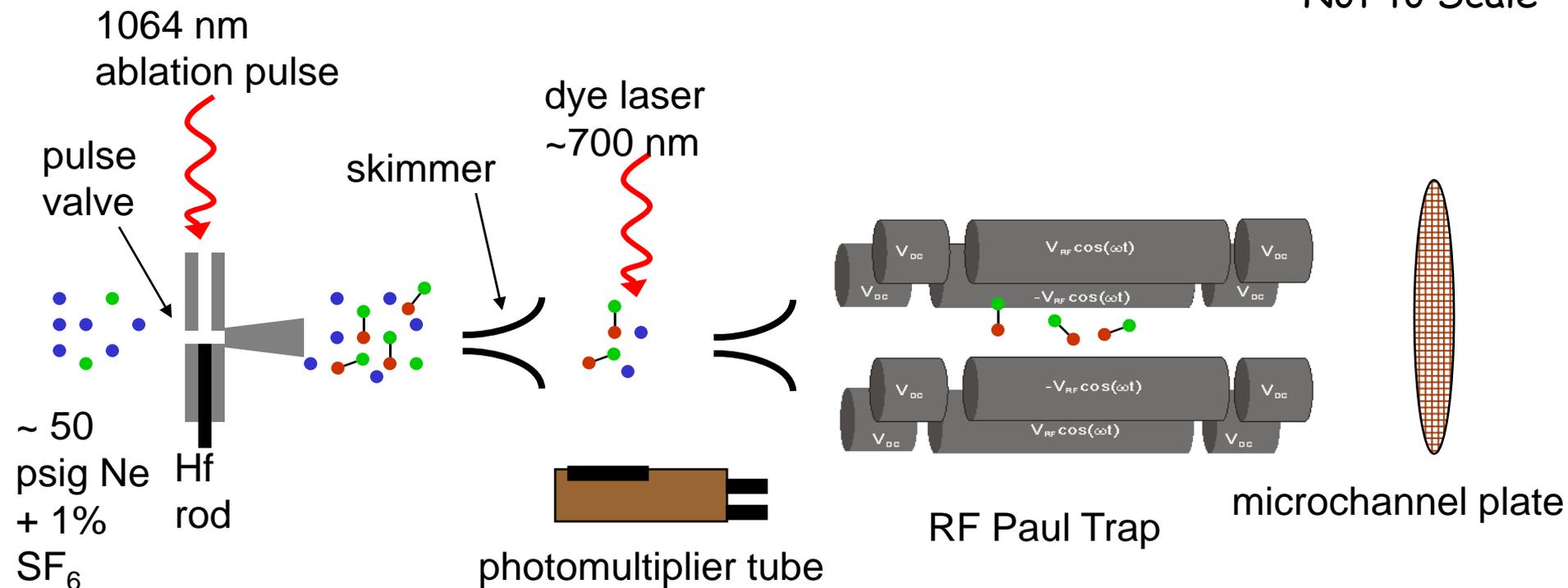
- Perform electron spin resonance (ESR) frequency measurement via the Ramsey Method.
- Photodissociate one spin state and count HfH<sup>+</sup> and Hf<sup>+</sup> ions.



Energies not to scale.

# Current Experimental Progress

Not to Scale



## *Laser Ablation in a Supersonic Jet*

- Creation of  $\text{HfF}^+$ ,  $\text{ThF}^+$
- Cooling of rotational, vibrational and translational motion

