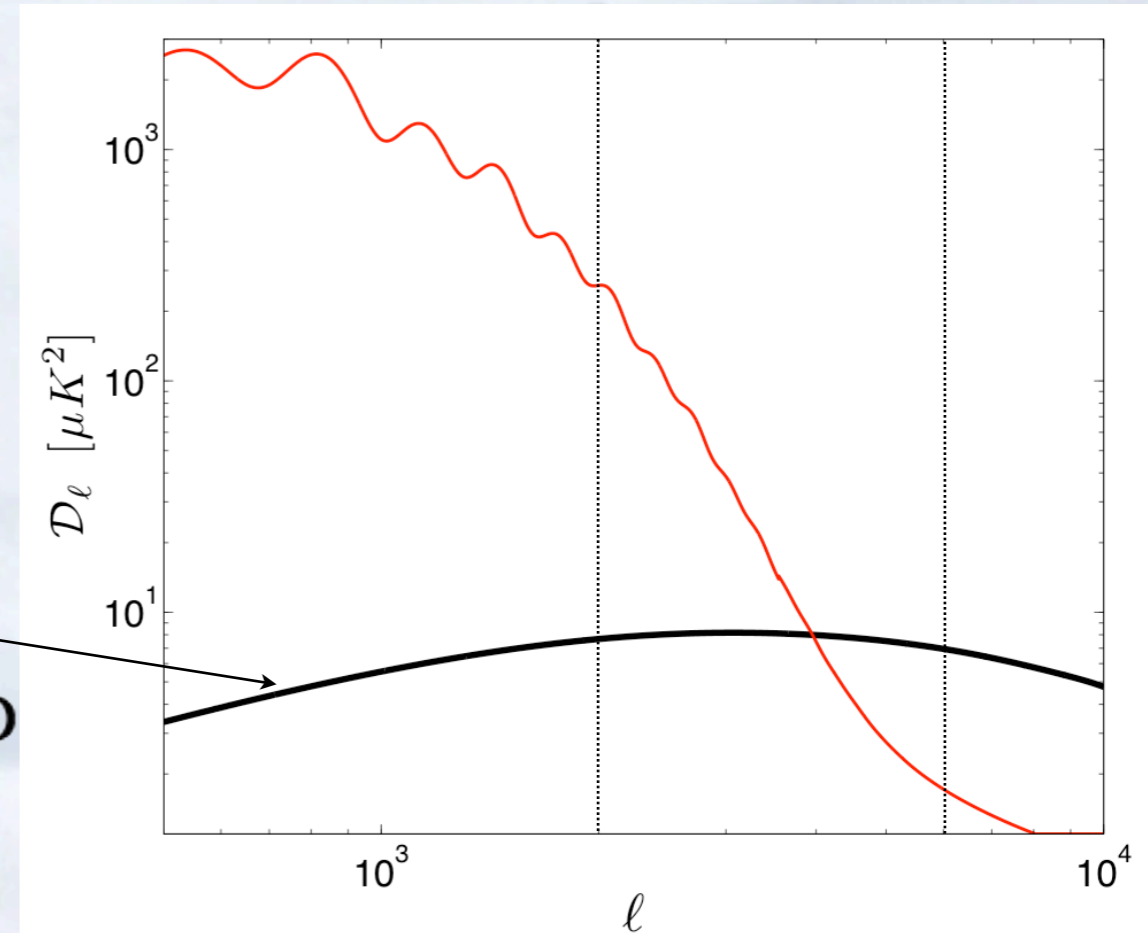
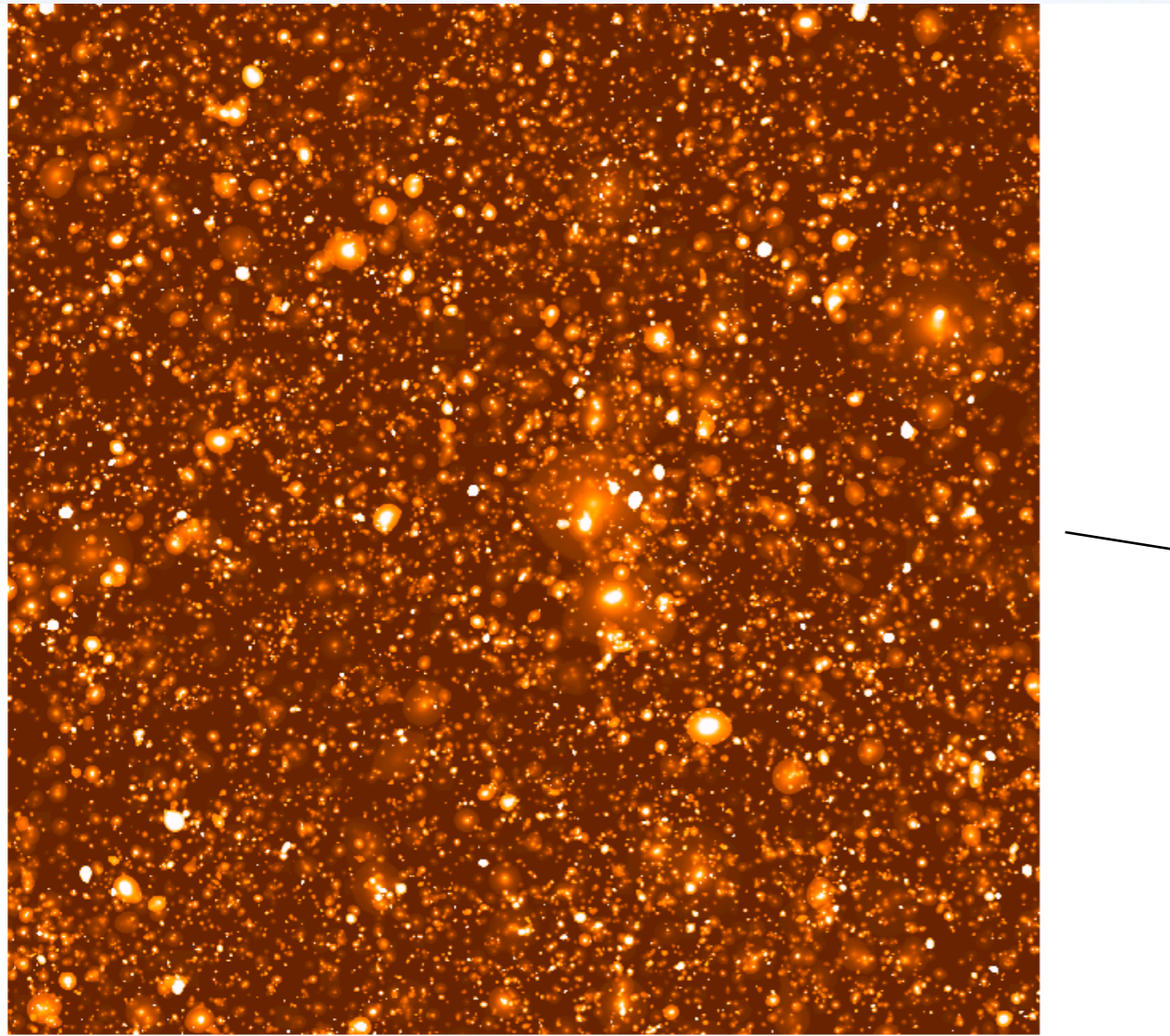


Probing ICM physics with the thermal SZ Power Spectrum

Statistical detection of SZ by searching for anisotropy power at small angular scales



