

# The Impact of Cluster Physics on Scatter in Cluster Scaling Relations

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University of Illinois*

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University of Michigan*



# Collaborators

Hsiang-Yi (Karen) Yang (Illinois)



Paul (Matt) Sutter (Illinois)

Suman Bhattacharya (LANL)



Sutter, Yang, & Ricker 2010 in preparation

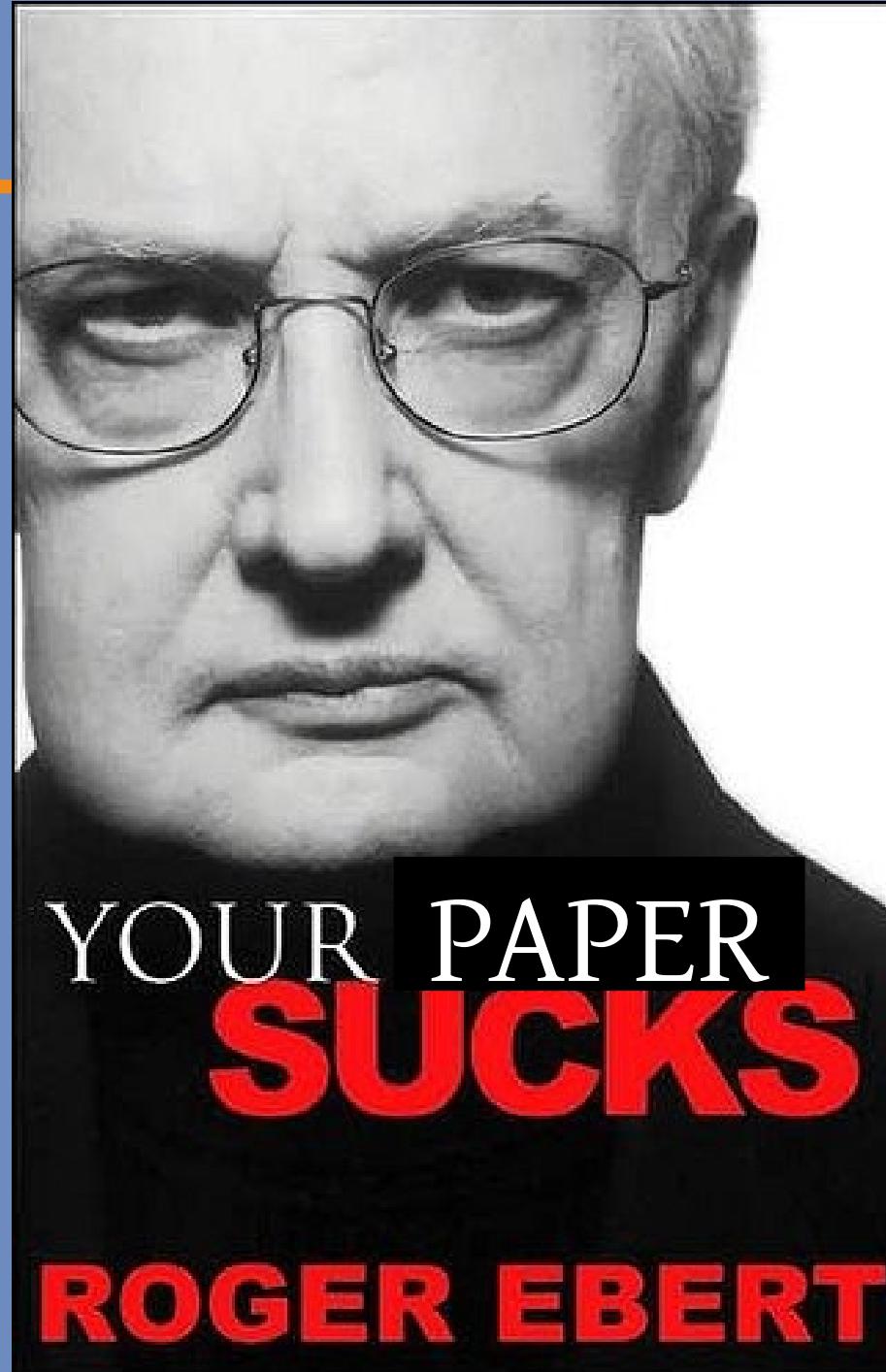
Yang, Bhattacharya, & Ricker 2010 ApJ, submitted

Sutter & Ricker 2010 ApJ, submitted (arXiv:1006.2879)

Yang, Ricker, & Sutter 2009 ApJ, 699, 315

Yang, Ricker, & Sutter 2009 arXiv:0909.1574 (Monster's Fiery Breath)

Sutter, Ricker, & Yang 2009 arXiv:0911.1029 (Monster's Fiery Breath)



# Cluster masses are useful for cosmology...

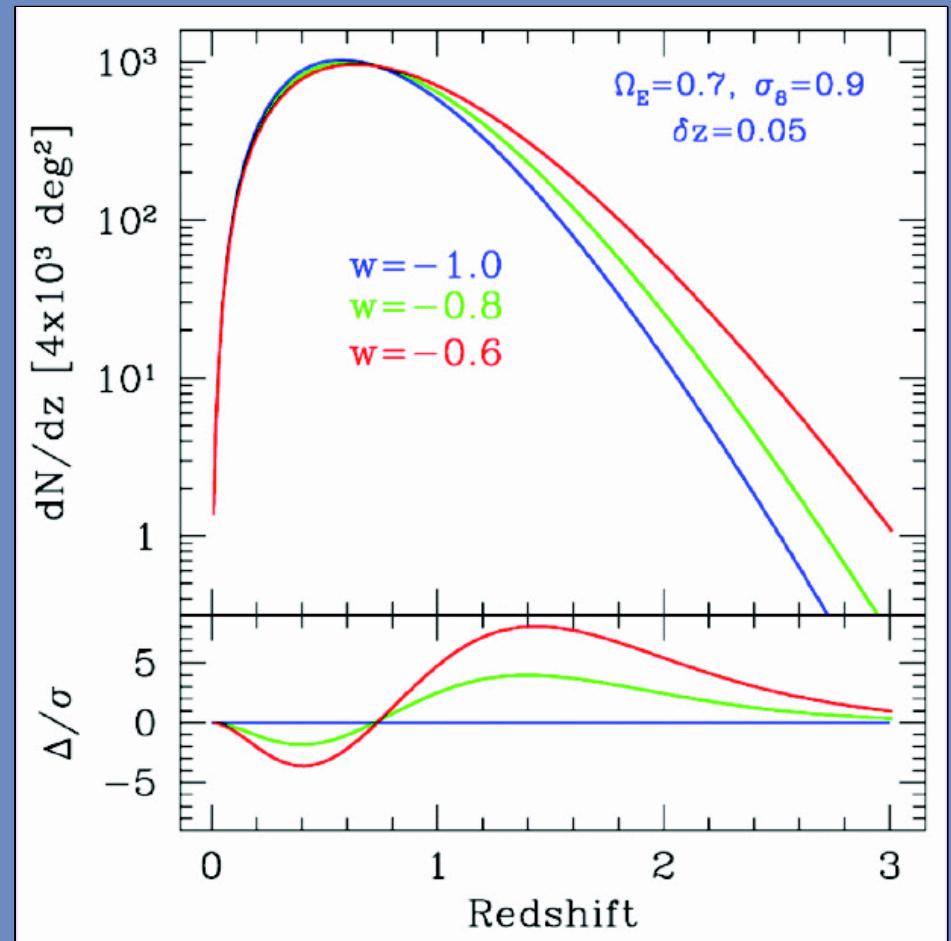
## Cluster abundance as a function of mass and redshift

$$\frac{d^2 N}{dM dz} = \frac{dV}{dz} n(M, z)$$

$$n(M, z) \propto \frac{\rho_b}{\sigma M} \int_{\delta_c}^{\infty} d\delta \exp\left(-\frac{\delta^2}{2\sigma^2}\right)$$

Depends on:

- Volume-redshift relation  $dV/dz$
- Linear growth factor ( $\rightarrow \delta(z)$ )
- Power spectrum ( $\rightarrow \sigma(M, z)$ )