## *Fluorescence Spectroscopy*

- Measure rotational temperature of neutral  $\text{HfF}$  molecular beam

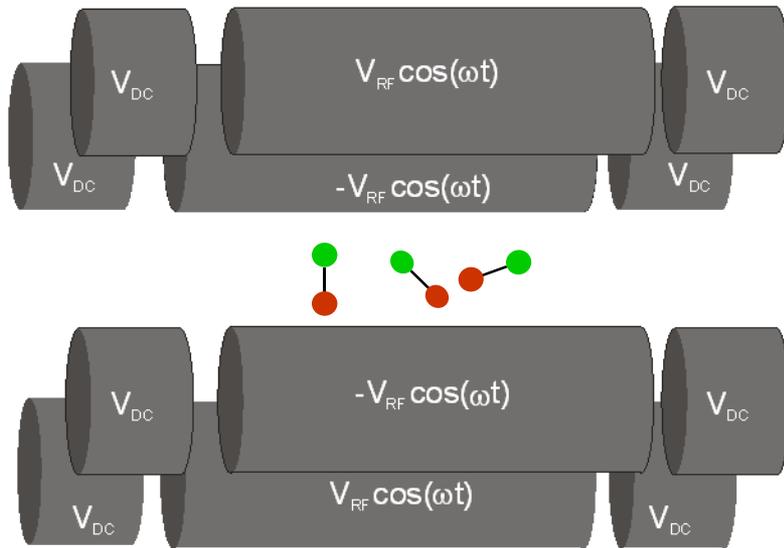
## *Mass Spectrometry*

- Trap  $\text{Hf}^+$ ,  $\text{HfF}^+$ ,  $\text{HfF}_2^+$ ,  $\text{HfF}_3^+$ ,  $\text{Th}^+$ ,  $\text{ThF}^+$ ,  $\text{ThF}_2^+$ ,  $\text{ThF}_3^+$

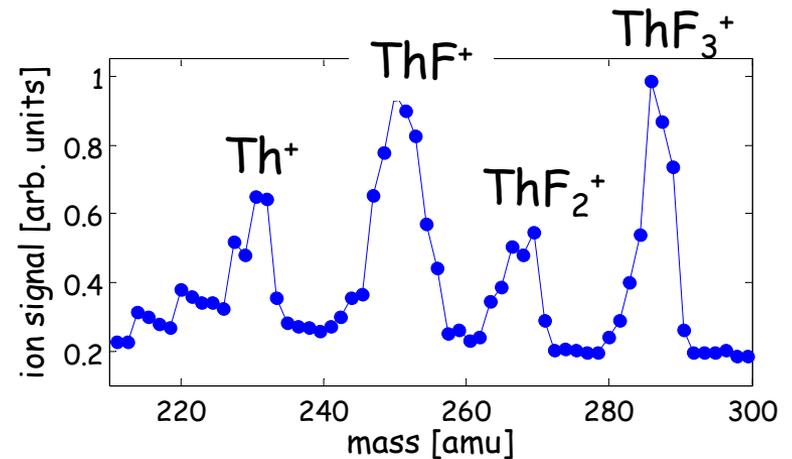
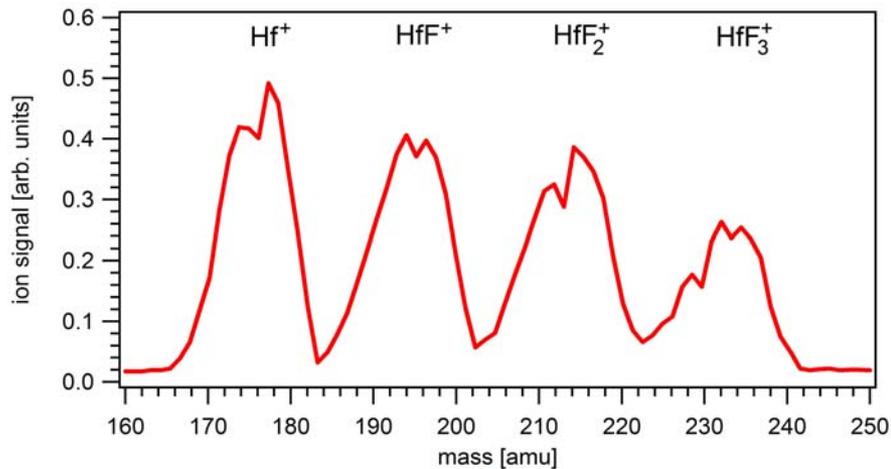
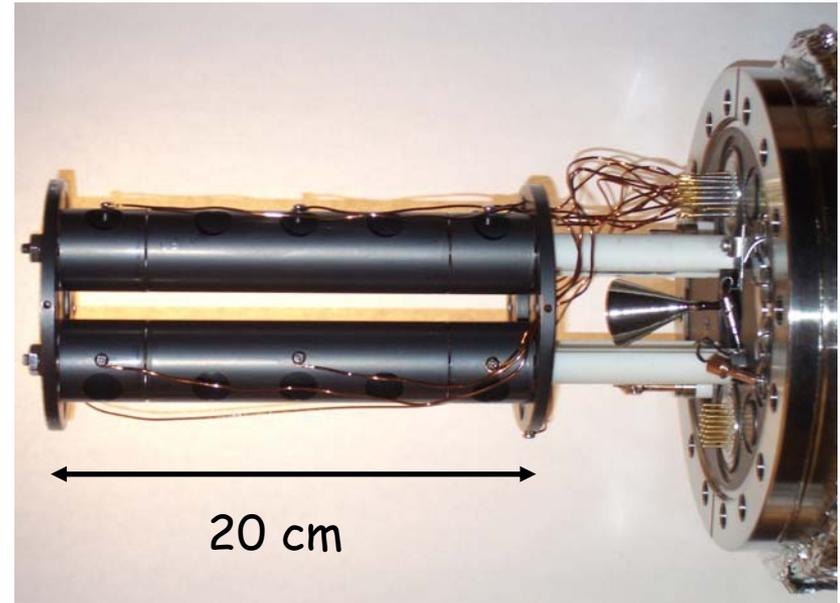
## *Ion Beam Imaging*