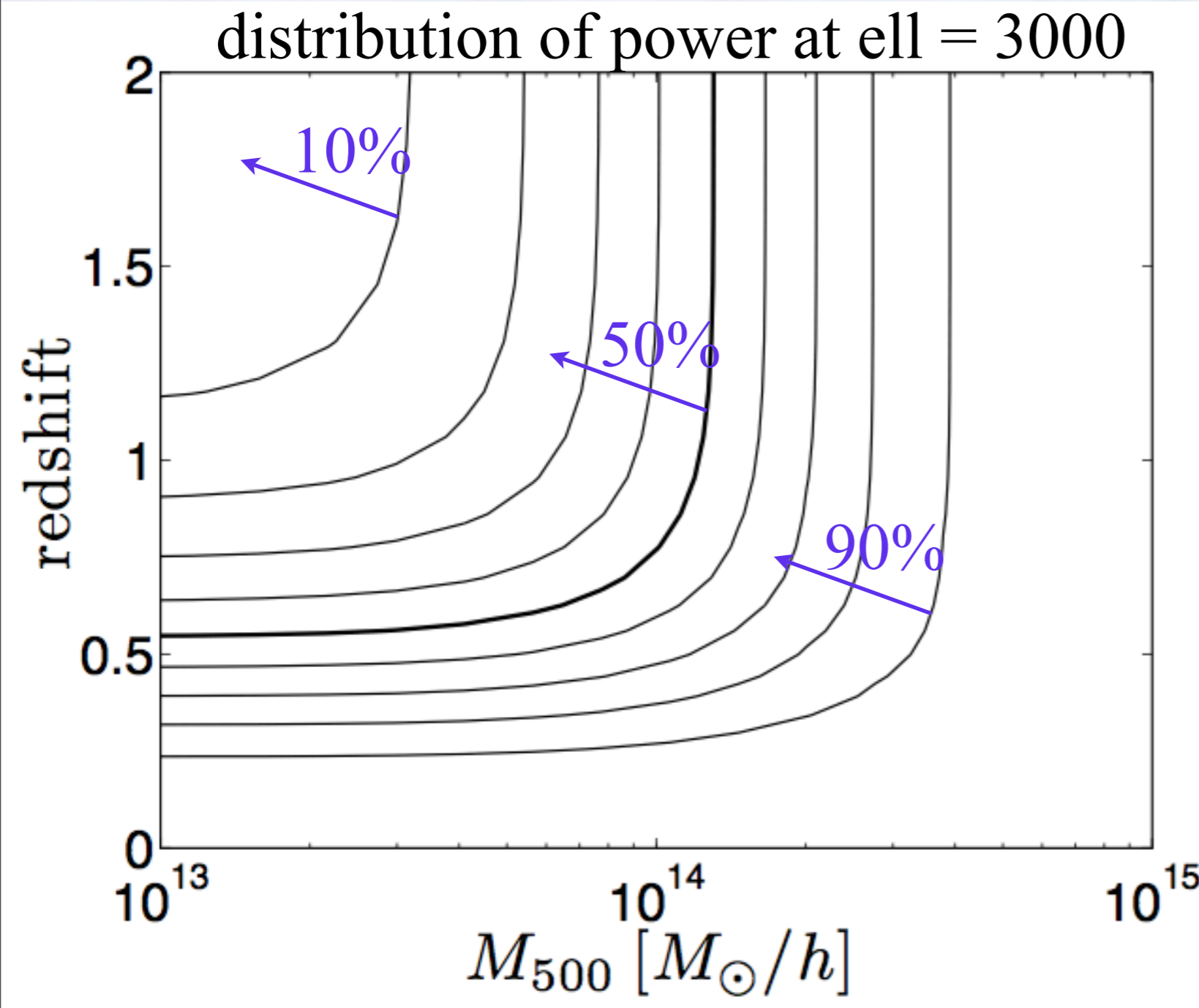
$$C_\ell \propto \sigma_8^{7-9} (\Omega_b h)^2$$

simulated tsz map

10deg

Sensitive to the total integrated electron pressure from now out to the epoch of reionization

Where does power come from?



Direct Observations

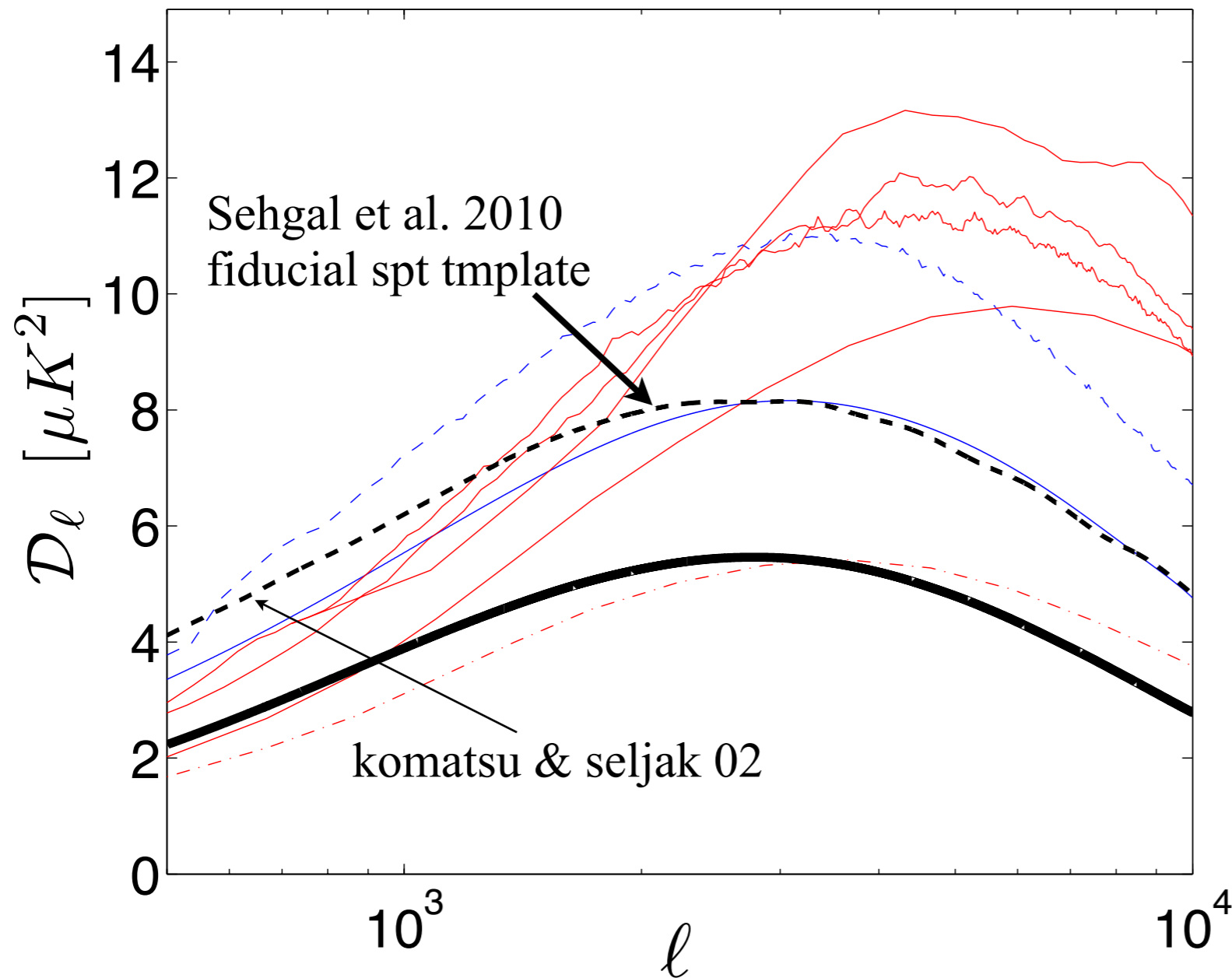
| | | |
|-----------|------|------|
| $z > 0.6$ | none | few |
| $z < 0.6$ | few | lots |

$< 2 \times 10^{14} M_{\text{sun}}$ $> 2 \times 10^{14} M_{\text{sun}}$

mass

Low mass high redshift contribution significant.

models and simulations



hydro sims

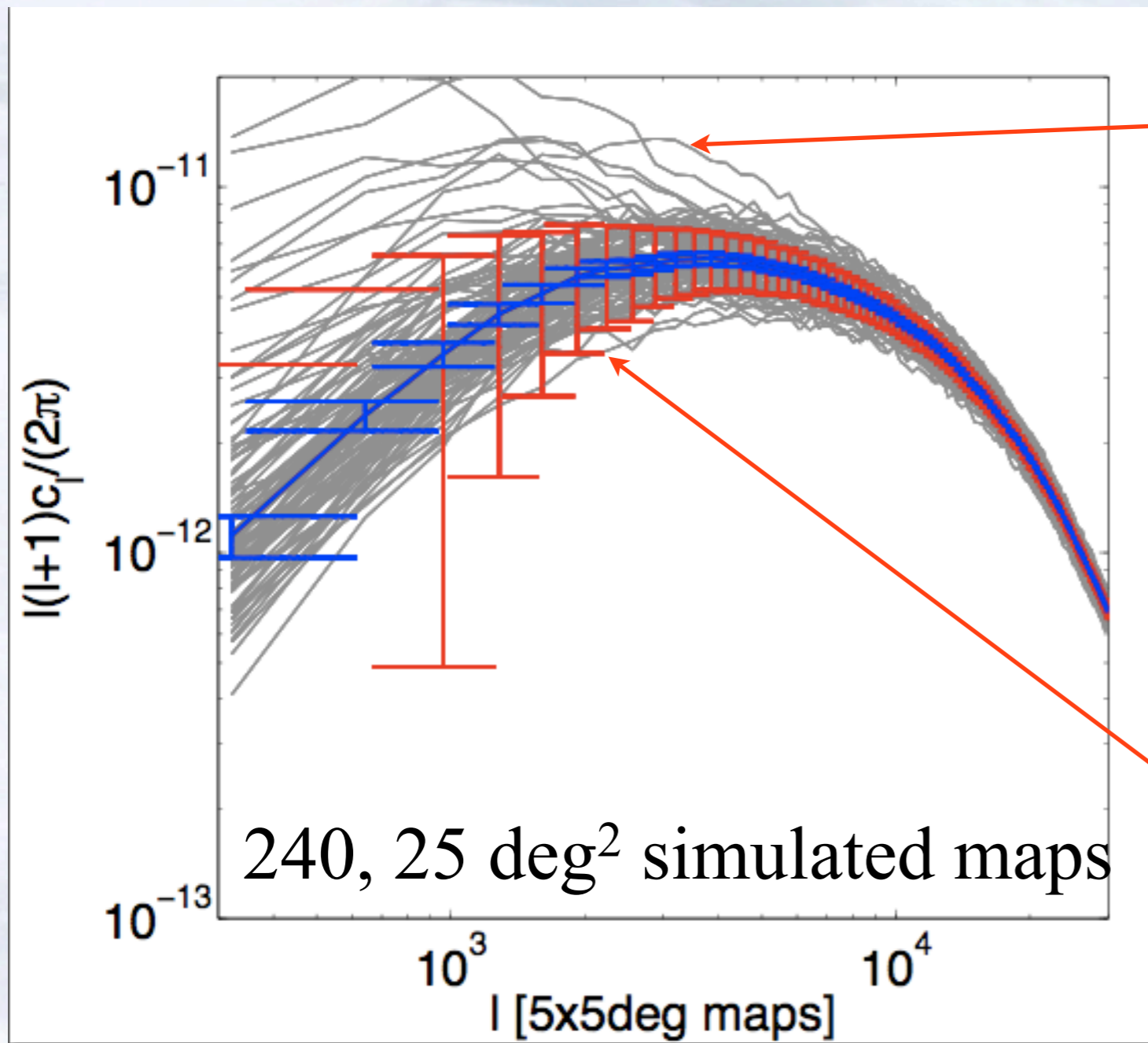
Dolag et al. 07
Battaglia et al. 10
Springel et al. 01
D. Rudd (PC)