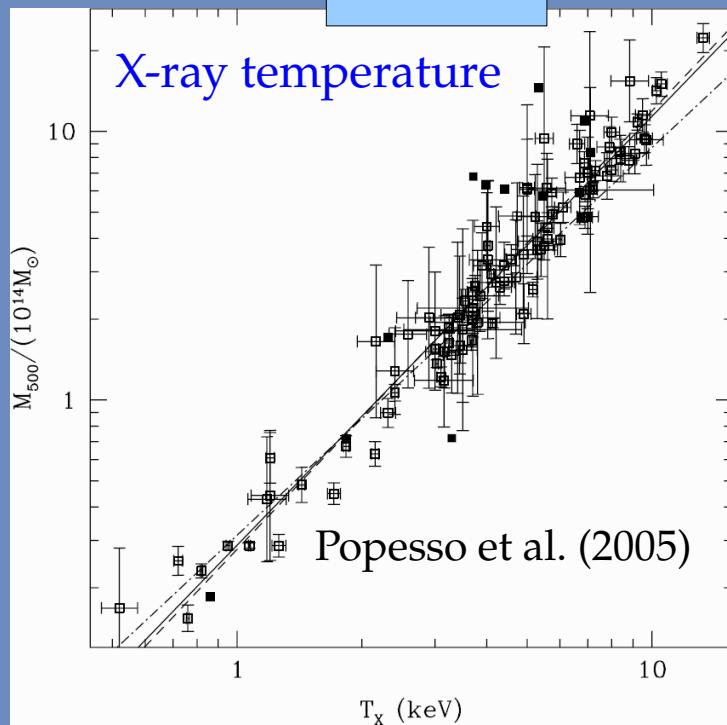


Mohr (2005)

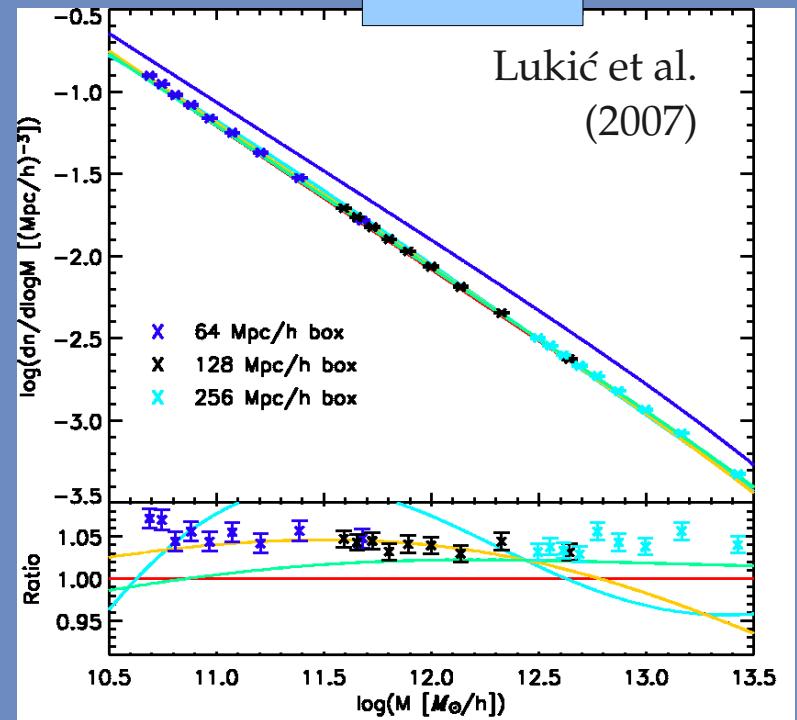
*... but they must be measured via proxies*

$$P(X|\text{cosmology}) \approx \underbrace{P(X|M, \eta_1, \eta_2, \dots)}_{\text{Mass-observable relation}} \underbrace{P(M, \eta_1, \eta_2, \dots|\text{cosmology})}_{\text{Mass function}}$$

Scaling  
relations



N-body



# *Systematic exploration of scatter*

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- **Physics**

- Adiabatic hydro (dynamical state + history)
- Cooling + AGN
- Magnetic fields
- Conduction and viscosity
- Cosmic rays

- **Observables**

- X-ray
- Sunyaev-Zel'dovich effect
- Lensing mass
- Optical richness
- Radio

# *Fully cosmological simulations*

## Cosmology and physics

- $\Lambda$ CDM cosmology:  
 $\Omega_{m0} = 0.262, \Omega_{b0} = 0.0437,$   
 $h = 0.708, \sigma_8 = 0.74$

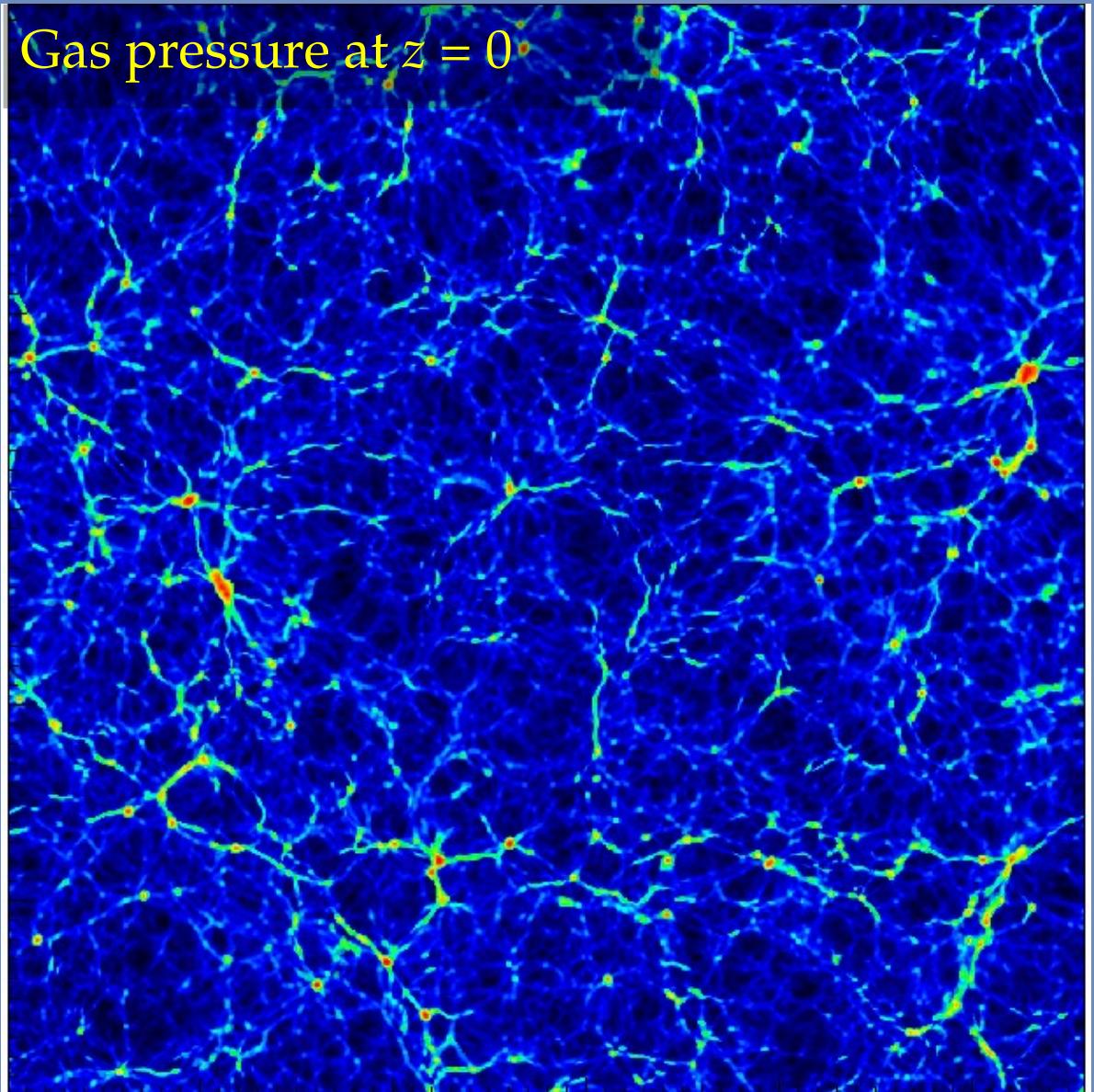
- Dark matter + hydro

## Numerics

- FLASH 2.4-uiuc
- $256 h^{-1}$  Mpc box
- $1024^3$  particles,  $1024^3$  grid
- Particle mass  $1.3 \times 10^9 M_\odot$