- Measure translational temperature of ion beam

# Molecular Ion Production and Trapping

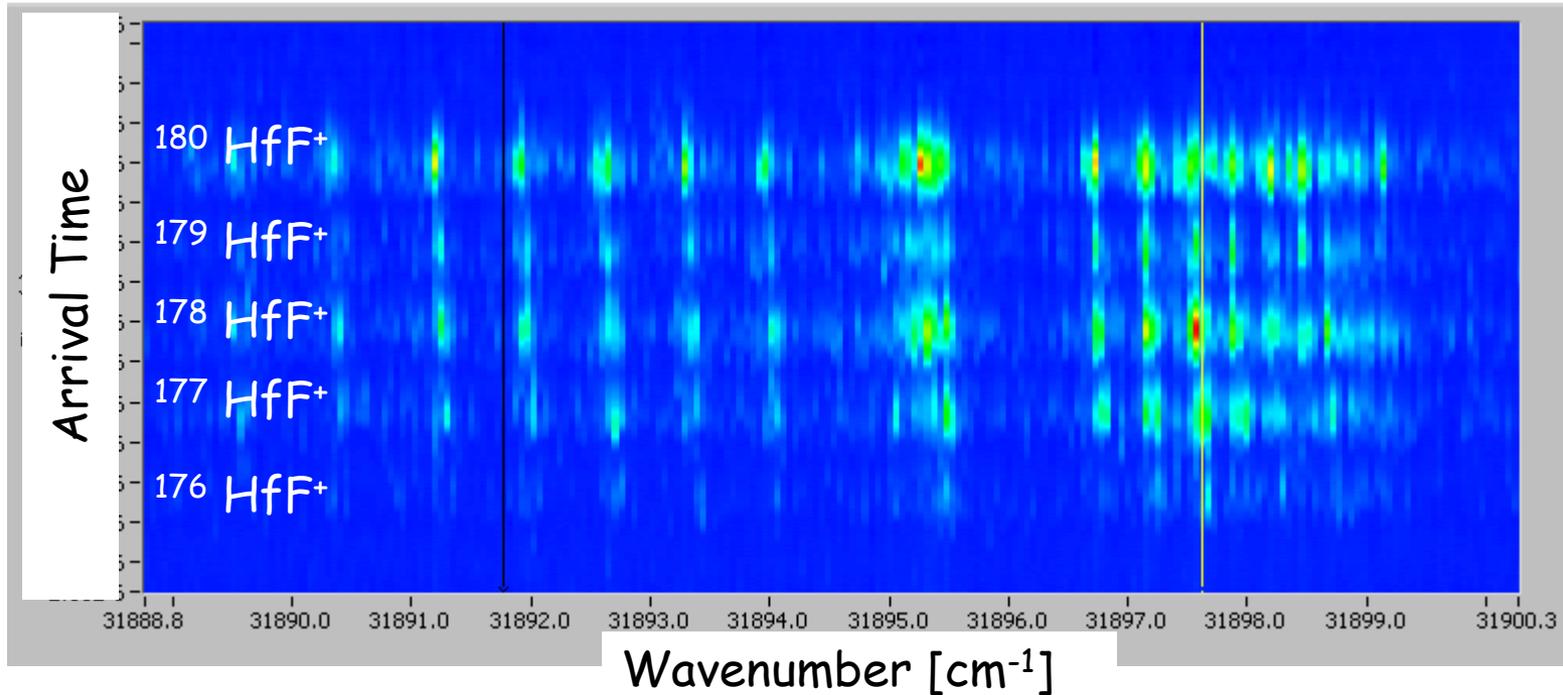


RF Paul Trap and Quadrupole Mass Filter