**semi-analytic
models**

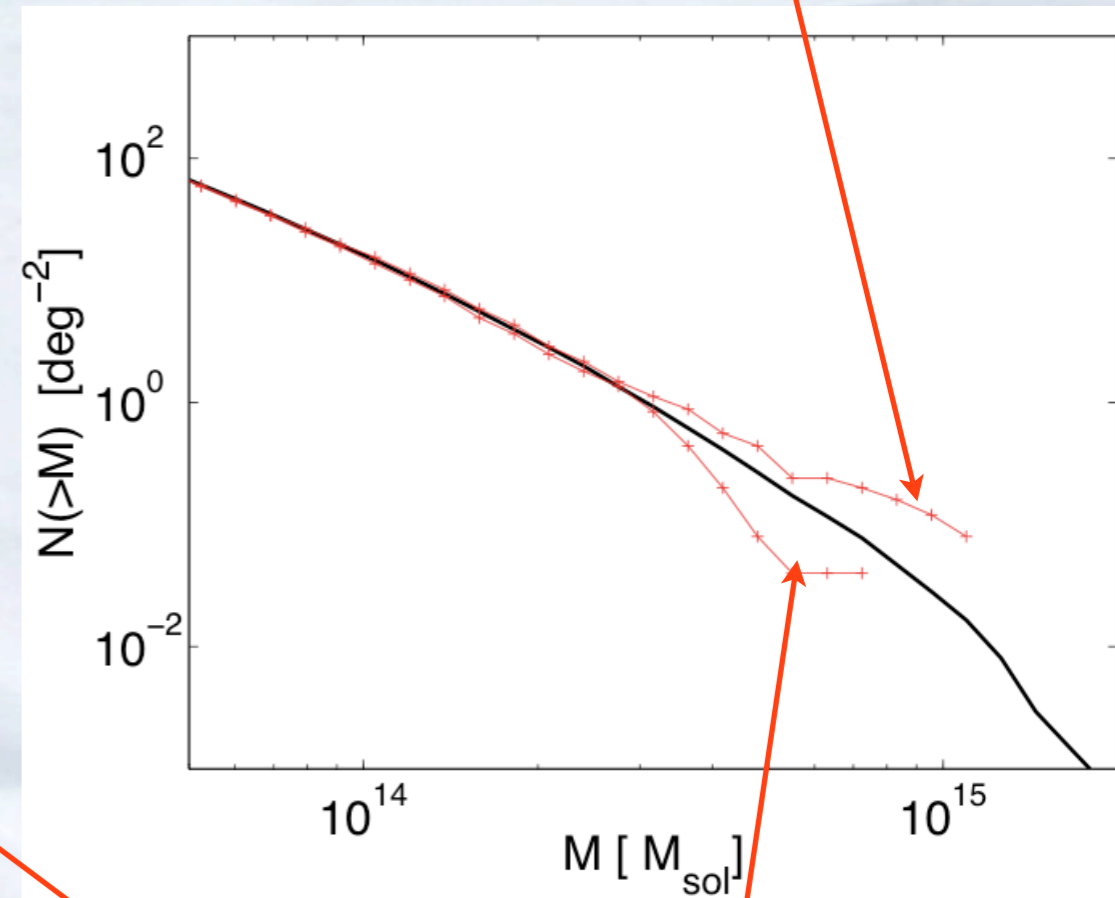
analytic models

**Variations in ICM physics source large variations
in amplitude AND shape of signal**

Simulations require large volumes



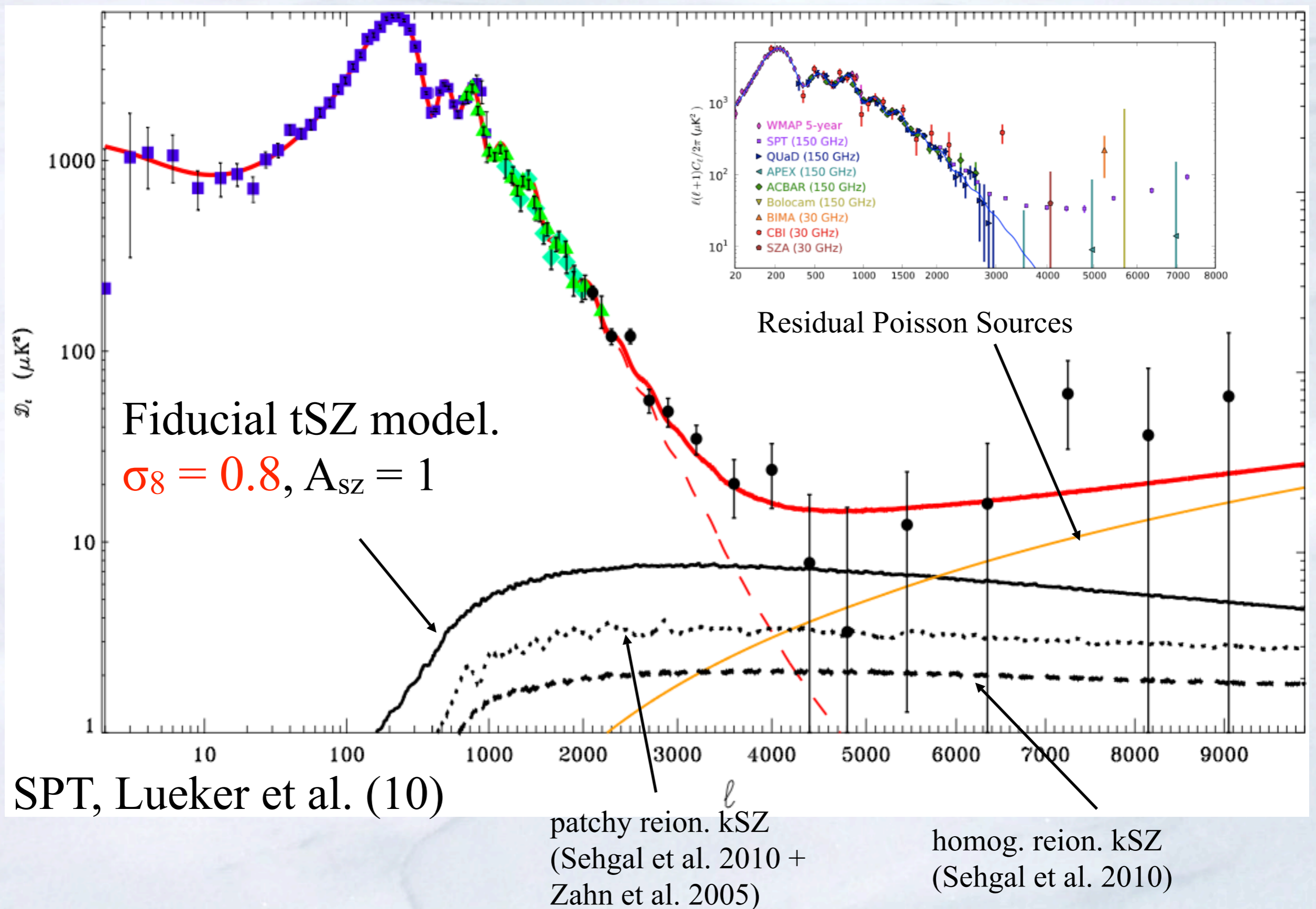
above average number of massive clusters



below average massive clusters

- variance in c_1 between fields is non-gaussian
- several times greater than gaussian (cosmic) variance