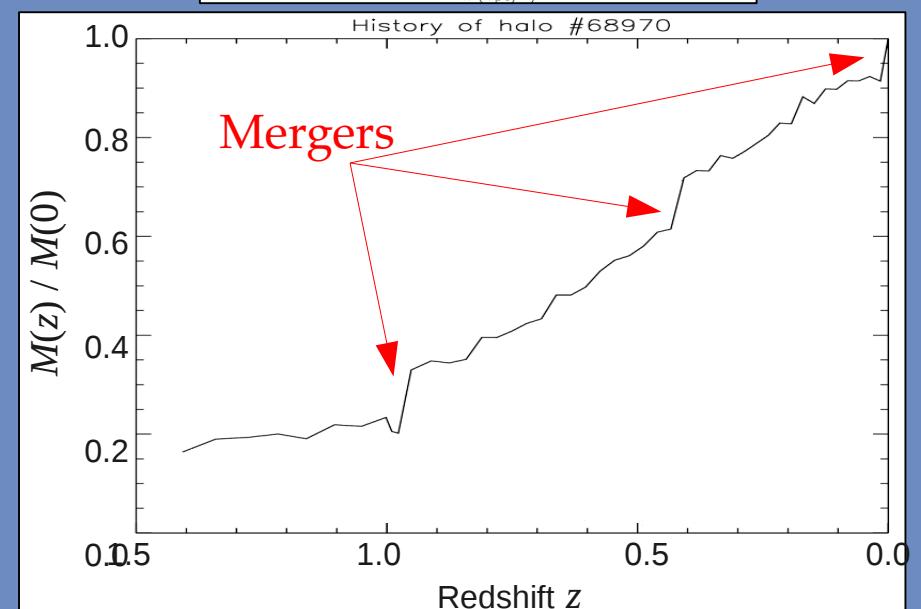
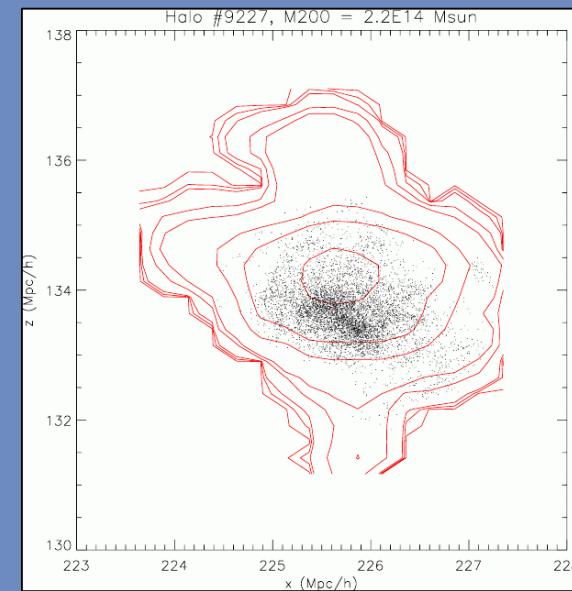
## Outcome

- 336/622 merging at  $z = 0$   
( $M_{500c} > 2 \times 10^{13} M_\odot$ )

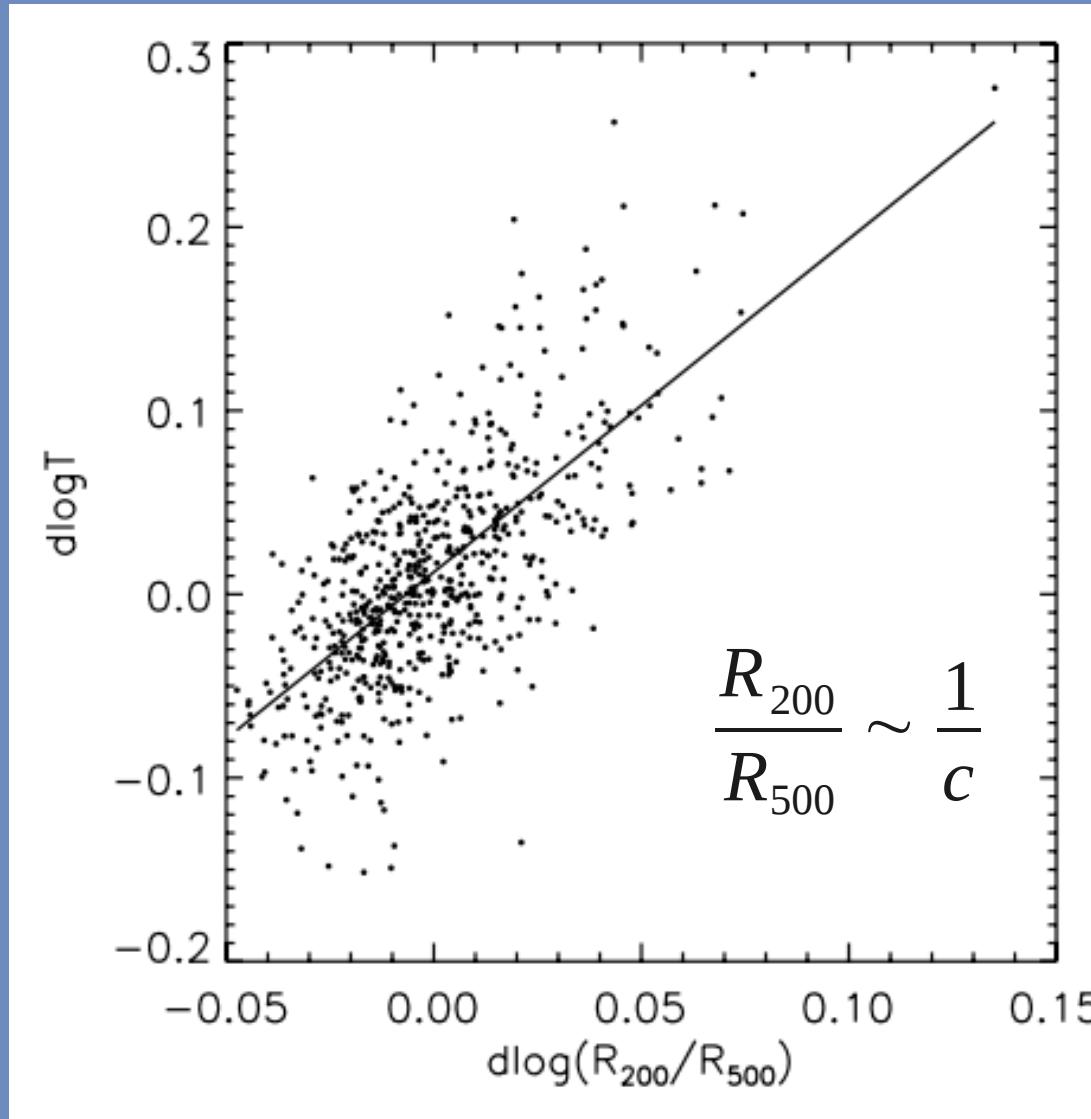


# Dynamical state measures

- **Centroid offset** (Mohr et al. 1995)
- **Multipole power** (Buote & Tsai 1995, 6)
- **Merger history** (Cohn & White 2005)
  - Use particle tags to trace halo progenitors
  - Identify merging events using
    - *Mass jump* – ratio of halo mass to mass of largest progenitor
    - *Mass ratio* – ratio of masses of two largest progenitors