# 1 amu Mass Resolution for Time of Flight Mass Spectrometry

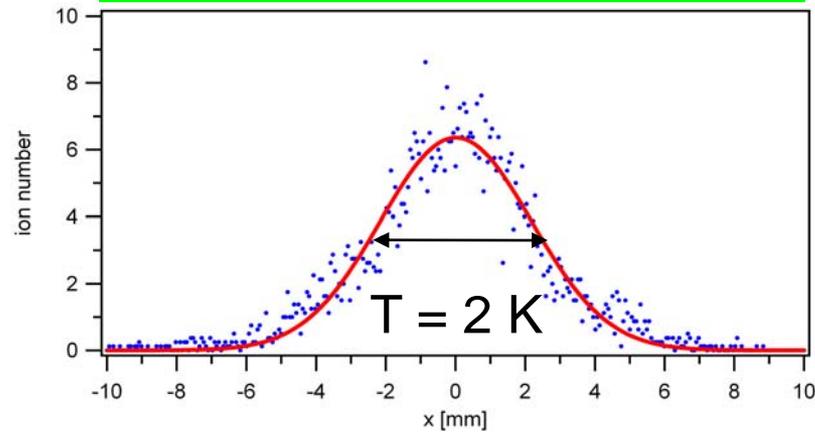
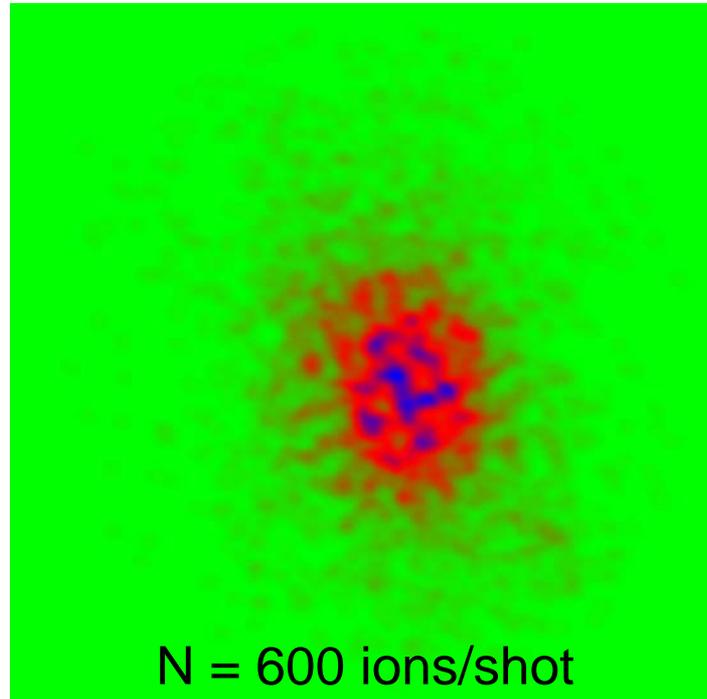
Data from 2-photon REMPI from HfF  $X^2\Delta_{3/2}$