First Detection of tSZ Power

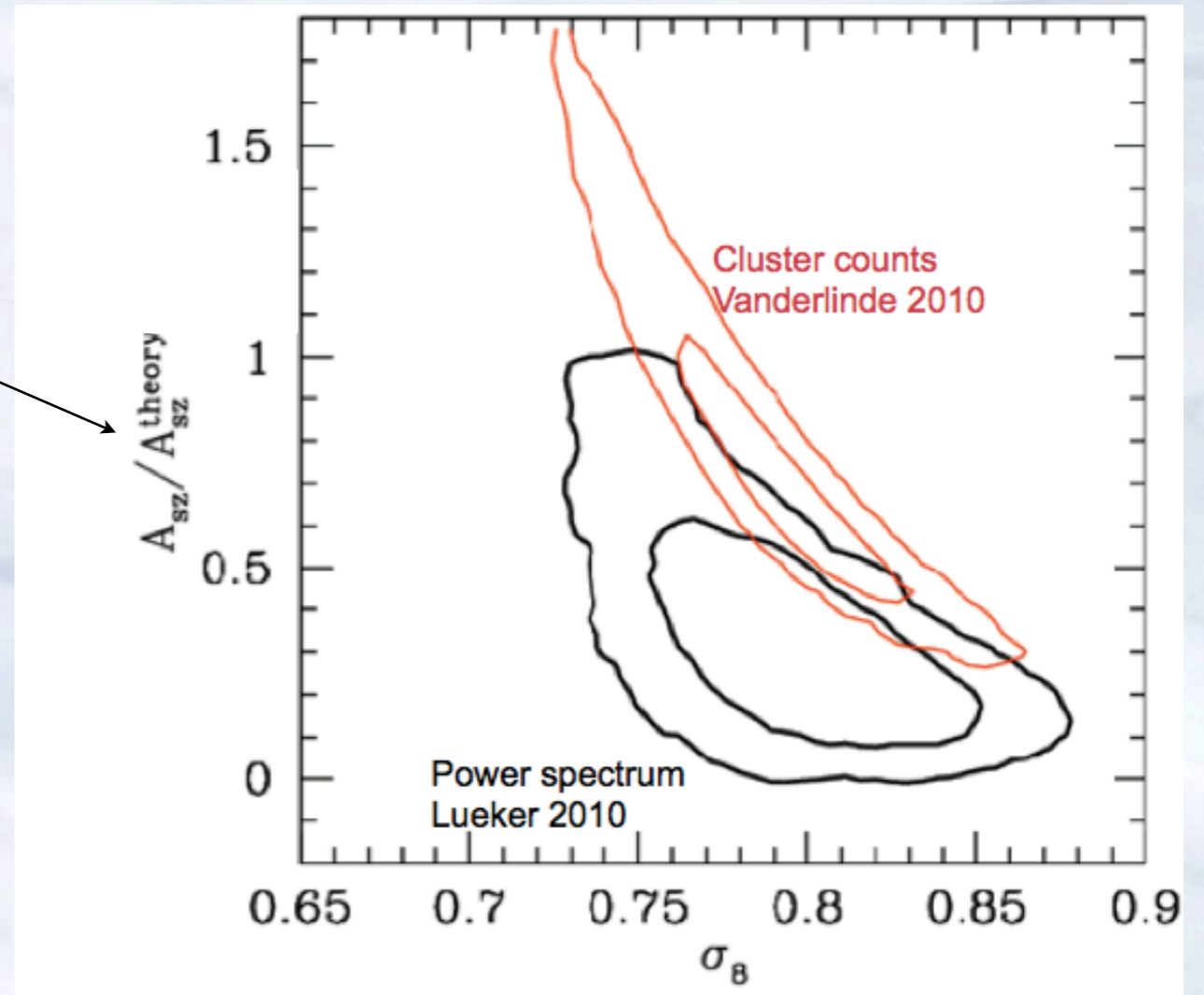


Observations vs Simulations

SZ Power Ratio, A_{sz}

(ratio of measured power)

(power for given value of σ_8)



Detected power significantly below that predicted by simulations

- Two interpretations
 - σ_8 is lower than suggested by other probes
 - signal in low-mass / high-z objects over-estimated

Evaluating the Impact of Astrophysics on the tSZ PS

- Develop simple model for investigating impact of ‘cluster physics’ on shape and amplitude of the power spectrum
- vary input parameters and evaluate effect on amplitude and shape of power spectrum, exploring degeneracies with cosmological parameters
- Model must be able to reproduce direct observations of clusters
 - Scaling relations (M-T, Lx-T, M-fgas)
 - radial profiles (pressure profiles)
- computationally inexpensive
 - can be incorporated in MCMC analysis of real data.
 - marginalize over astrophysical parameters to account for theoretical uncertainty in signal

Halo model approach to calculating the tSZ power spectrum

Calculate SZ power spectrum by integrating the mass function over M and z , weighted by cluster signal at a given angular scale.

$$C_l = g_\nu^2 \int_0^{z_{max}} dz \frac{dV}{dz} \int_0^{M_{max}} dM \frac{dn(M, z)}{dM} |y_l(M, z)|^2$$

volume integral

cluster mass function
(e.g. Tinker et al 08)

gas thermal pressure profiles

Model for the ICM

- Assume NFW dark matter halos.

$$c(M, z) = 7.85 A_c \left(\frac{M_{\text{vir}}}{2 \times 10^{12} h^{-1} M_{\odot}} \right)^{-0.081} (1+z)^{-0.71}$$

Duffy et al. 08
 $A_c = 1$

- Gas resides in hydrostatic equilibrium in DM potential

$$\frac{dP_{\text{tot}}(r)}{dr} = -\rho_g(r) \frac{d\Phi(r)}{dr}$$

- Polytropic equation of state for the ICM: $P_{\text{tot}} = P_0 (\rho_{\text{gas}} / \rho_0)^{\Gamma}$
with $\Gamma = 1.2$ and $P_{\text{tot}}(r) = P_{\text{therm}}(r) + P_{\text{nt}}(r)$

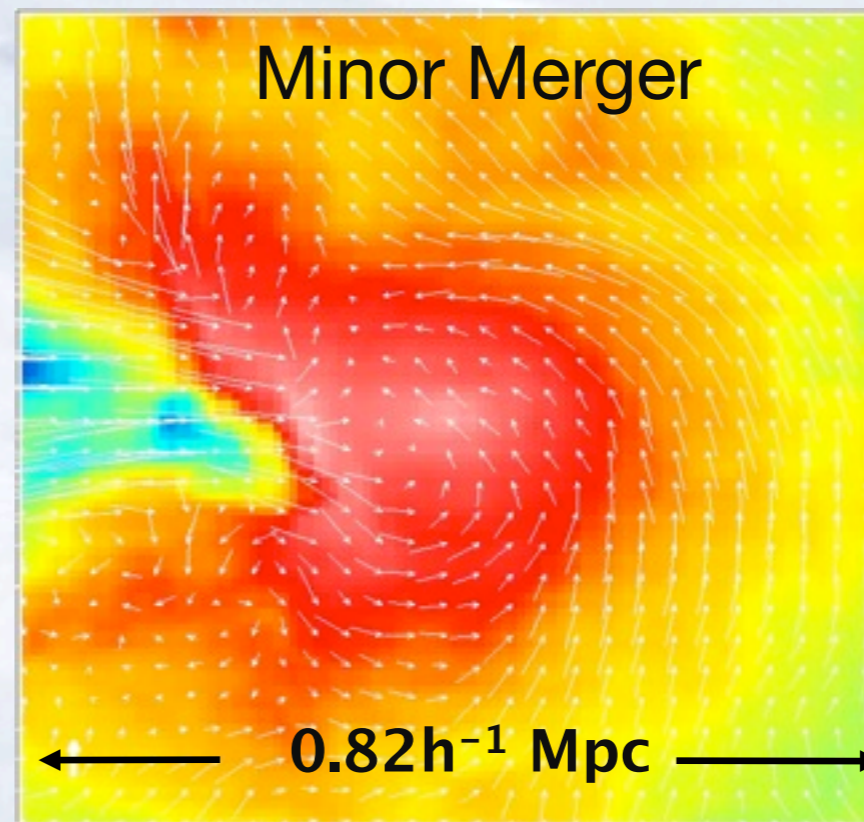
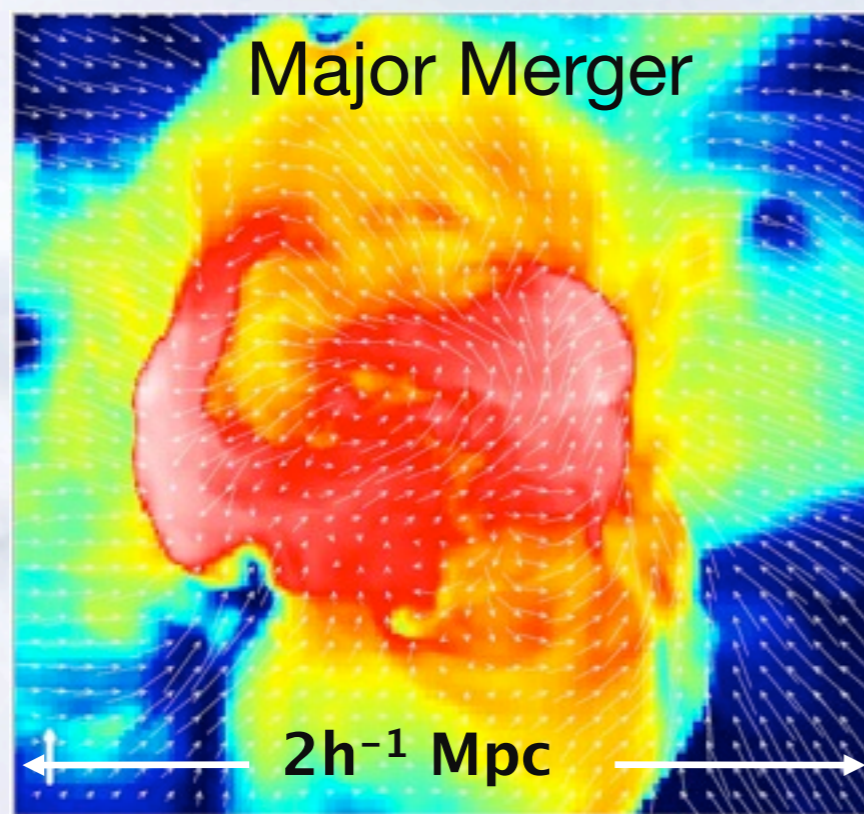
- Assume some fraction of the gas has cooled and formed stars