# *Mass-temperature vs. dynamical state*

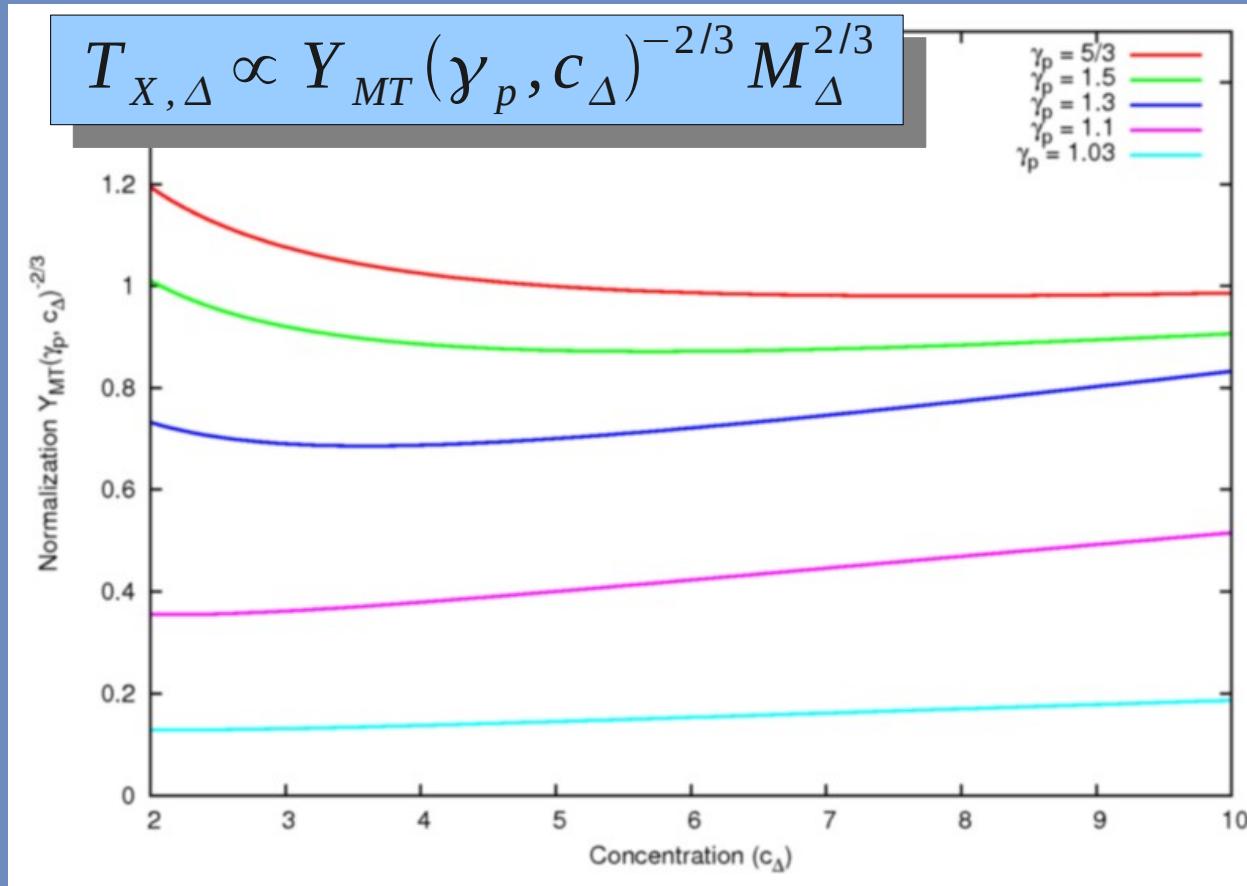


Yang, Ricker, & Sutter  
(2009)

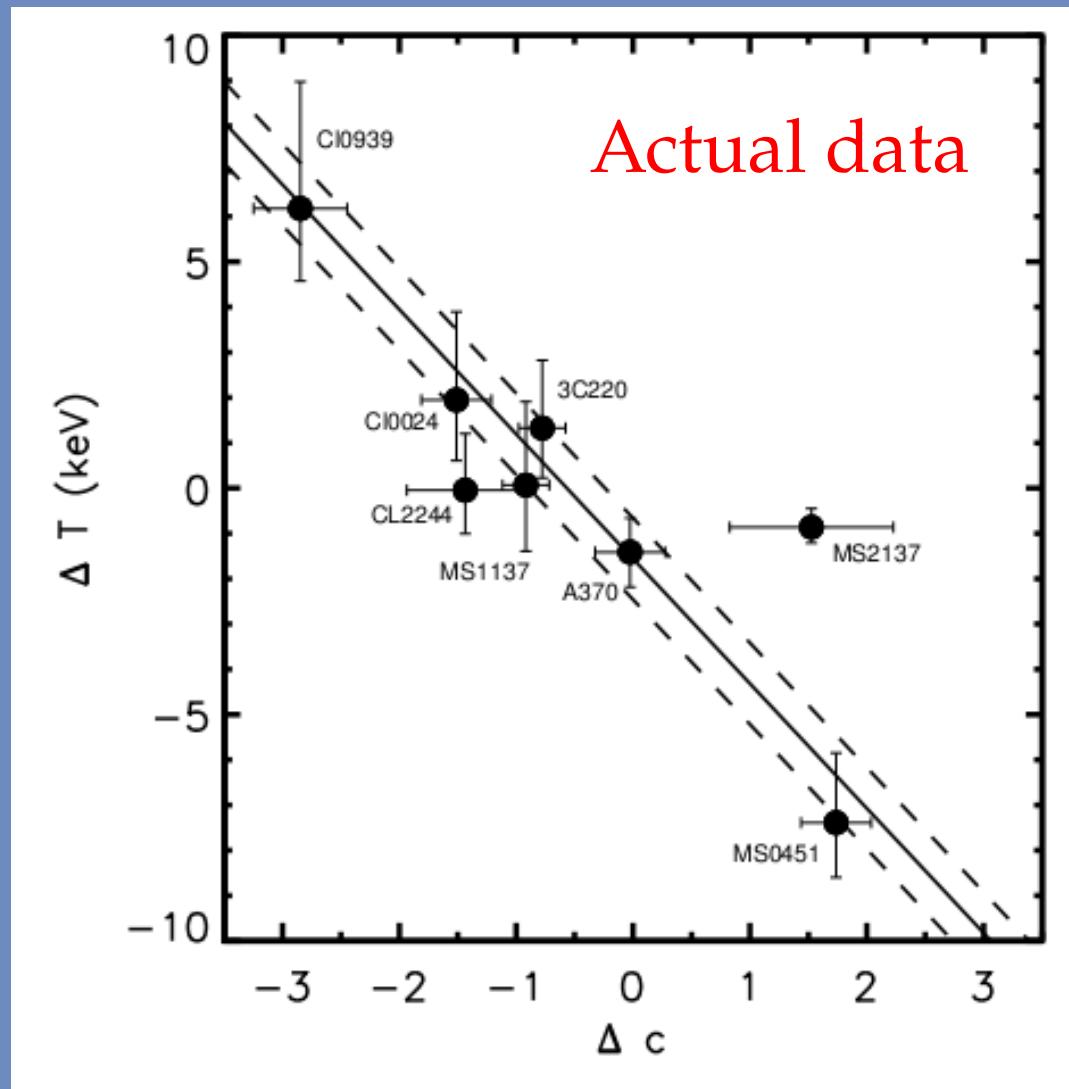
- At best a weak anticorrelation in scatter vs. dynamical state
- Power ratios do not provide unambiguous indicator of recent merging
- Instead see a correlation of scatter with halo concentration – formation time important?

# Answer to Doug's question

- Sense of correlation disagrees with Shaw et al. 08
- Difference lies in equation of state (Ascasibar et al. 06)
  - Polytropes  $P \propto \rho^{\gamma_p}$
  - Extra physics reduces  $\gamma_p$  from  $5/3 \rightarrow 1$
  - Slope flattens and then changes sign as  $\gamma_p$  decreases