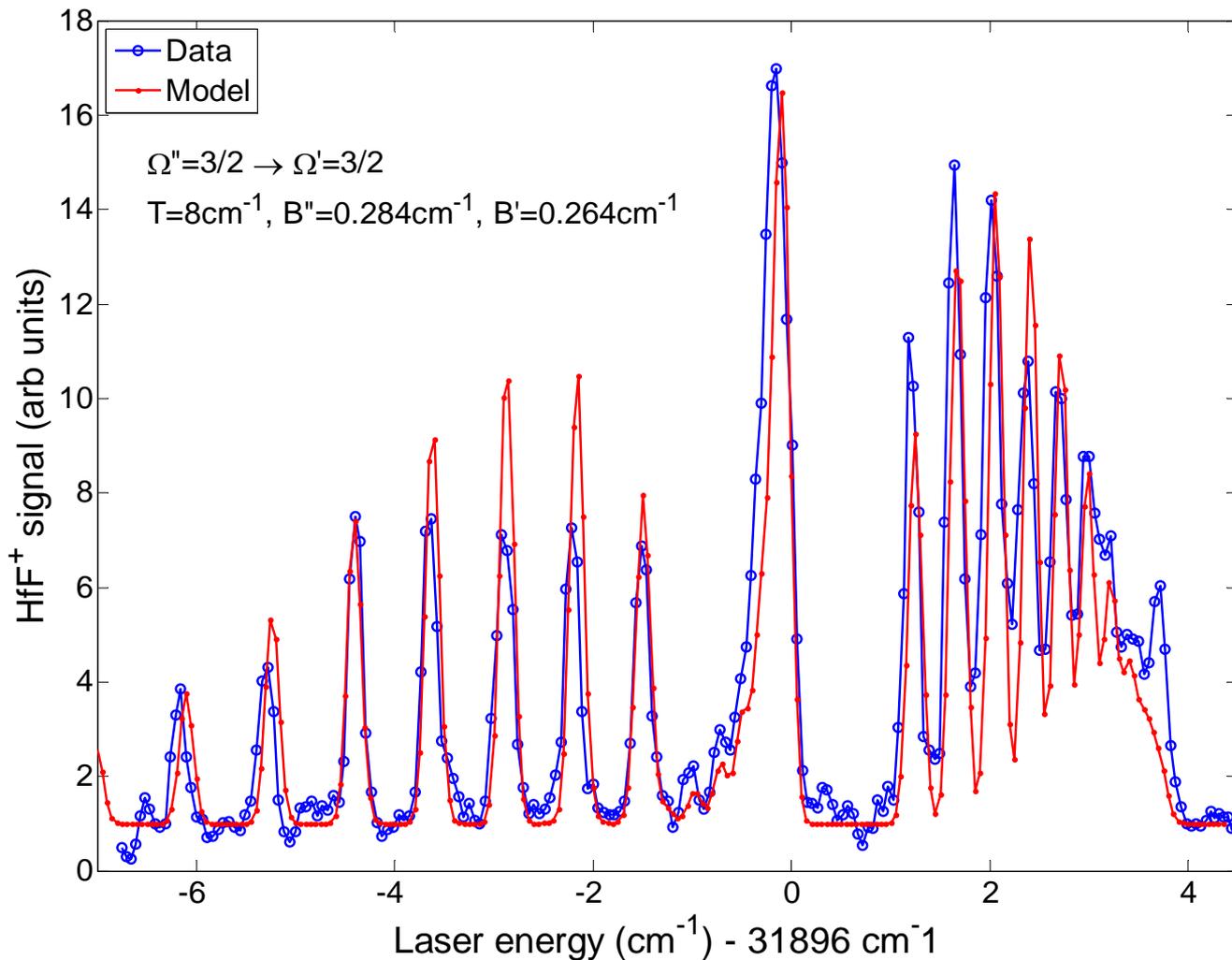
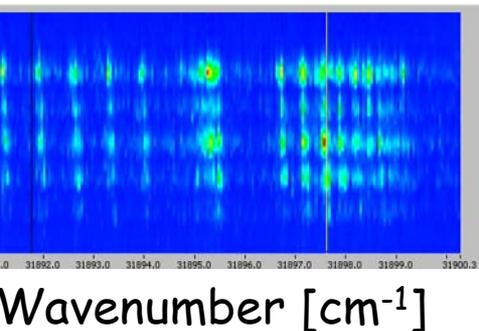
# Characterizing Temperatures