– Adopt stellar mass fraction - cluster mass relation of Gonzalez et al. (07)

Cluster Astrophysics

$$E_{g,f} = E_{g,i} + \epsilon_{\text{DM}} |E_{\text{DM}}| + \epsilon_f M_* c^2 + \Delta E_p$$

- Energy feedback from Supernovae/AGN: $\epsilon_f \sim 10^{-6}$ - 10^{-5}
- Dynamical heating by mergers: $\epsilon_{\text{DM}} \sim 0.05$
- Non-thermal pressure due to gas motions in galaxy clusters



Gas motions (bulk+turbulent) are ubiquitous in Λ CDM clusters

Cluster Astrophysics

$$E_{g,f} = E_{g,i} + \epsilon_{\text{DM}} |E_{\text{DM}}| + \epsilon_f M_* c^2 + \Delta E_p$$

- Energy feedback from Supernovae/AGN: $\epsilon_f \sim 10^{-6}$ - 10^{-5}
- Dynamical heating by mergers: $\epsilon_{\text{DM}} \sim 0.05$
- Non-thermal pressure support: $\alpha_0, \beta, n_{\text{nt}}$

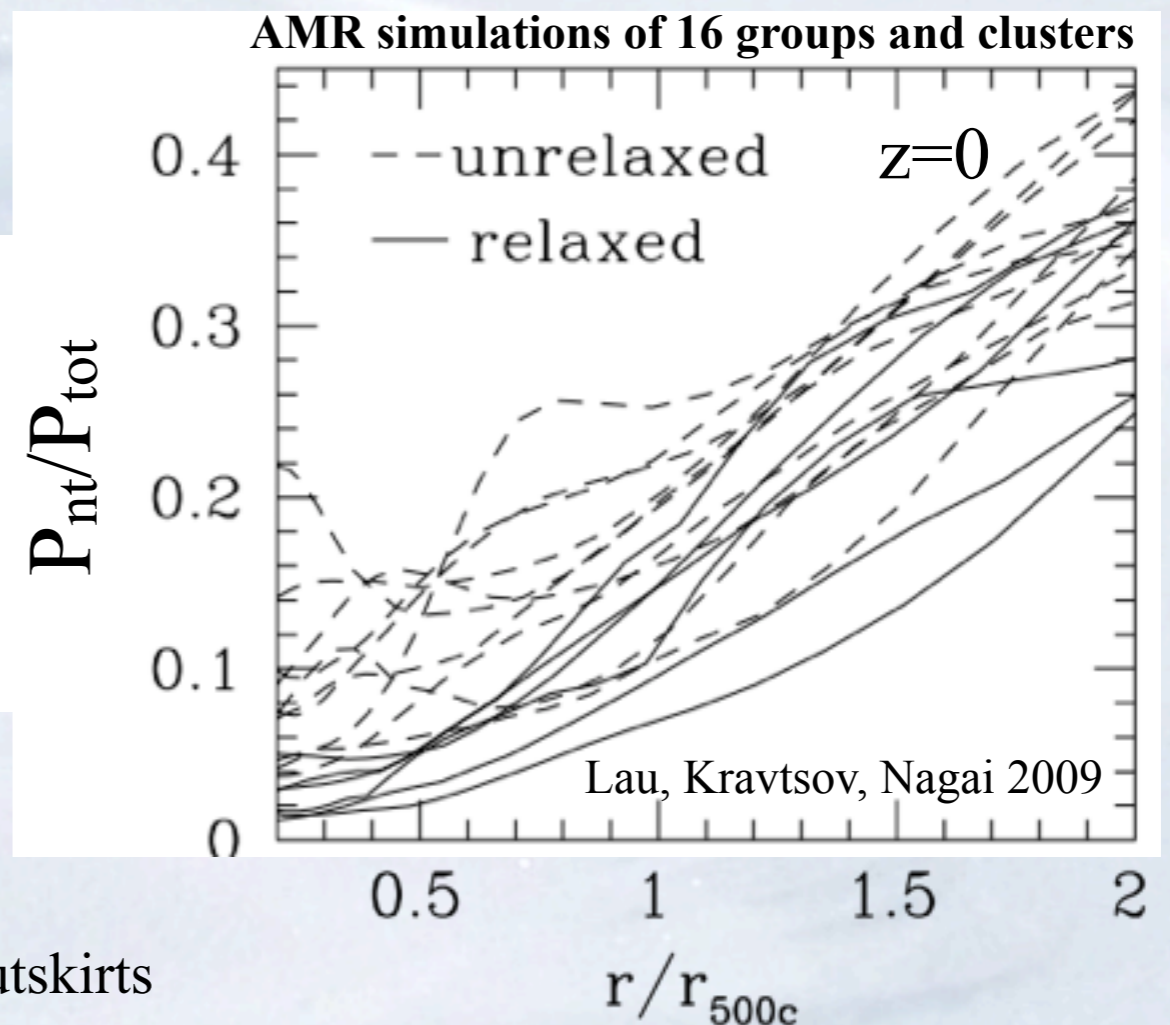
$$\frac{P_{\text{nt}}}{P_{\text{tot}}}(z) = \alpha(z) \left(\frac{r}{R_{500}} \right)^{n_{\text{nt}}}$$