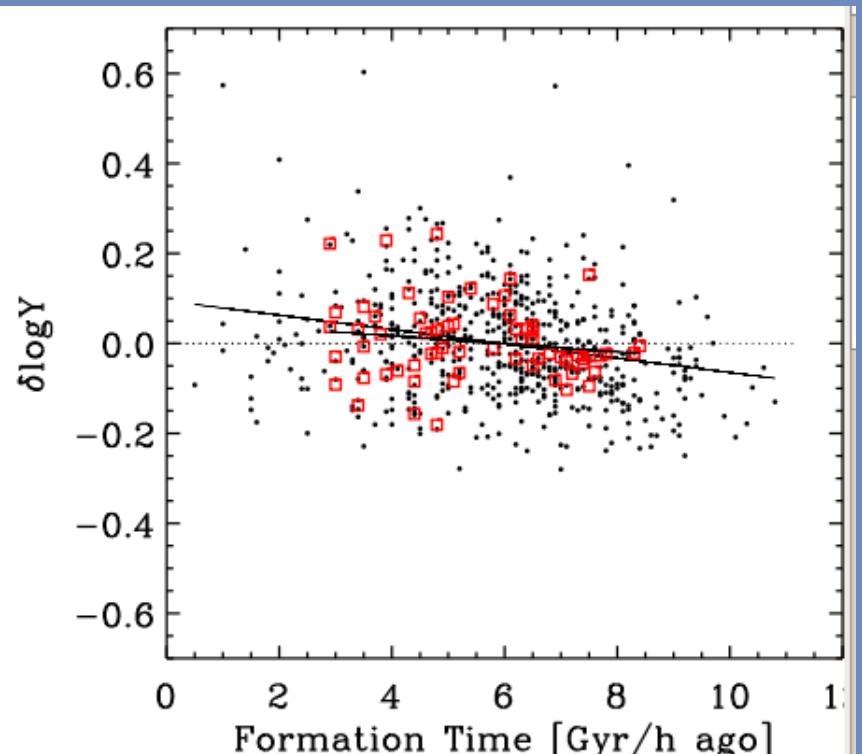
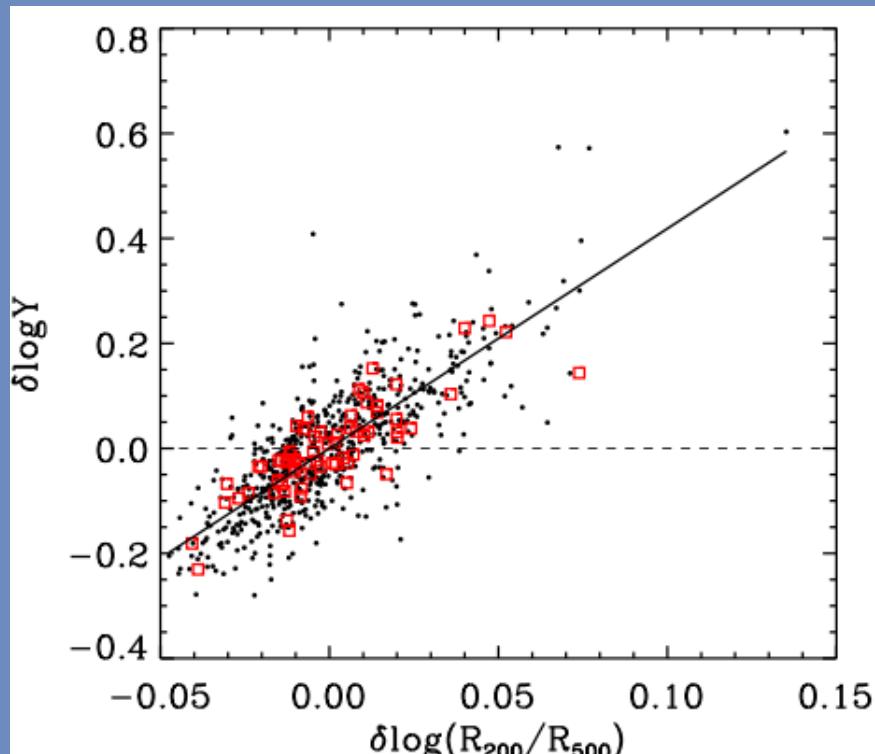
# *Answer to Doug's question*



Comerford et al. (2010)

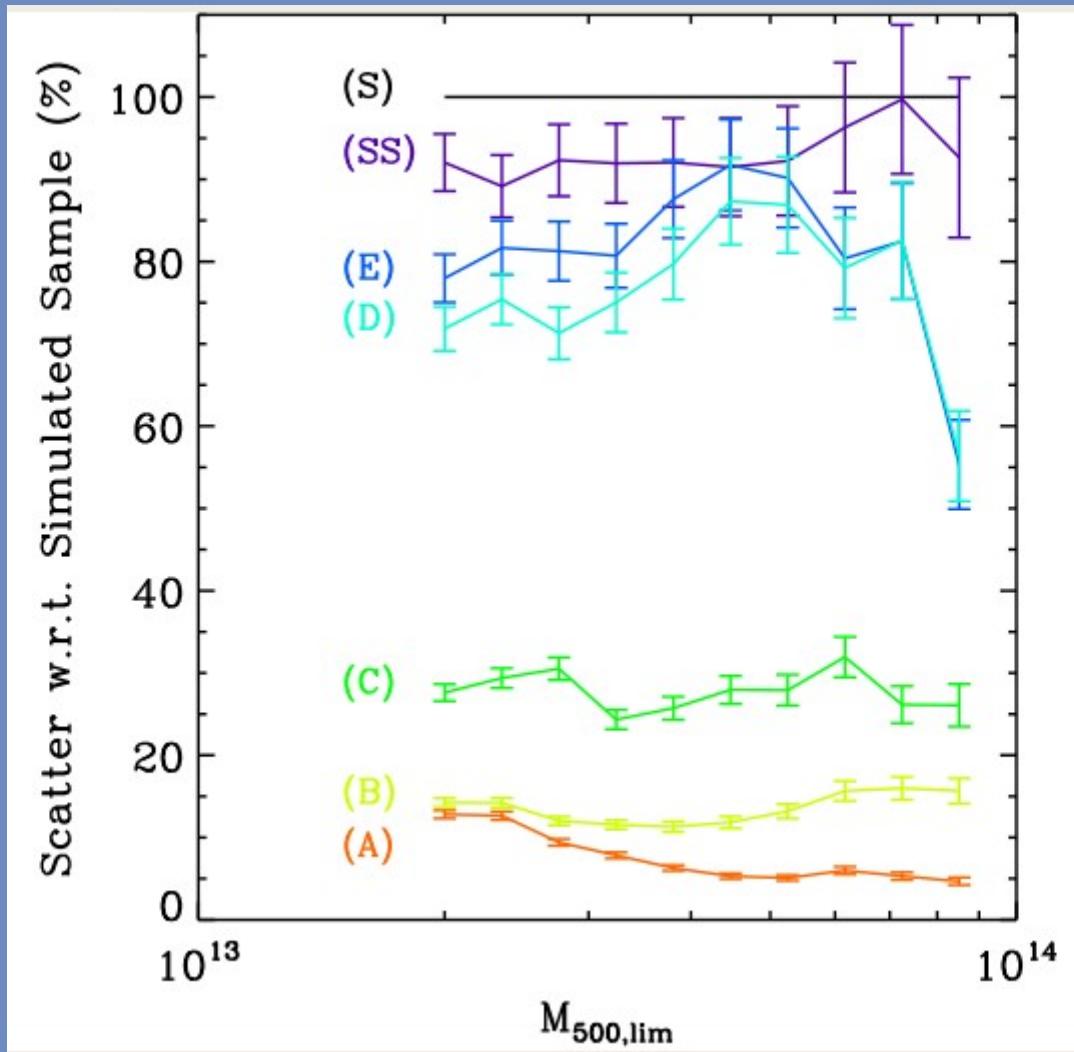
# Mass-SZ effect vs. dynamical state

Yang, Bhattacharya,  
& Ricker (2010)



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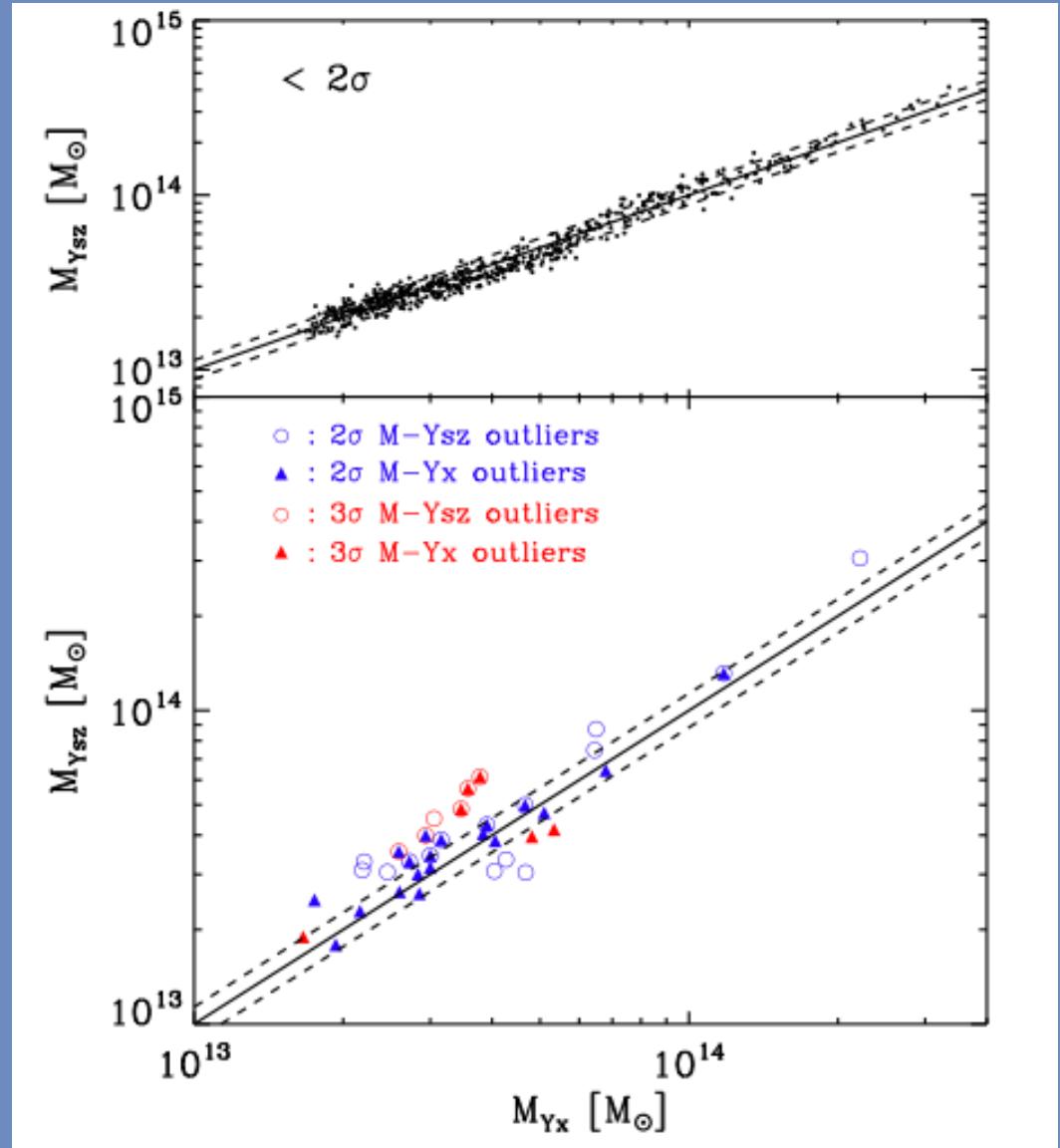