- Only get to use molecules in **one** electronic, vibrational and rotational state for measurement
- Ions not in the right state can still collide leading to decoherence
- Decoherence depends on temperature
  - Too hot → Ions see inhomogeneous fields
  - As temperature decreases Ion-Ion collision rate increases

# Supersonic Expansion and Translational Cooling

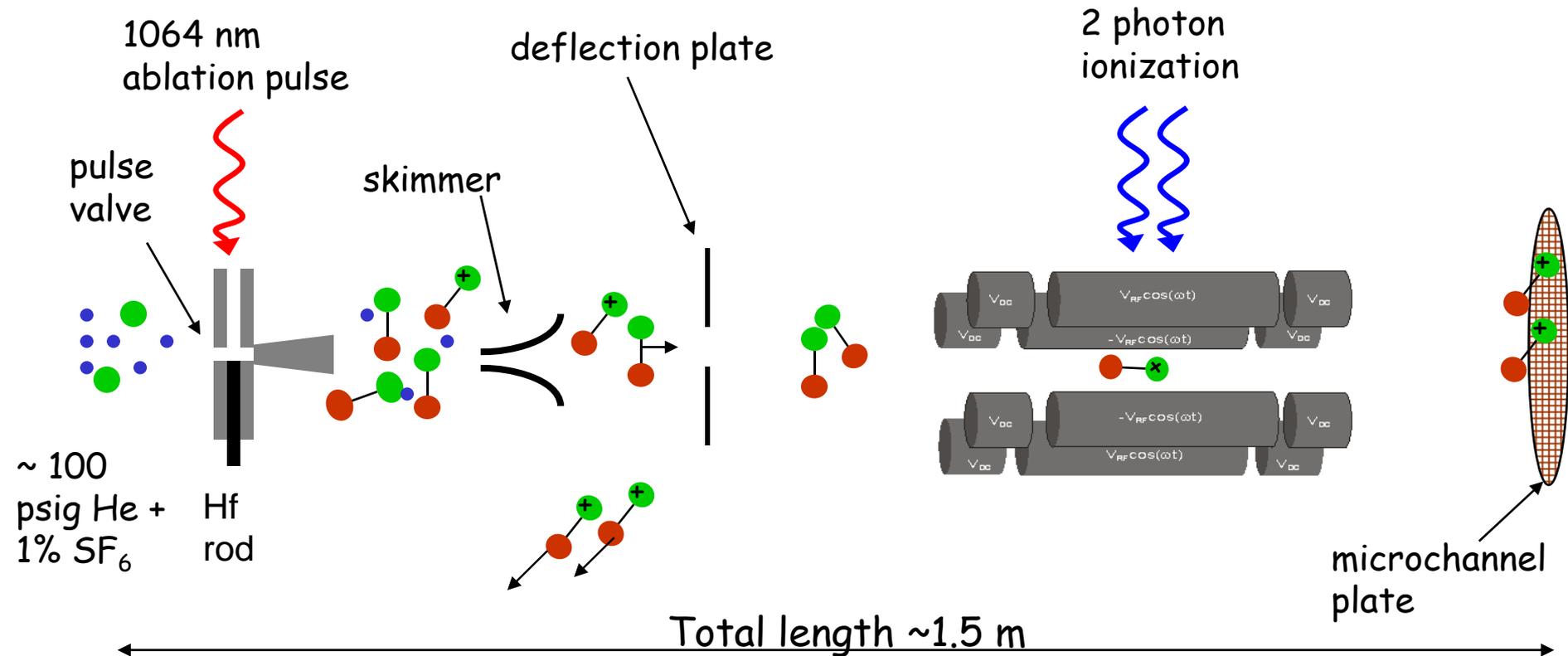


# Neutral HfF states observed via 2 photon ionization show low rotational temperatures



# Rethinking Ion Trap Loading

Create pre-polarized sample of ions via 2 photon process

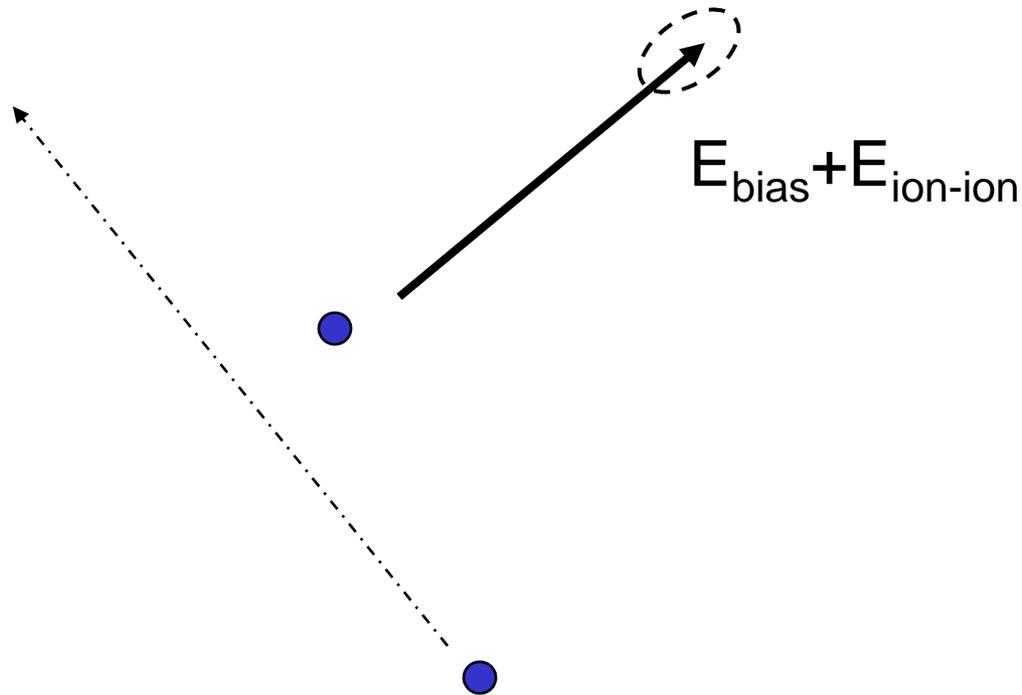


Not to Scale

# Current Experiment Status

- ✓ Created and Trapped HfF<sup>+</sup> and ThF<sup>+</sup>
- ✓ Mass resolution to distinguish 1 amu differences
- ✓ Characterized supersonic expansion and beam
- ✓ Internal and External temperatures in the right range for final experiment
- ✓ Theoretical considerations of Berry's phase and decoherence effects
  - o Ongoing survey spectroscopy of HfF<sup>+</sup> and ThF<sup>+</sup>
  - o Ongoing development of methods for loading trap with ions pre-polarized