where $\alpha(z) = \alpha_0 (1+z)^\beta$

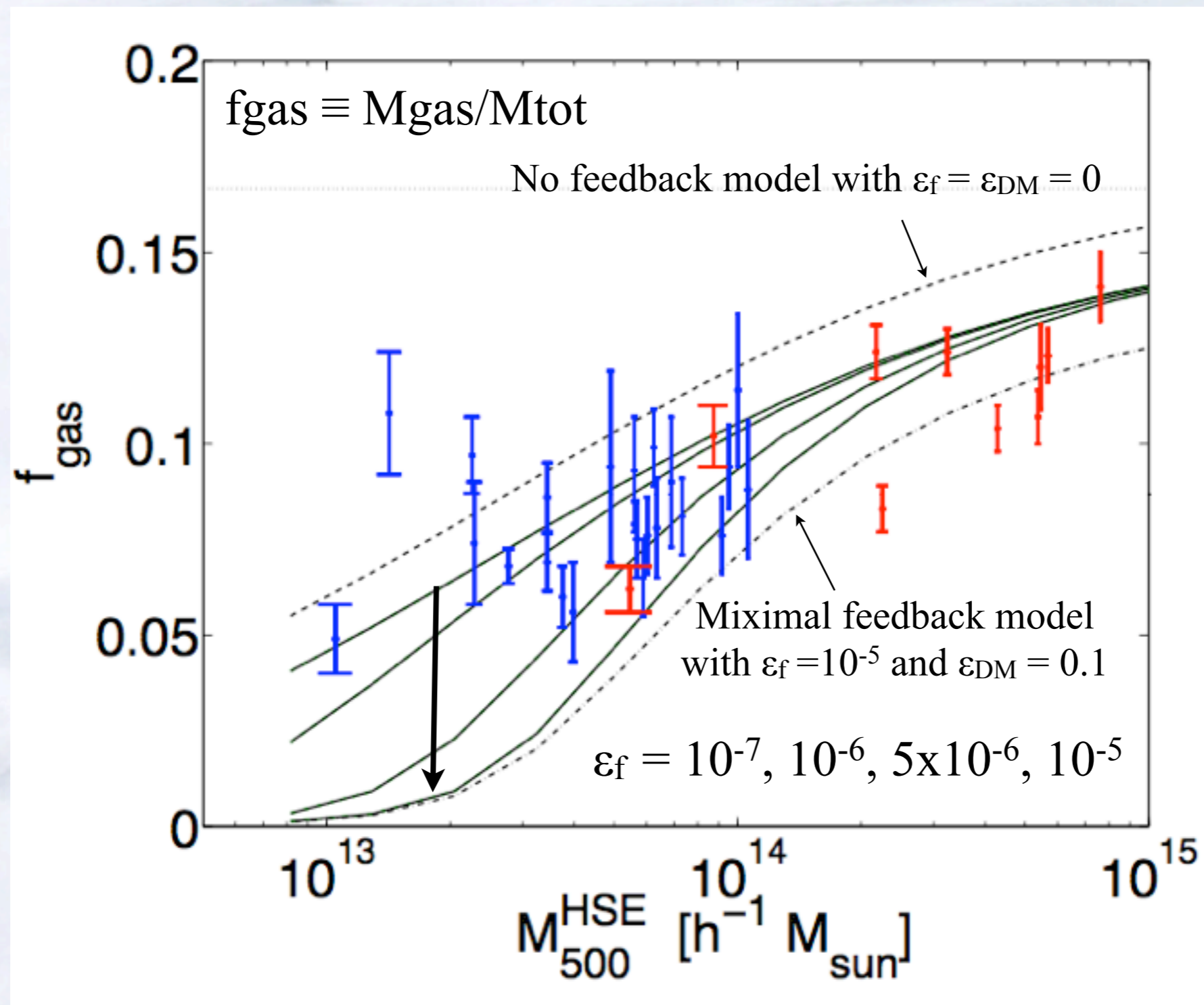
Calibrate with hydro simulations:

$$\alpha_0 = 0.18, \beta = 0.5, n_{\text{nt}} = 0.8$$

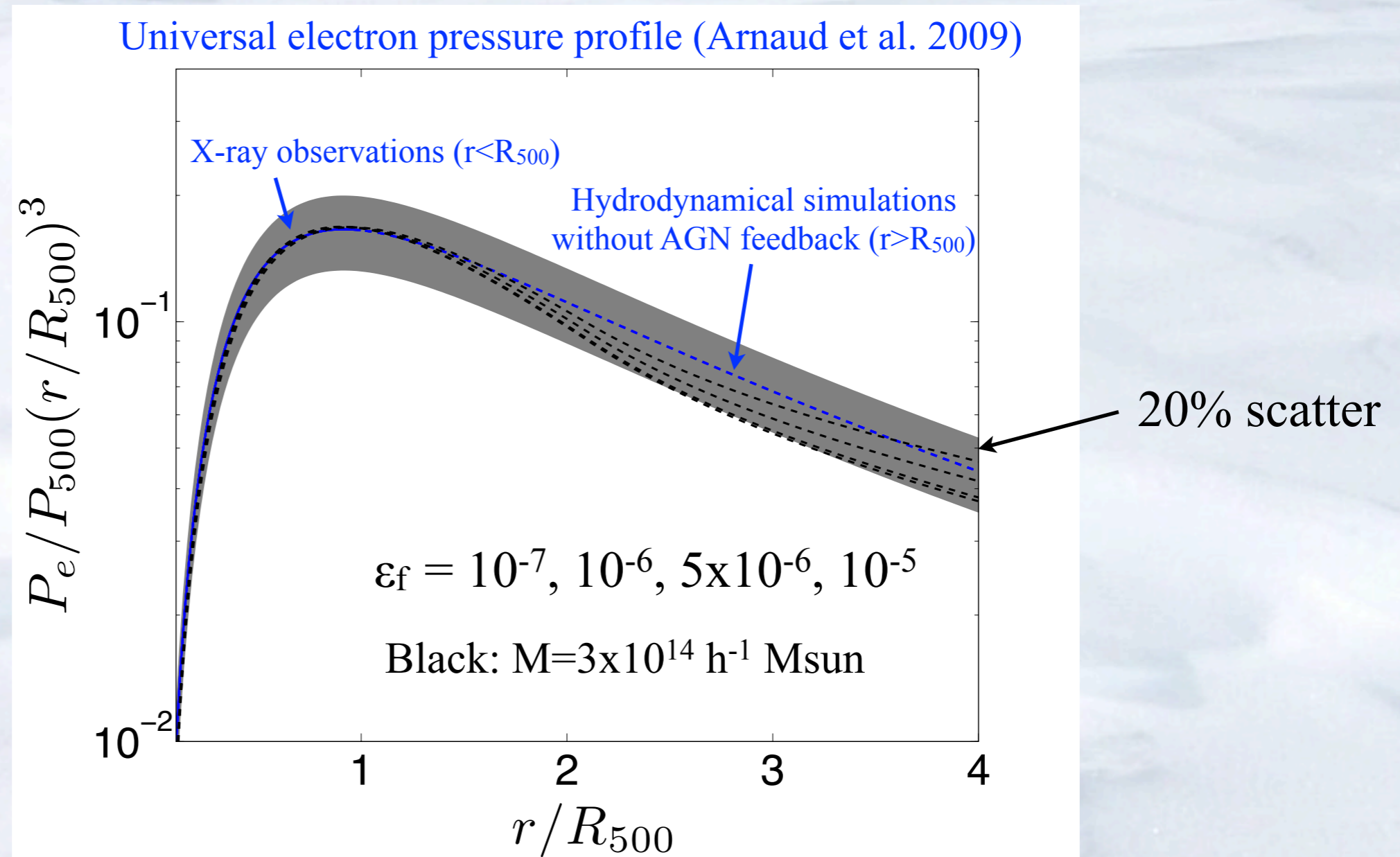
\nearrow enhanced at high- z
 \nearrow enhanced toward outskirts
 18% at R_{500} at $z=0$