Simulation  
Simulation (spherical)  
Spherical  
Spherical + gas fraction  
Spherical + gas fraction + no merger boost  
Spherical + gas fraction + hydrostatic  
Spherical + gas fraction + hydrostatic +  $c(M)$

# Using multiple mass estimators

Yang, Bhattacharya,  
& Ricker (2010)

- Clusters that are outliers in both  $M - Y_X$  and  $M - Y_{SZ}$  have inconsistent mass estimates
- Offers hope that these cases can be excluded from samples

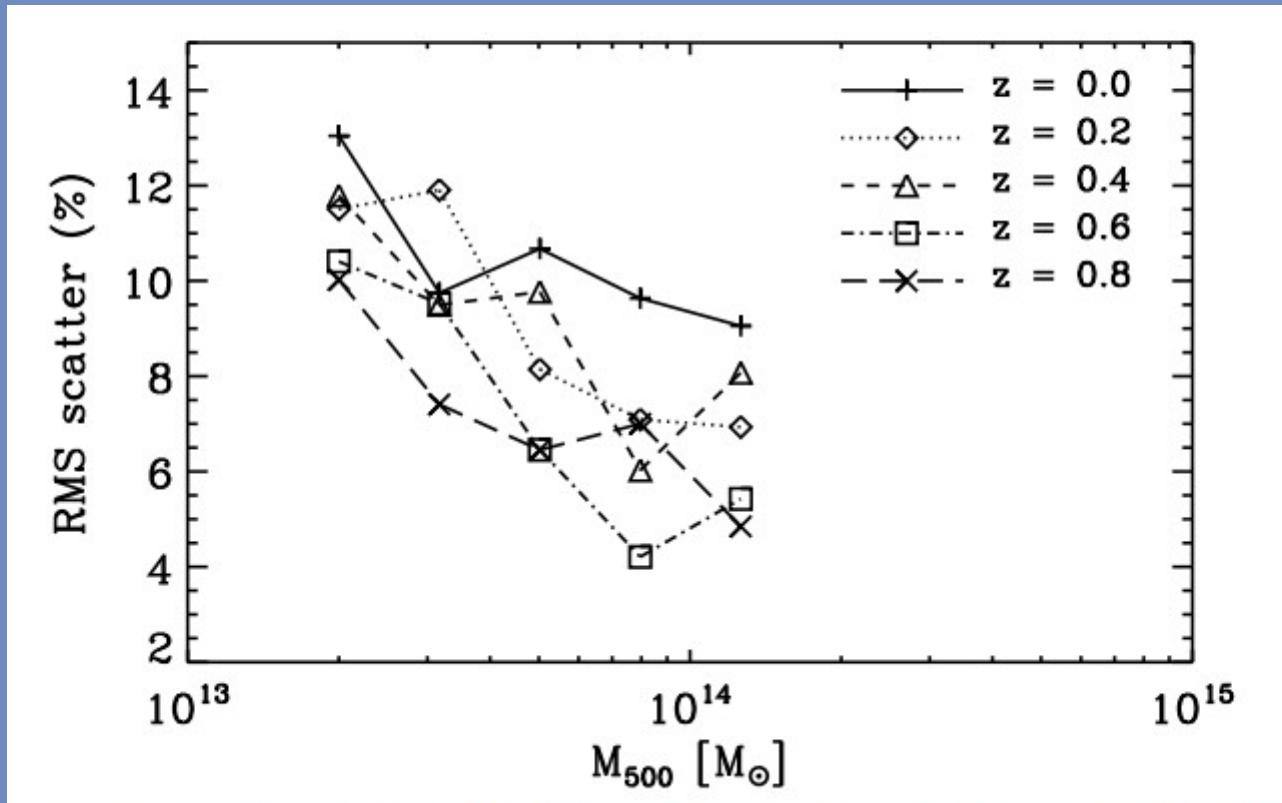


# Guidance for self-calibrators

- Y-M scatter: (all within  $R_{500c}$ )

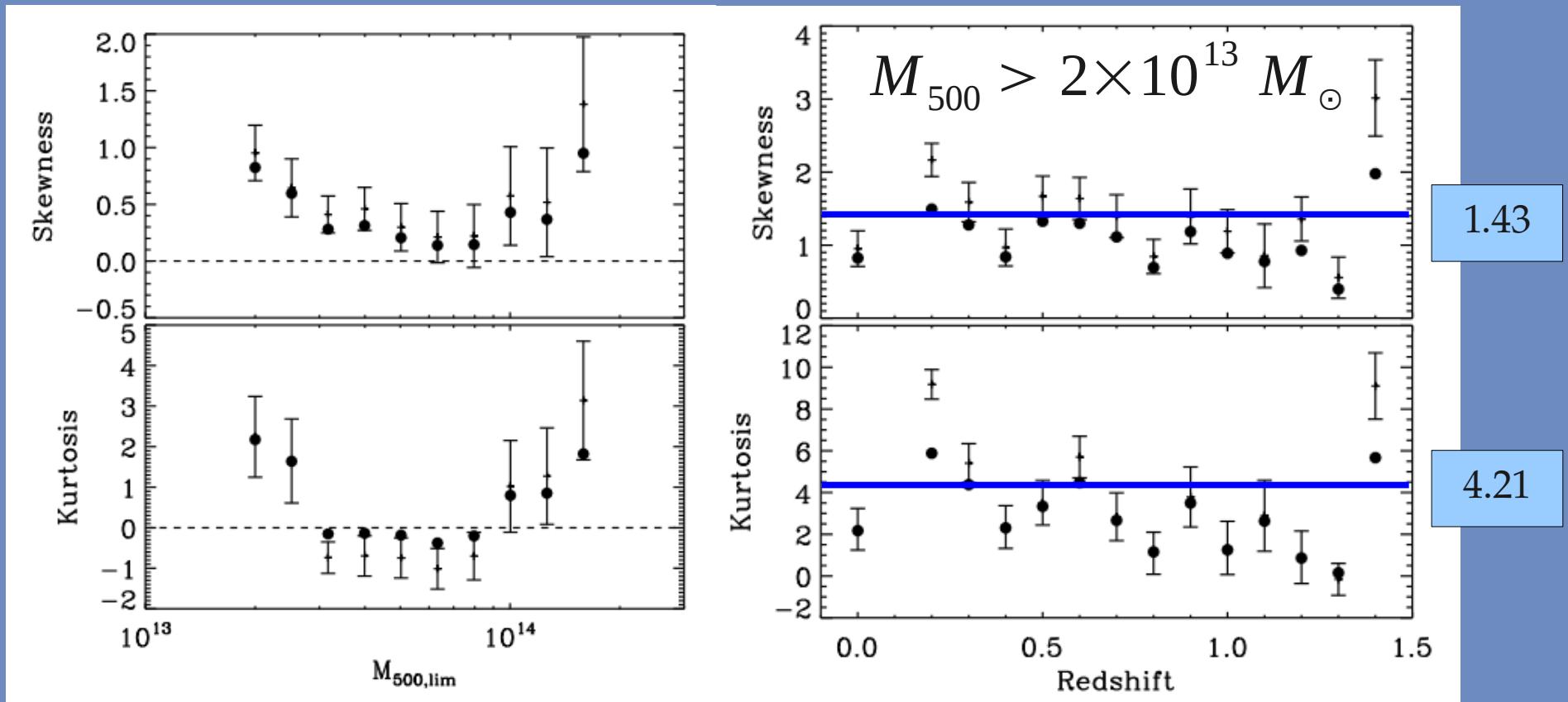
$$\sigma(M, z) = A \log M + B \log(1+z) + C$$

$$A = -7.06 \pm 0.28 \quad B = -11.20 \pm 0.81 \quad C = 7.70 \pm 0.19$$



# Guidance for self-calibrators

- Deviations from gaussianity due to projection effects (low mass) and Poisson statistics (high mass)