  - o Spin level readout and characterization of coherence times
  - o On to measurement of the electron EDM...

The decohering effects of ion-ion collisions:



Ion picks up a little random Berry's phase with each near miss.

$$\tau_{\text{cohere}} \propto n_{\text{ion}}^{-1}$$

Sensitivity to EDM fairly flat with  $N_{\text{ion}}$ , but  $N_{\text{usable}}/N_{\text{ion}}$  is critical. (And rather uncertain).

# Sensitivity Estimate

$$|d_e| < \frac{h}{2E_{\text{eff}}\tau\sqrt{N}}$$

- $N = 10$  ions/shot ( $10^7$  ions/day)
- $E_{\text{eff}} = 9 \times 10^{10}$  V/cm
- $\tau = 0.1$  second

proj. sensitivity:  $|d_e| < \text{few} \times 10^{-29} \text{ e}^* \text{cm}$  with 1 day of data

# Systematic Error Rejection. Key Chops.

Chop:	B	E	$E/E_{\text{eff}}$	$v$	Other
Tl beam	Y	Y	N	Y	
YbF beam	Y	Y	N	N*	
PbO vapor cell	Y	Y	Y	N*	
trapped Cs	Y	Y	N	Trap	
Cs fountain	Y	Y	N	N	
PbF beam	Y	Y	N	N*	
Trapped MF+	Y	N	Y	→	Rotation sense



Systematics bottom line:

We haven't thought of a killer systematic at the  $10^{-28}$  level yet. We will have a number of powerful techniques for smoking out unforeseen ones.

In the end, we've got to try it.

# Test of Physics Beyond the Standard Model