Matching to $f_{\text{gas}}\text{-}M$ observations

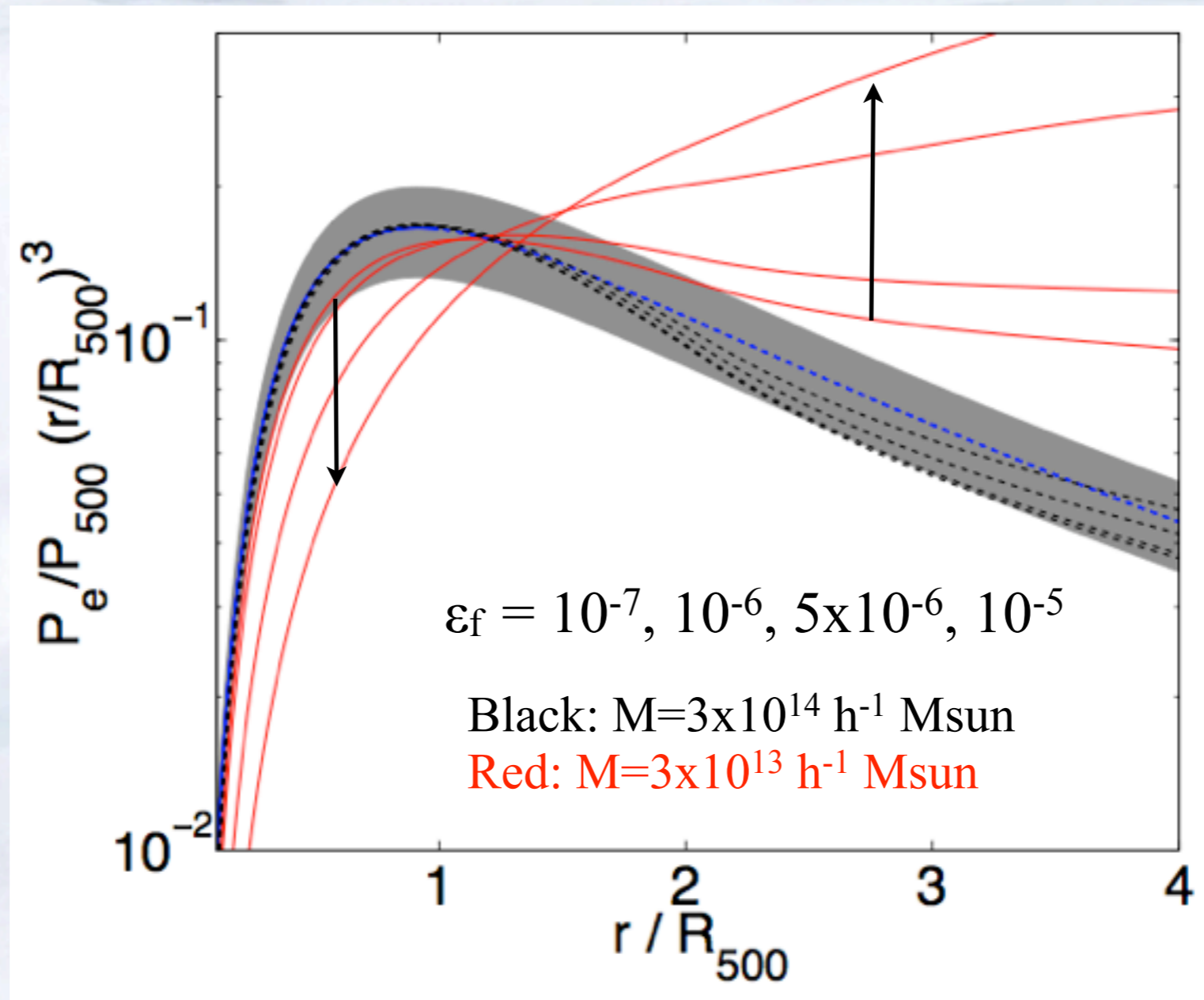


Impact of Energy Feedback on Pressure Profiles



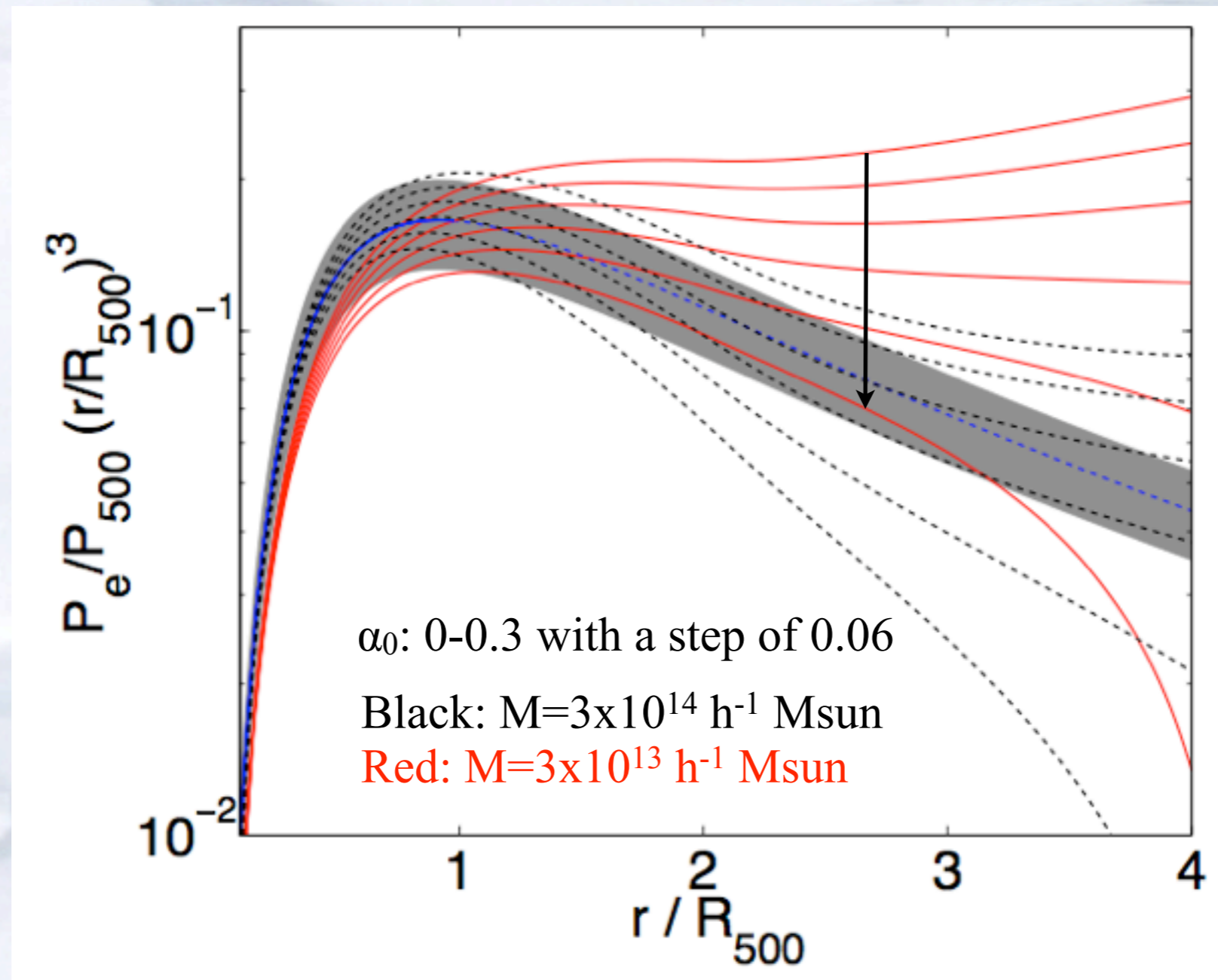
Energy feedback does NOT significantly modify the electron pressure profiles of massive clusters.

Impact of Energy Feedback on Pressure Profiles



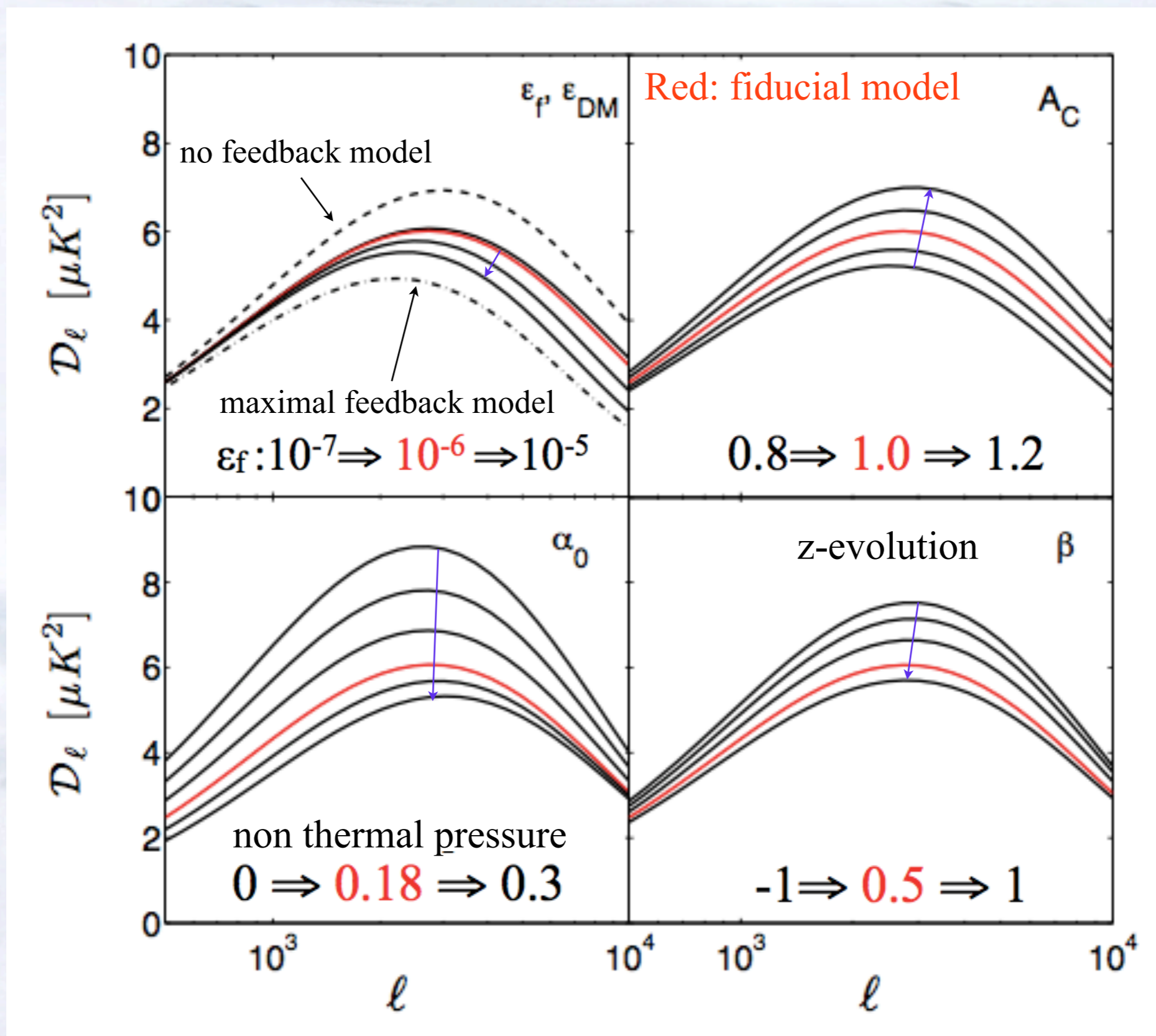
But, significant impact on groups!