# *Systematic exploration of scatter*

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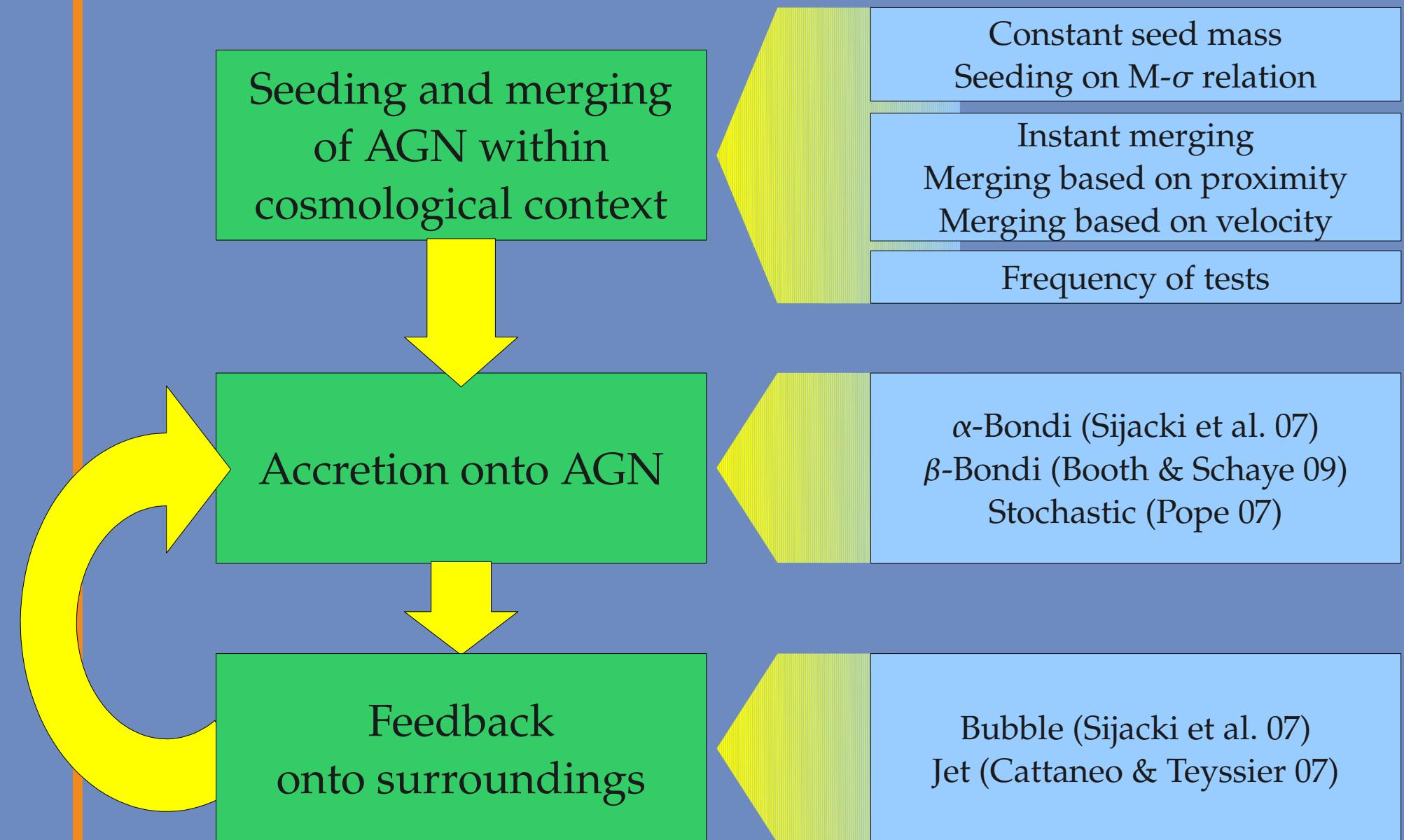
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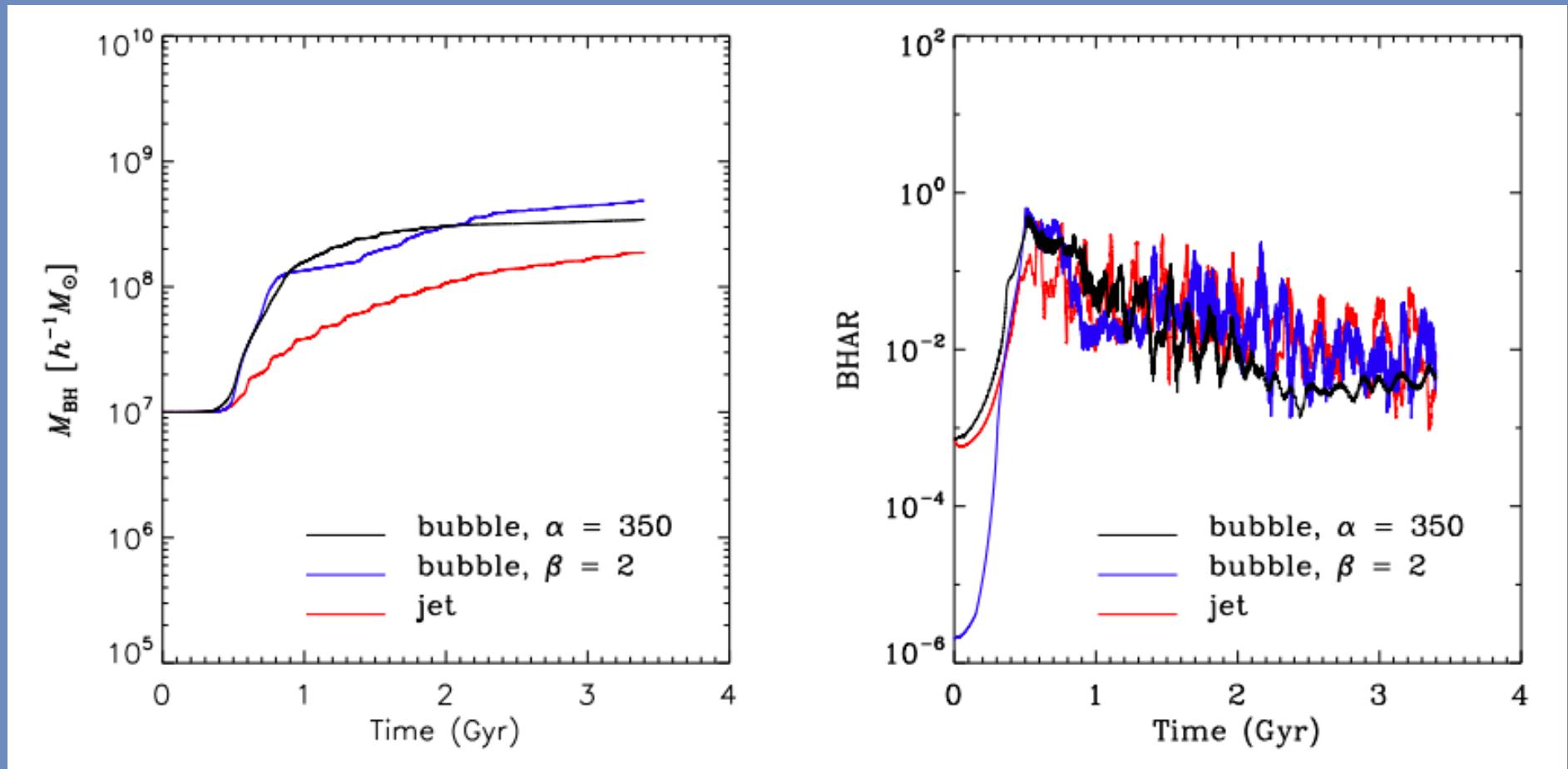
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# Components of an AGN subgrid model



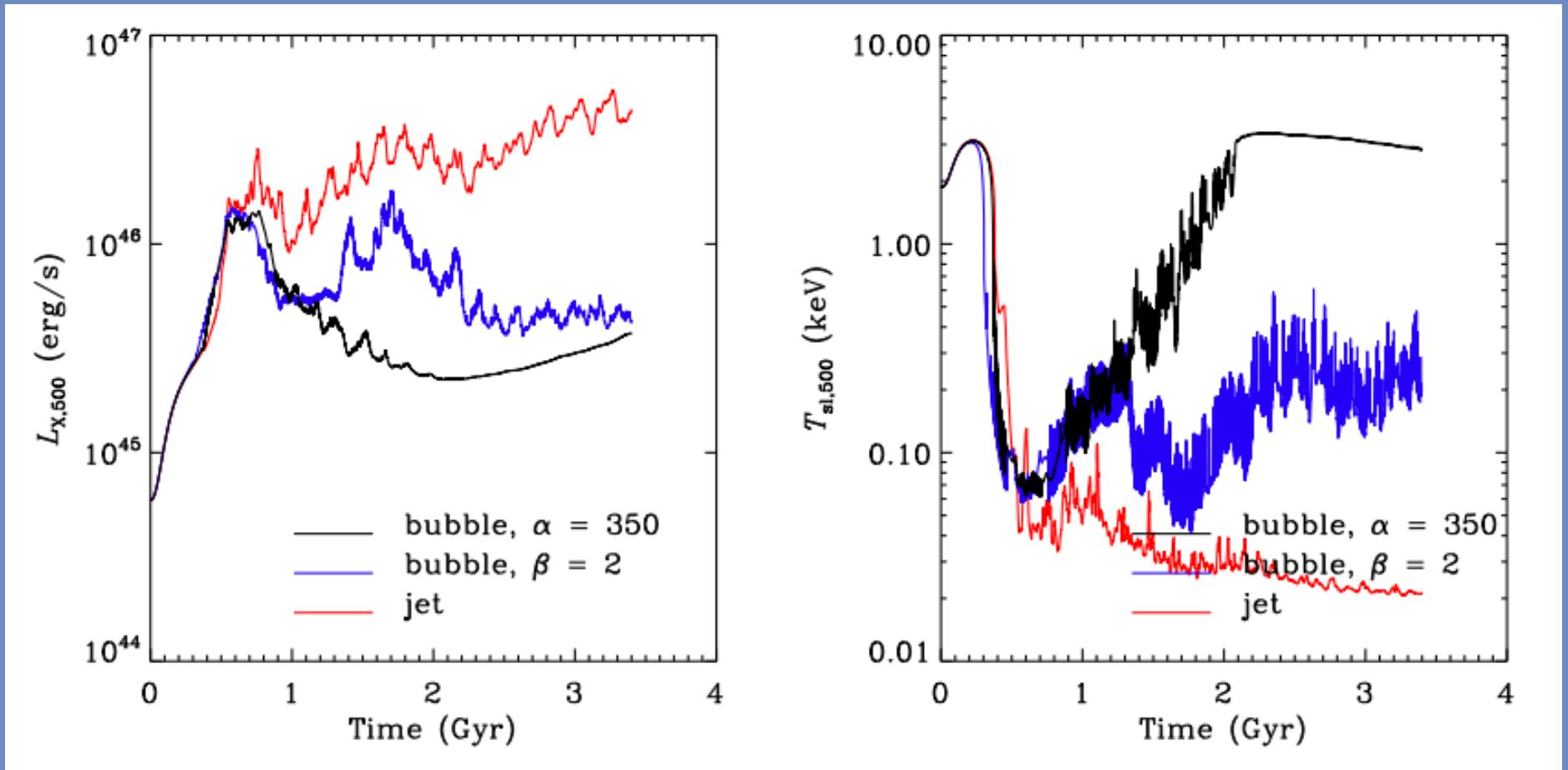
# AGN accretion in single-cluster simulations

Yang, Ricker, & Sutter (2009, 2010 in prep.)



# Effects of AGN in single-cluster simulations

Yang, Ricker, & Sutter (2009, 2010 in prep.)



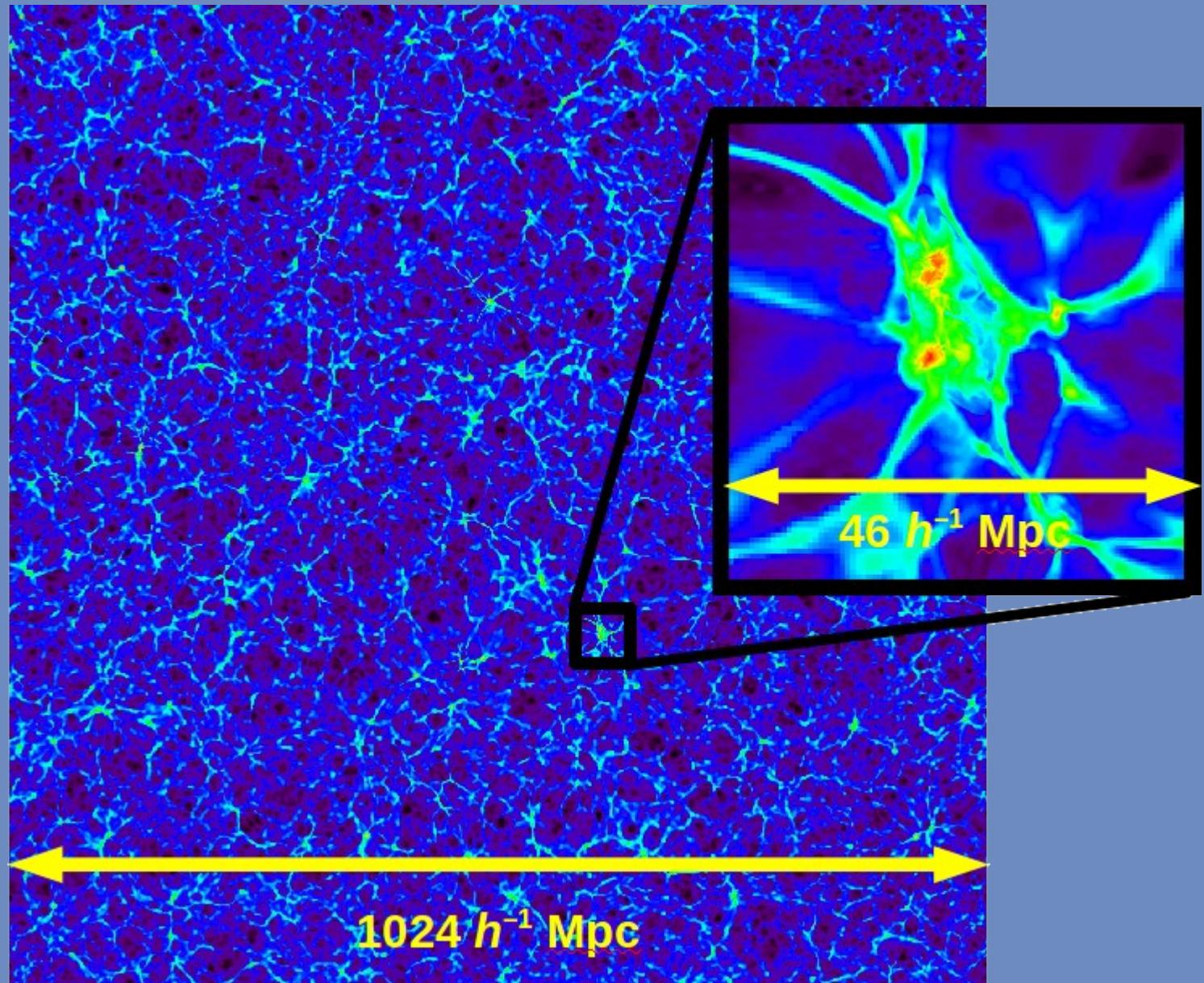
# In the can

Sutter & Ricker  
(2010)

FLASH 3.2  
Jaguar 14k cores  
700k core-hr

Refined 100  
randomly  
selected 50 Mpc  
regions about  
clusters

$L = 1024 h^{-1} \text{ Mpc}$   
 $\Delta x_{\min} = 31 h^{-1} \text{ kpc}$



# Conclusions

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- Merging can skew observables that are sensitive to cluster cores
- However, integrated history and non-gravitational physics appear to be more important than recent mergers in driving mass-observable scatter
- Range of currently considered AGN subgrid models yields significant theoretical uncertainty in mass-observable scatter