Impact of Gas Motions on Pressure Profiles

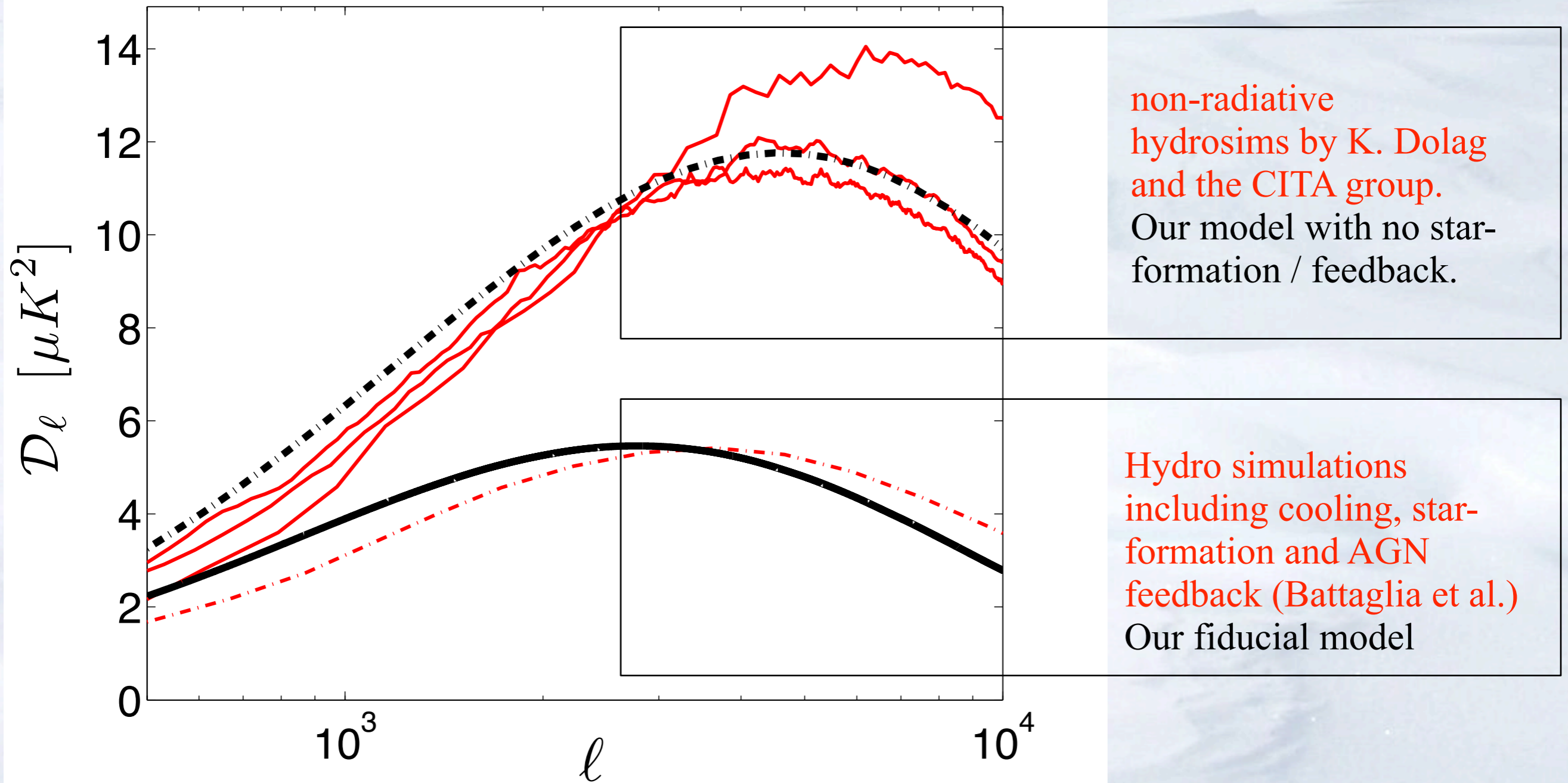


Non-thermal pressure due to gas motions suppress electron pressure in outskirts of both groups and clusters.

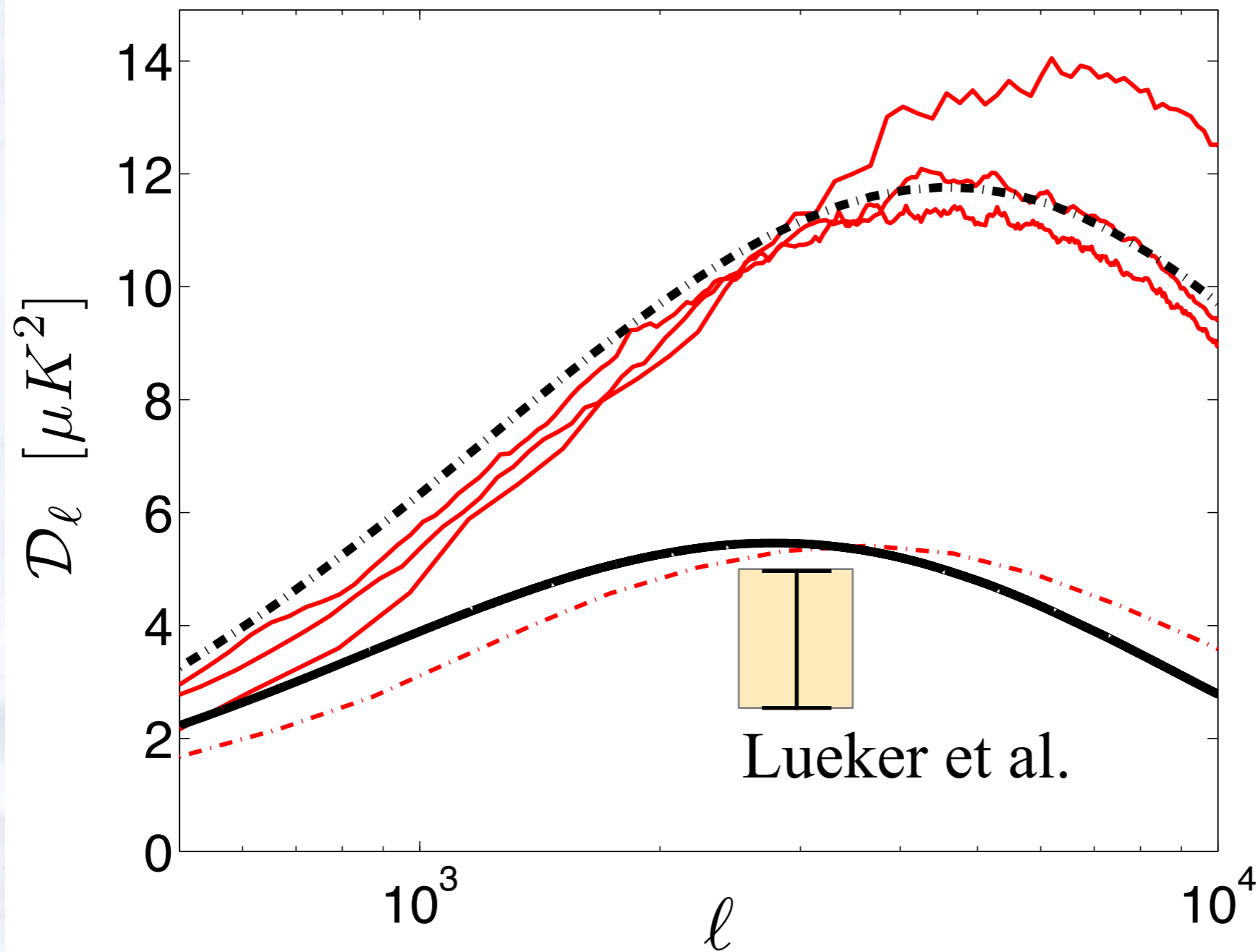
Impact of cluster physics on the SZ Power Spectrum



comparing with hydrosims



Model can reproduce results of hydro-simulations that incorporate different levels of ICM physics



But..latest models/simulations still exceed measured power.

Wrap-up

- SZ power spectrum provides probe of integrated line-of-sight pressure in structures encompassing a wide range of mass and redshift
- Amplitude of signal dependent on both cosmology and astrophysics.
- Shape of signal dependent mostly on astrophysical processes
 - feedback suppresses small-scale signal
 - non-thermal pressure reduces large-scale signal
- low value of measured power suggests that high- z /low-mass signal strongly suppressed